



**SZ effect  
&  
cosmological parameter estimation.**

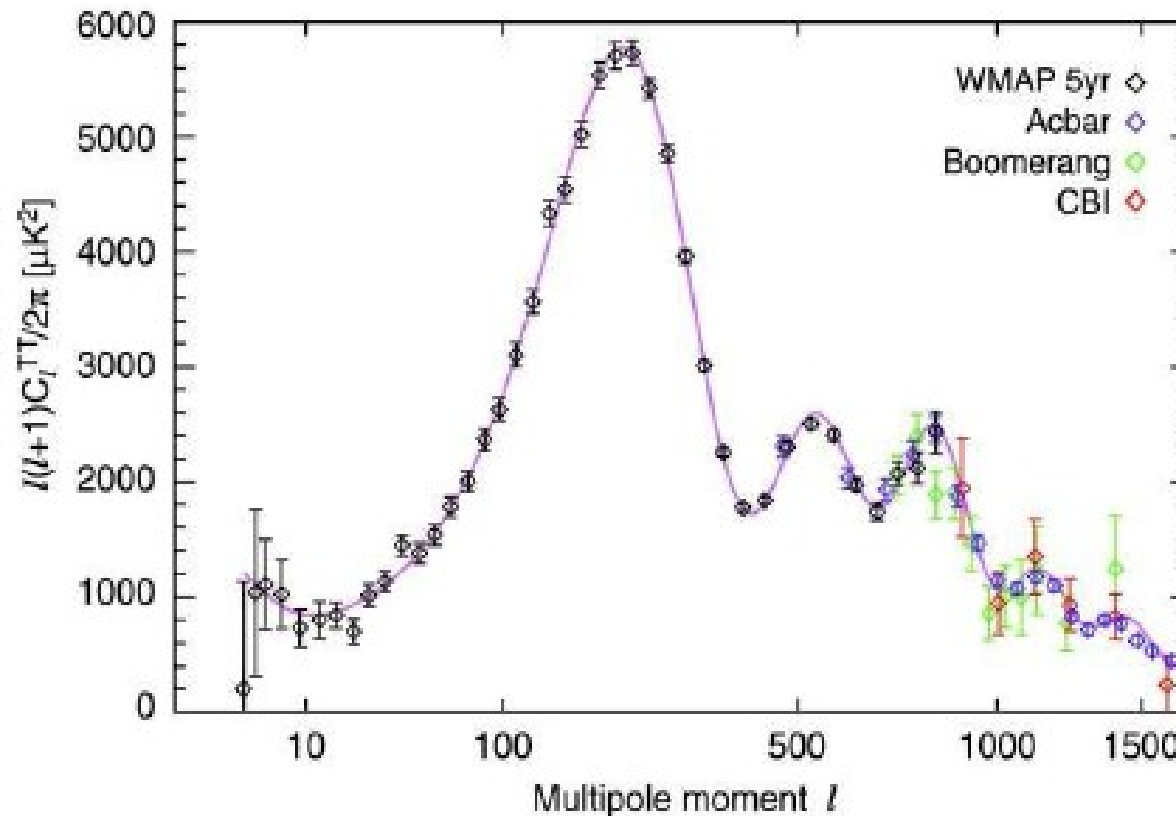
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## Context

- Large scale temperature and polarisation CMB observations => concordance model



Nolta et al., 2009

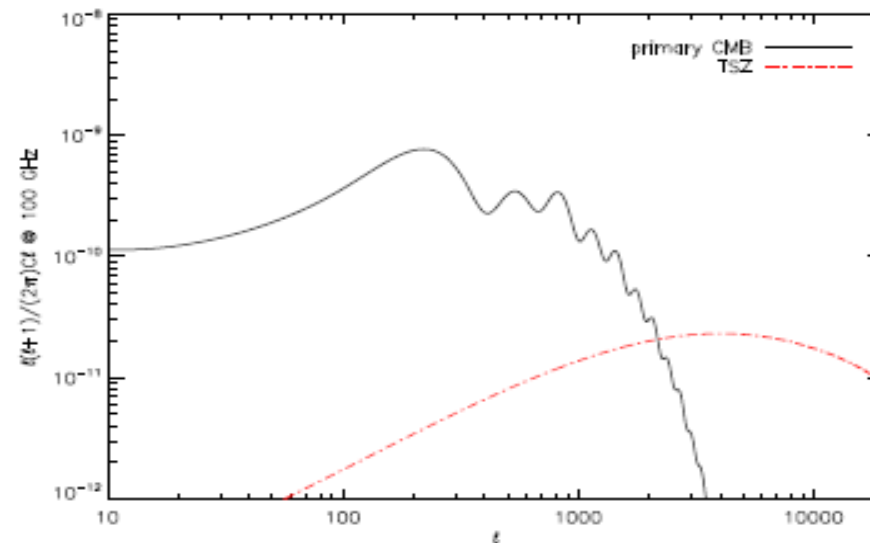
⇒ exquisite precision (a few percent) on the cosmological parameters values e.g.  
 $n_s = 0.963 \pm 0.014$  (Dunkley et al., 2009)

- Complementary experiments are observing anisotropies at small scales : excess power in respect to primary CMB.



## Secondary anisotropies affect the primary CMB

- Gravitationnal effects
- Scattering effects



Thermal SZ main contribution at small scales and dominates over primary CMB above  $l \simeq 2500$

## How to deal with this SZ signal ?

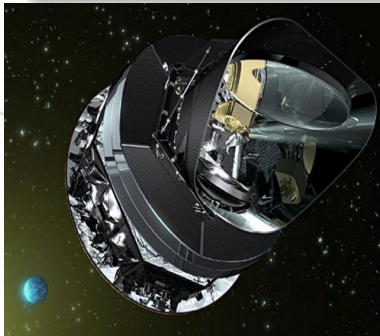
Different approaches can be considered :

- Fit the total signal with  $C_l^{\text{CMB}} + C_l^{\text{SZ}}$
- Remove SZ contribution of detected clusters  $\Rightarrow$  left with residuals

I studied the 2<sup>nd</sup> approach in order to determine if it is a valuable method.



Large upcoming multifrequency surveys (Planck, SPT...)



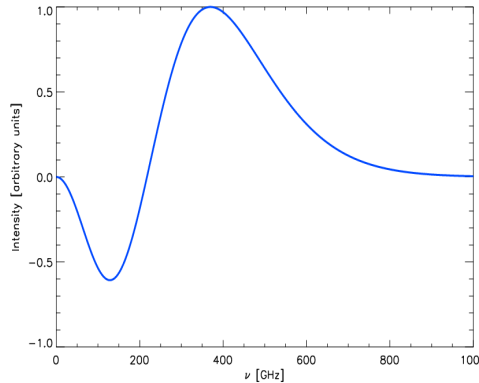
+

galaxy clusters  
typical SZ spectral signature

⇒

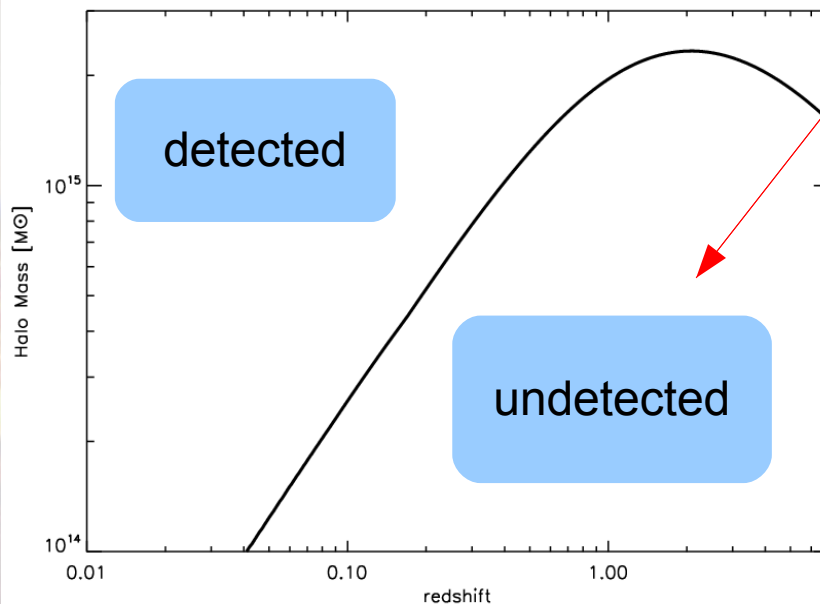
detection of galaxy clusters ⇒  
build up SZ cluster catalogues

SZ residuals



Are these residuals a problem?

## The theoretical SZ selection function



⇒ **selection function**  
minimum mass of a cluster,  
as a function of  $z$ , to be detected

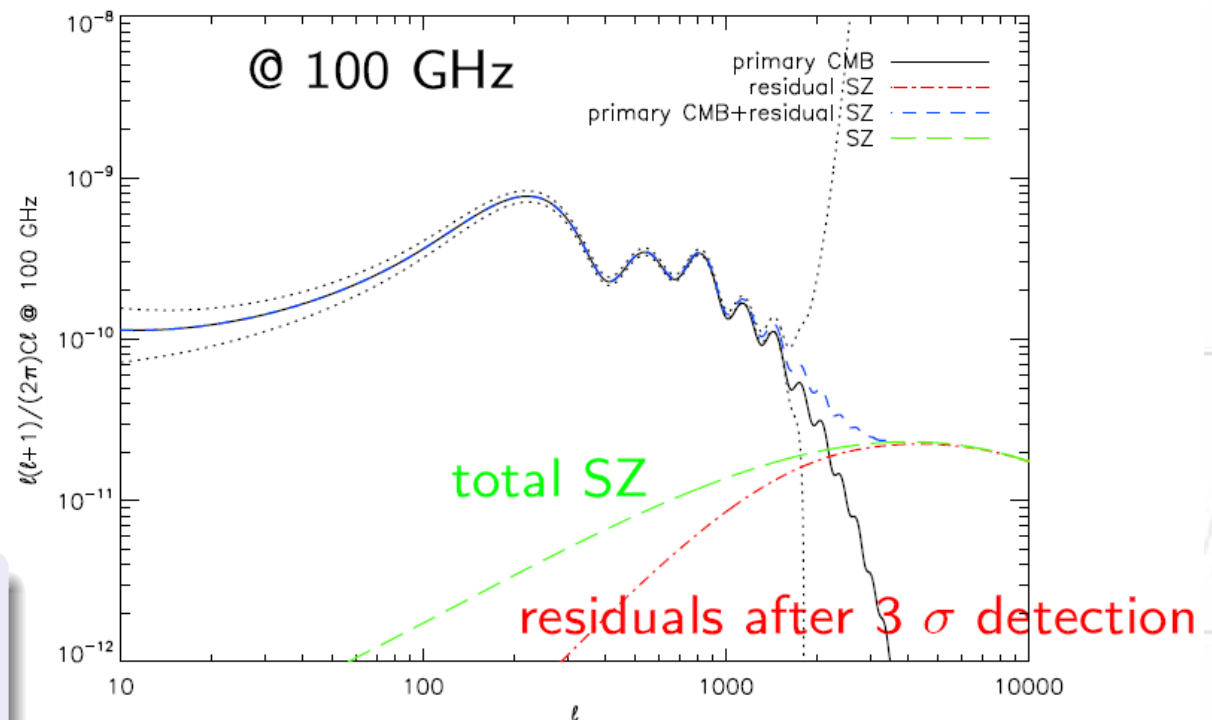
# The TSZ residuals angular power spectrum

The poissonian contribution to the TSZ angular power spectrum writes (Komatsu & Seljak, 2002) :

$$C_\ell = f_v^2 \int_0^{z_{\text{dec}}} dz \frac{dV}{dz} \int_{M_{\text{min}}}^{M_{\text{max}}} dM \frac{dn(M, z)}{dM} |\tilde{y}(M, z)|^2$$

It thus depends on the **cosmology** and the distribution of the **intra-cluster gas**.

- $M_{\text{max}} = M_{\text{lim}}(z)$  (from selection function) to calculate the residual TSZ angular power spectrum



Massive and low  $z$  clusters removed :  
quite a lot of residuals.  
What is their impact ?



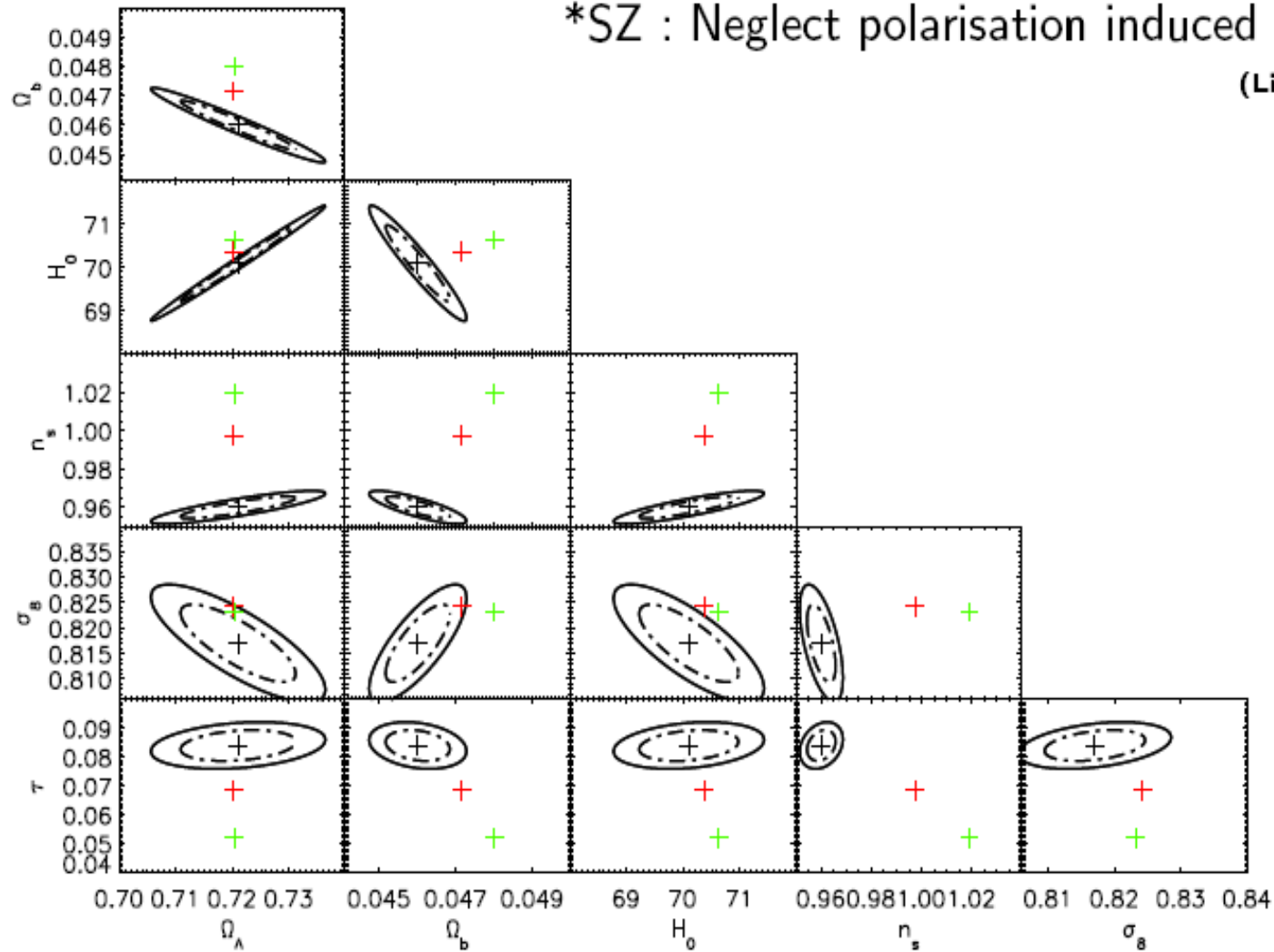
general method for bias calculation

# Biases on cosmological parameters due to TSZ residuals

\*CMB : TT, EE and TE. *Planck* @ 100 GHz

\*SZ : Neglect polarisation induced by galaxy clusters

(Liu et al. 2005)

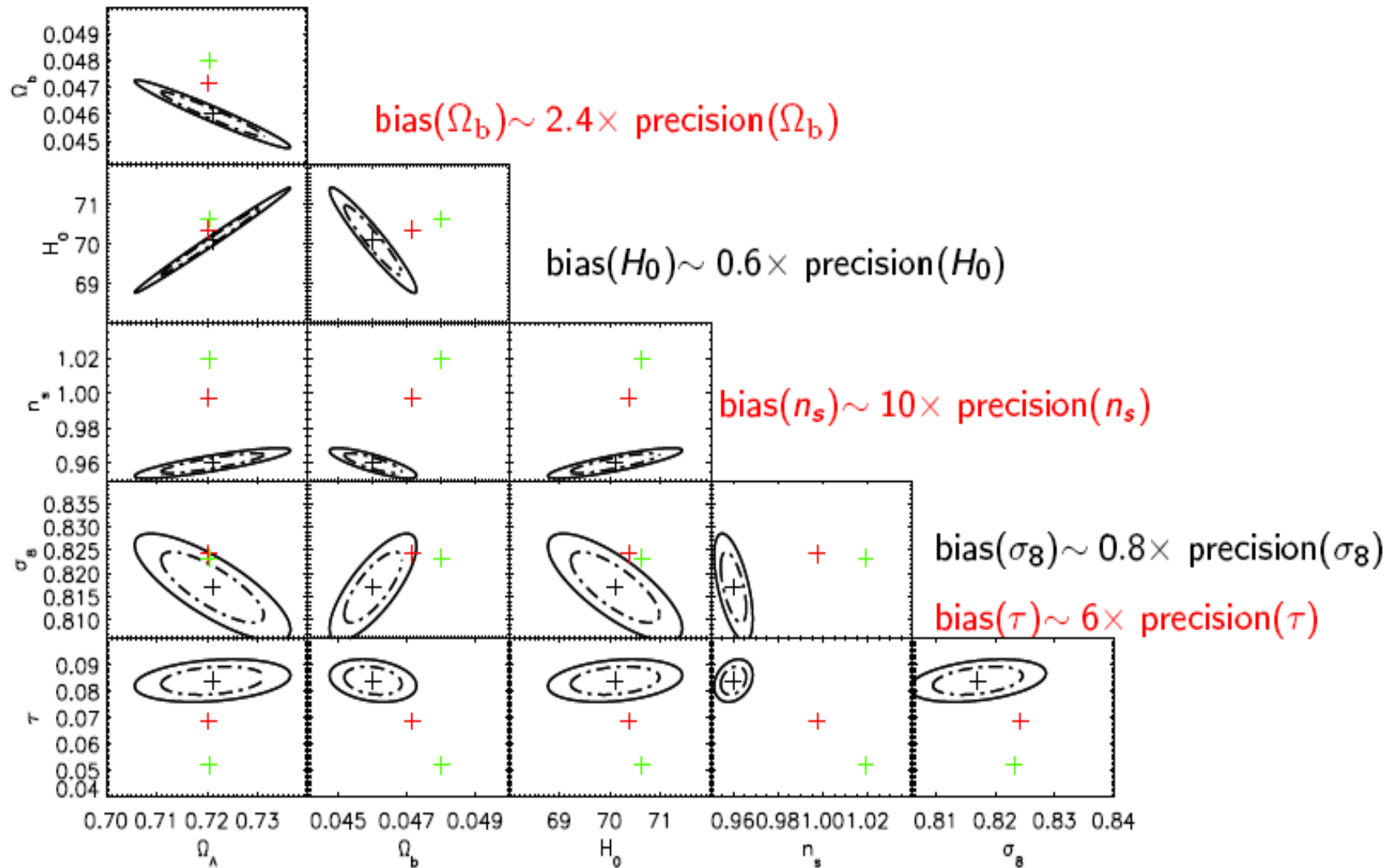


68.3% joint confidence regions. Black : reference model



# Biases on cosmological parameters due to TSZ residuals

$$\text{bias}(\Omega_\Lambda) \sim 0.1 \times \text{precision}(\Omega_\Lambda)$$



68.3% joint confidence regions. Black : reference model, Red and Green : biases induced by the TSZ residuals after a  $1\sigma$  and  $5\sigma$  detection threshold.

## Conclusions :

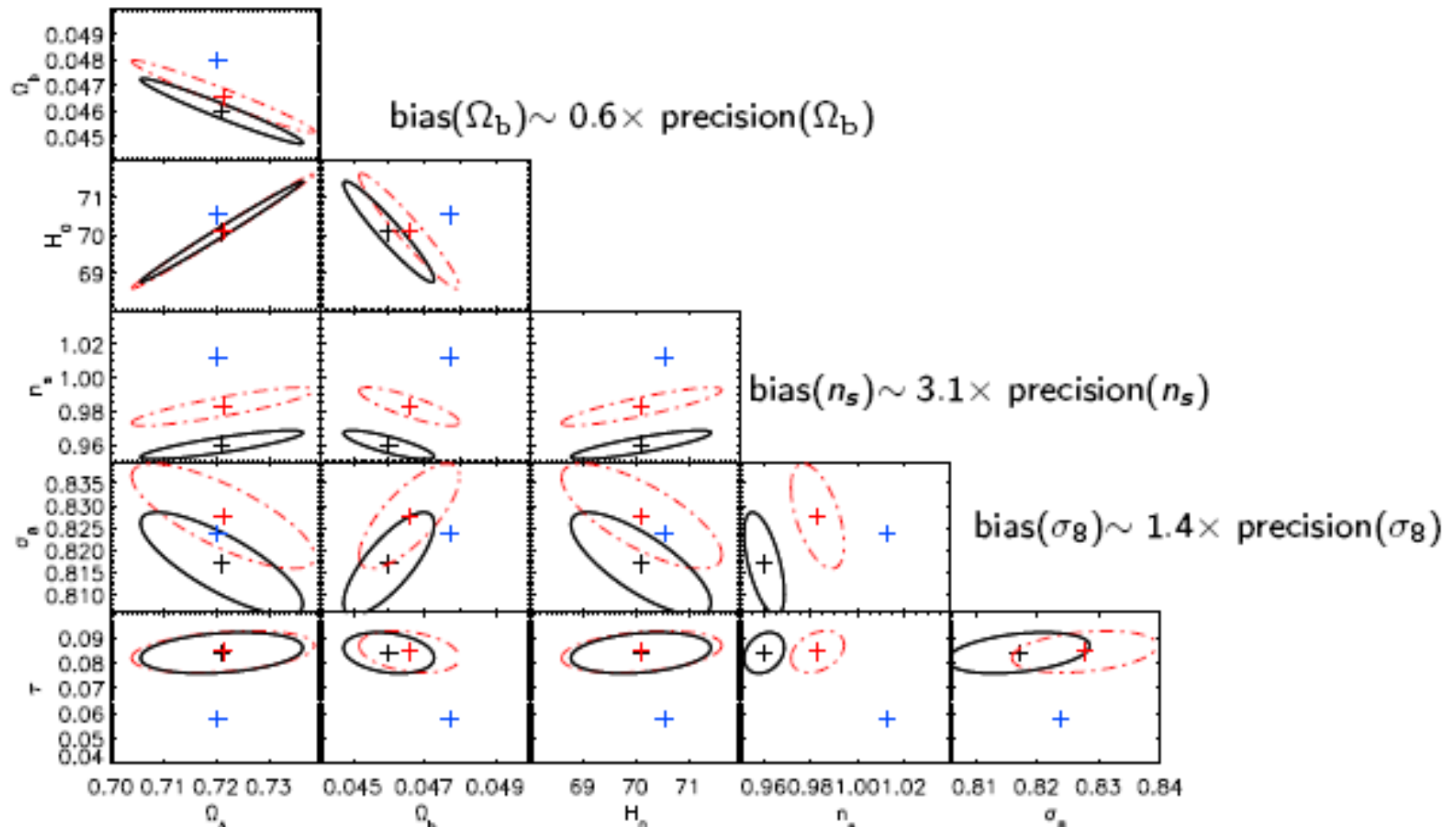
- Exact and analytical method to calculate biases induced by any additive signal (astrophysical or systematics)
- **residuals in CMB analysis  $\Rightarrow$  significant biases on  $\Omega_b$  and particularly  $n_s$  and  $\tau$**   
**Planck : several times the expected accuracy on these parameters !**

## Ongoing work :

- SZ not only a contaminant : use it to constrain gas physics
- consistent analysis CMB + secondary anisotropies Taburet et al., in prep

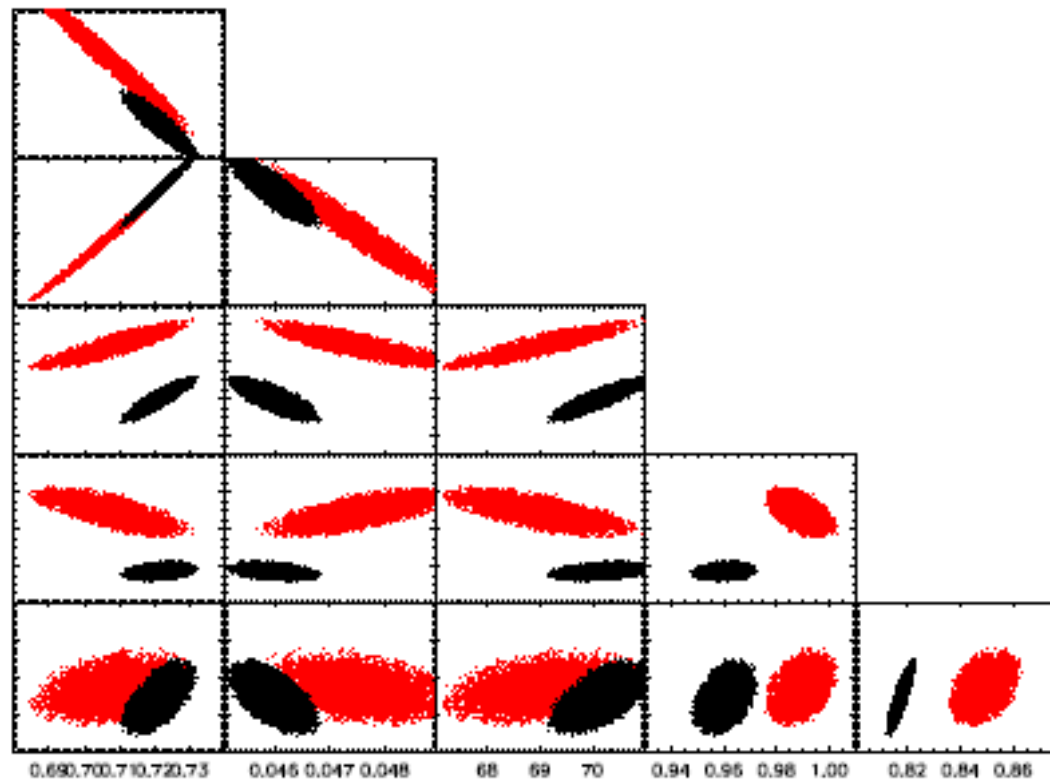


# Cut TT spectrum at $\ell = 1000$ for parameter estimation ?



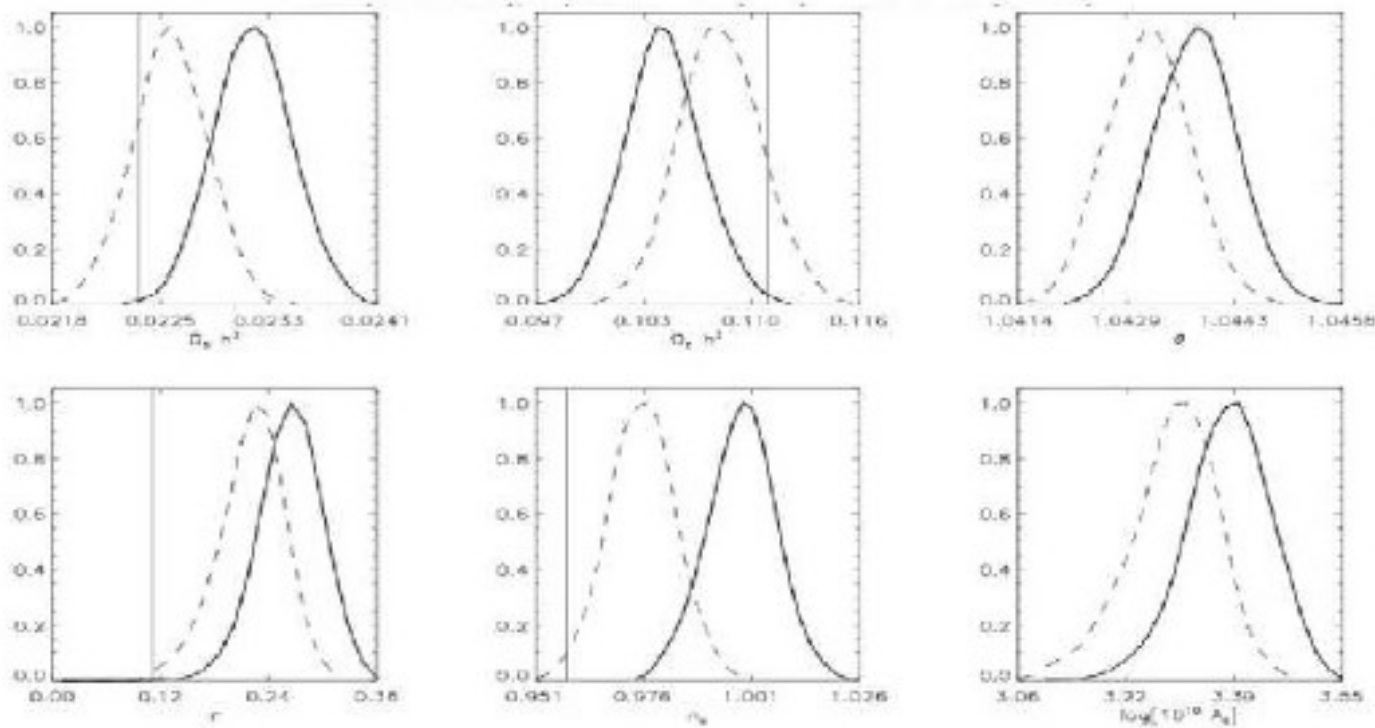
68.3% joint confidence regions. Black : reference model, Blue : biases induced by the TSZ residuals after a  $3\sigma$  detection. Red : biases and accuracy degradation induced by the TSZ residuals after a  $3\sigma$  detection and **cut TT at  $\ell = 1000$** .

Cut TT spectrum at  $\ell = 1000$  for parameter estimation?  
Check previous results with MCMC.



Black : CMB+SZ fitted with CMB+SZ. Red : biases induced by TSZ and accuracy degradation due to **TT cut at  $\ell = 1000$**

- Component separation to remove SZ contribution. problem : not perfect : still residuals (filaments...)



CosmoMC + residuals from Planck WG2 challenge component separation  
from J-A Rubino-Martin