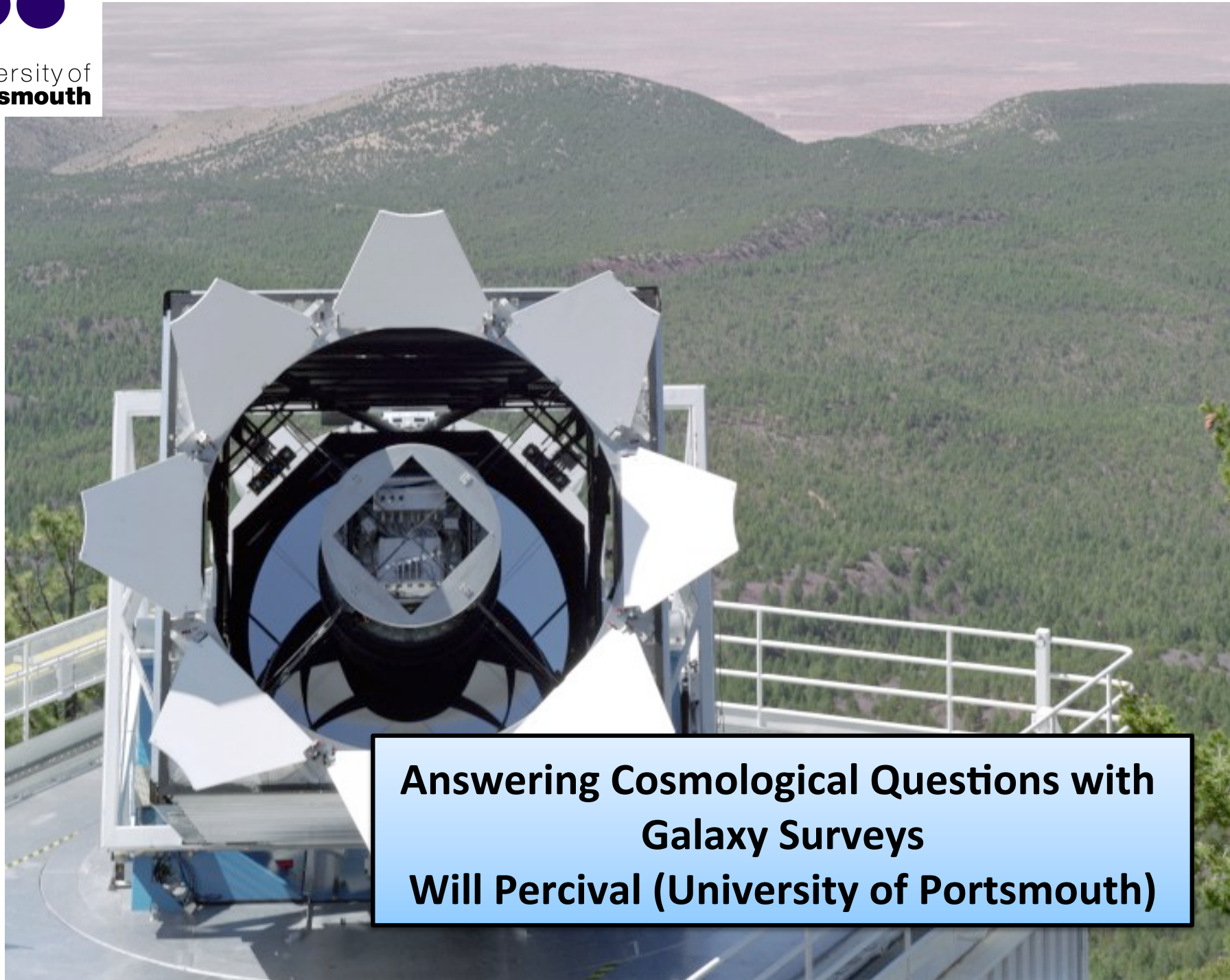
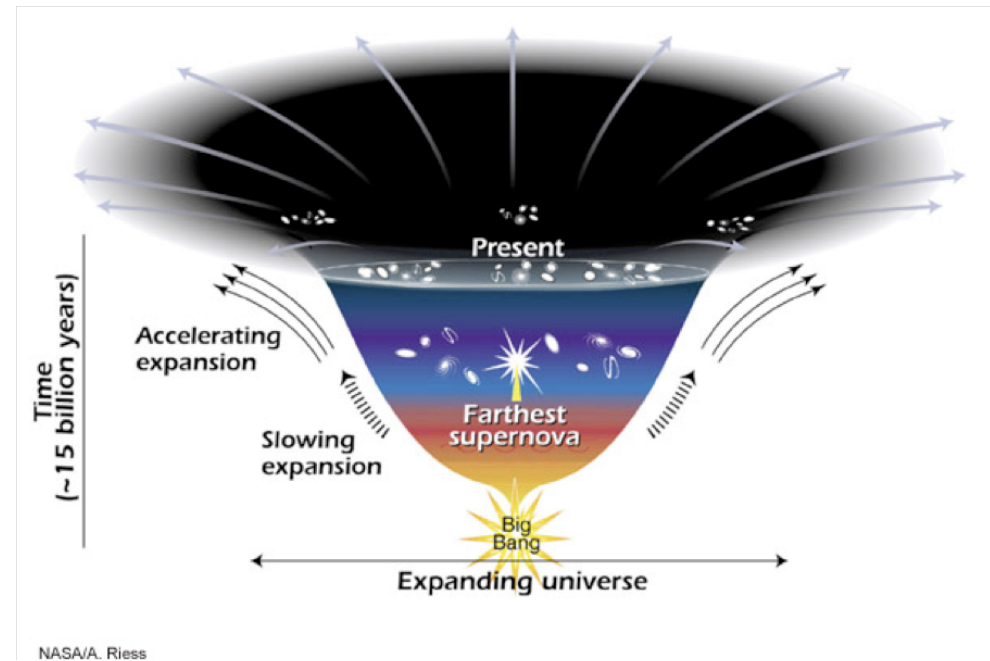
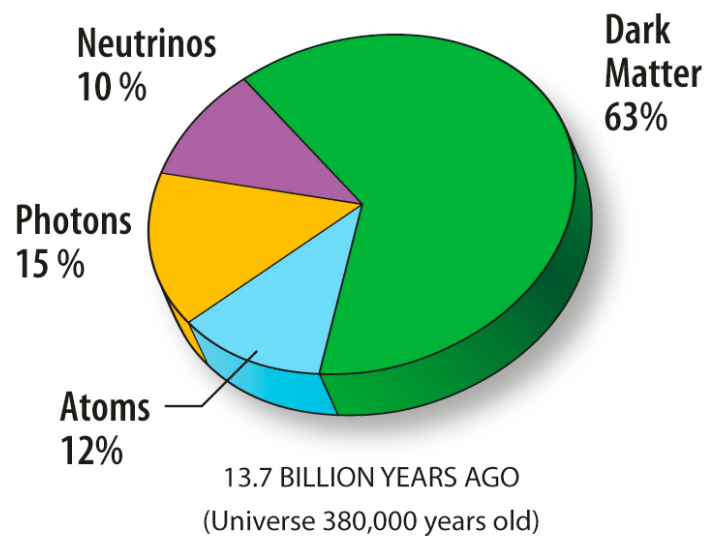
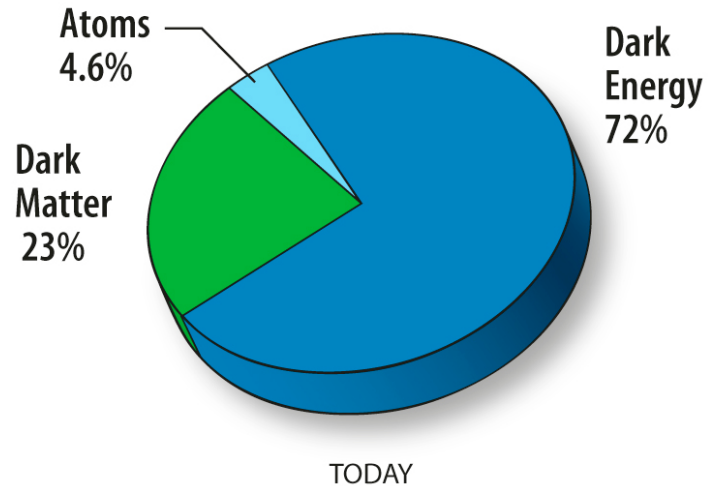




**Answering Cosmological Questions with
Galaxy Surveys
Will Percival (University of Portsmouth)**

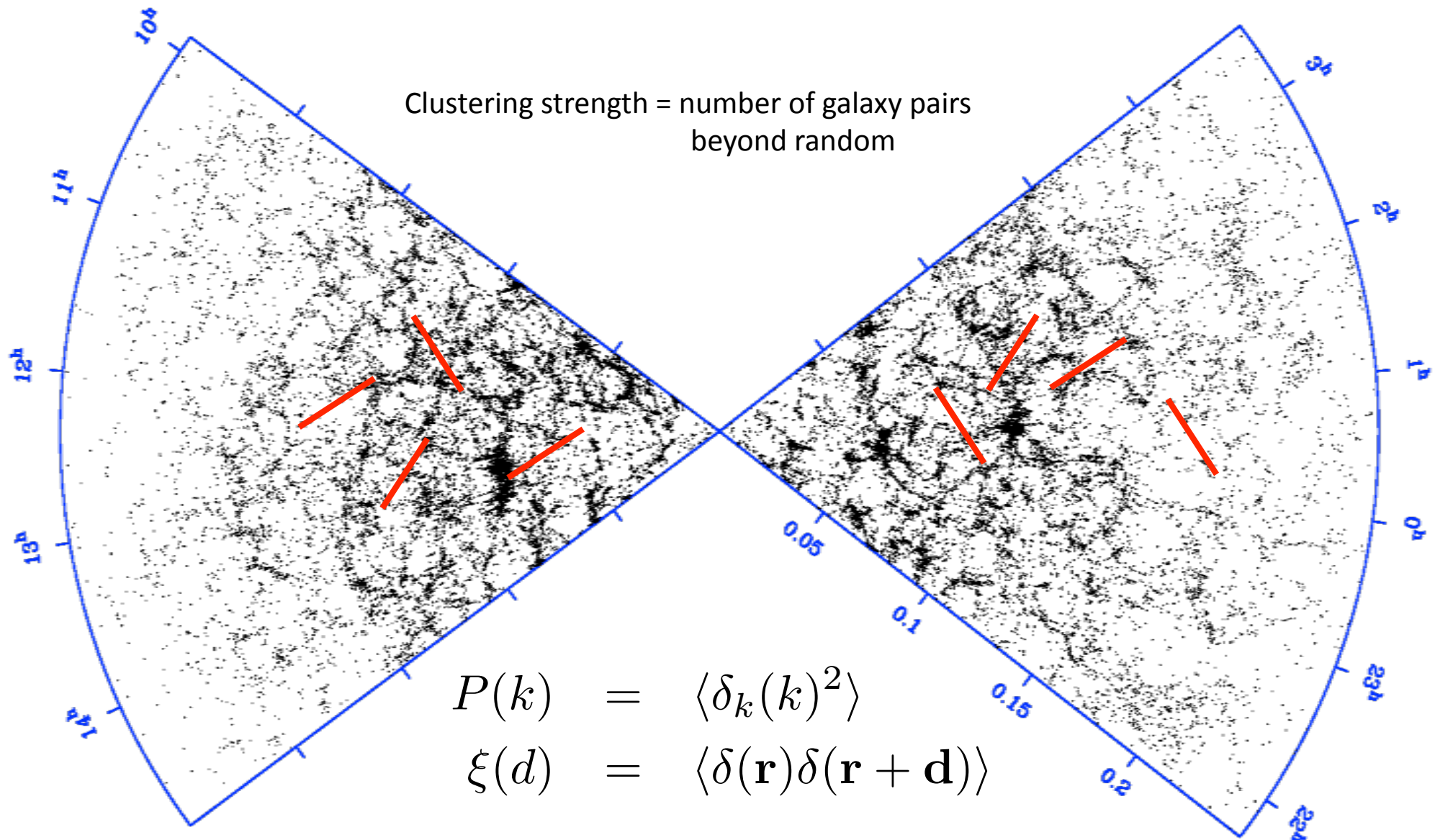
The standard “model” for cosmology



Remaining questions

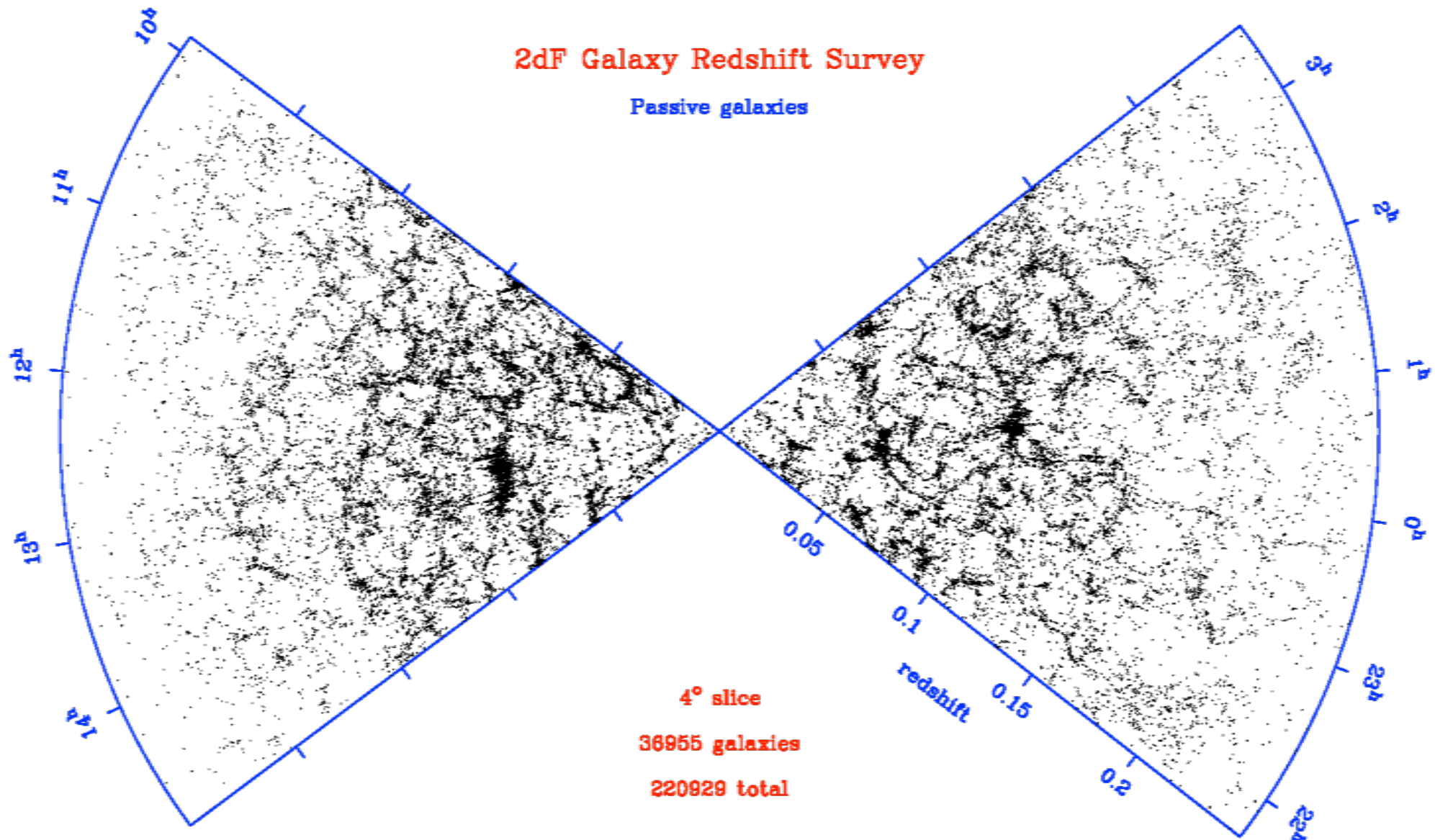
- What are the constituents of matter?
 - undiscovered particles
 - neutrino masses
- Why do we see an accelerating Universe?
 - vacuum energy density (Einstein's cosmological constant)
 - new scalar field / other phenomenon
- How does structure form within this background?
 - large-scale General Relativity deviations?
- Why is the Universe homogeneous on large scales?
 - inflation or other model?
 - inflation parameters
- How do galaxies form and evolve?

Using galaxy clustering to answer these questions

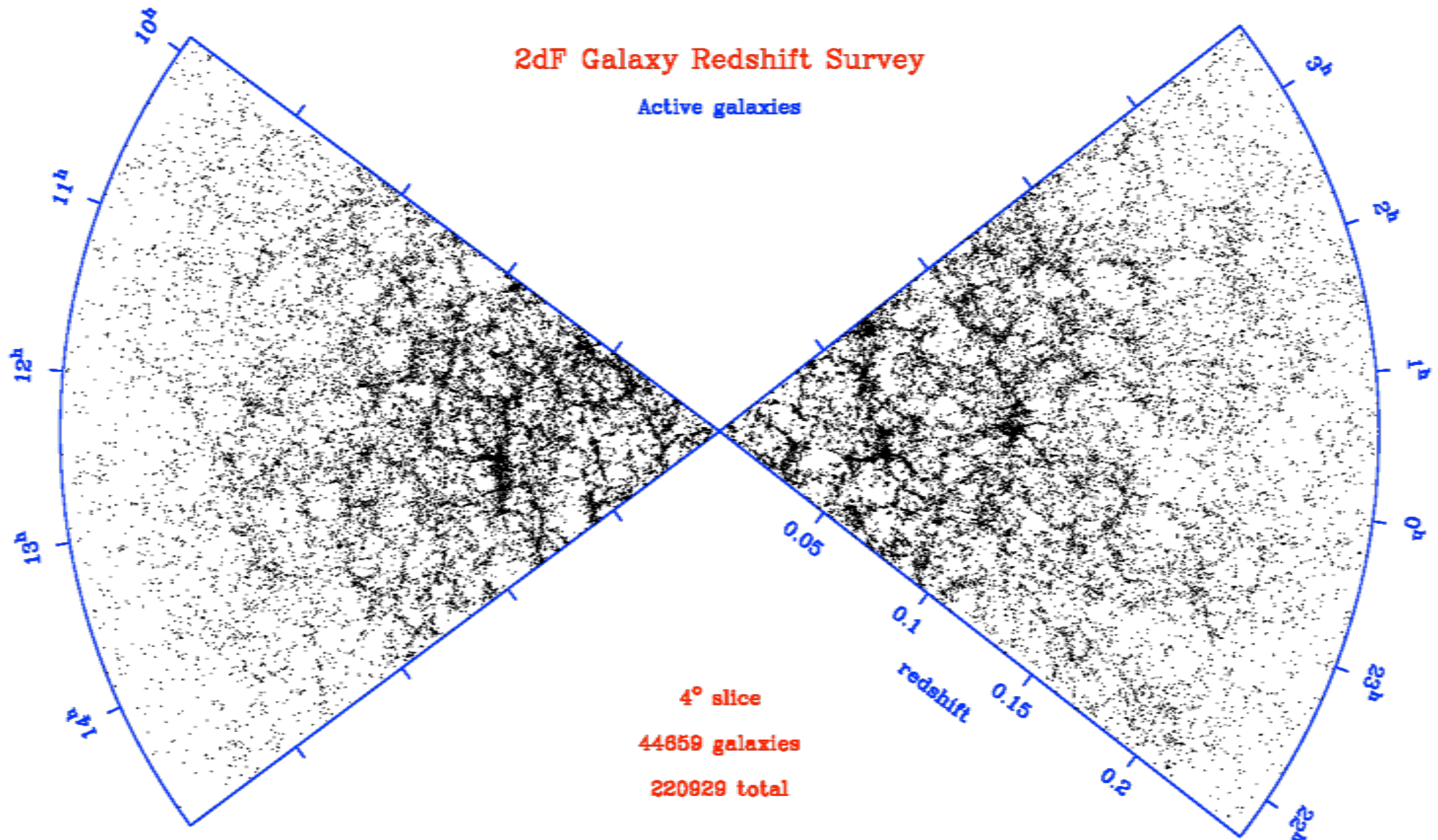


How do galaxies form and evolve?

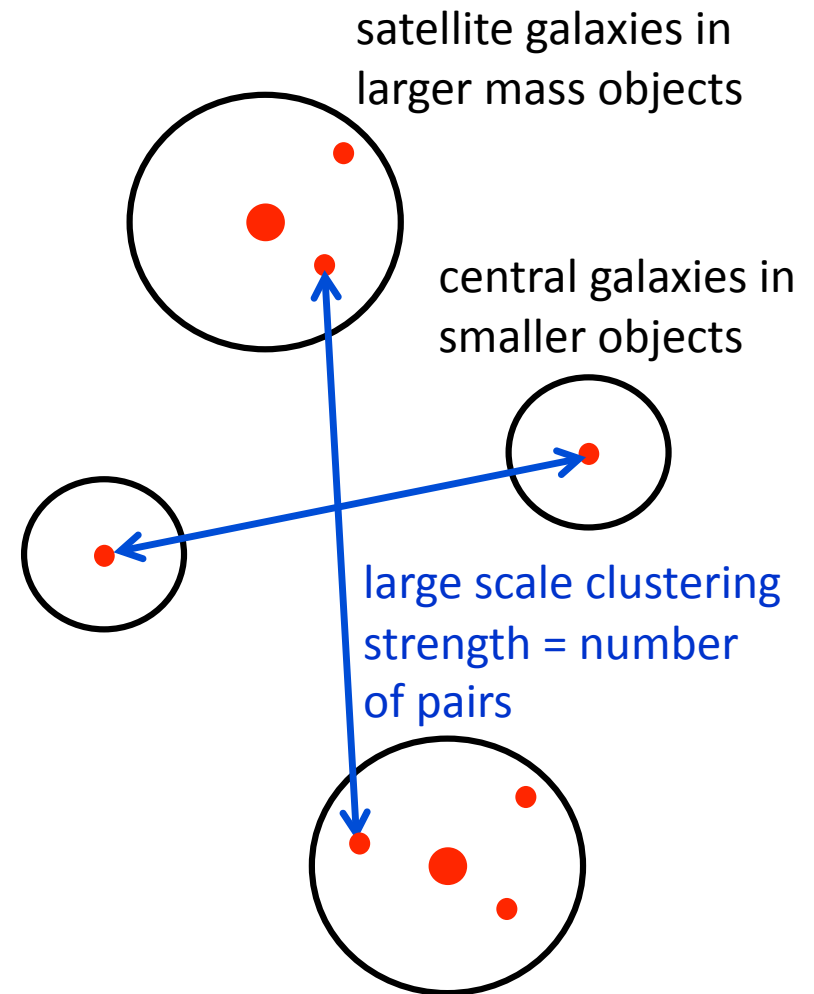
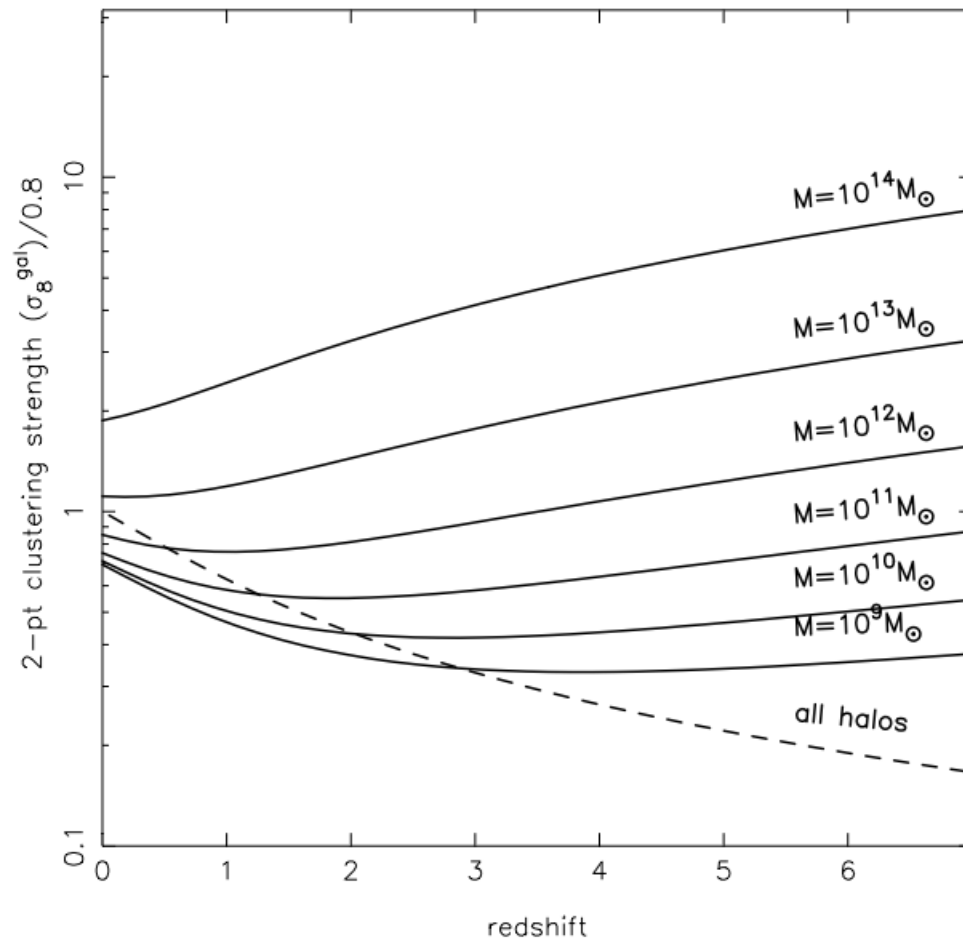
Galaxy bias : red galaxies



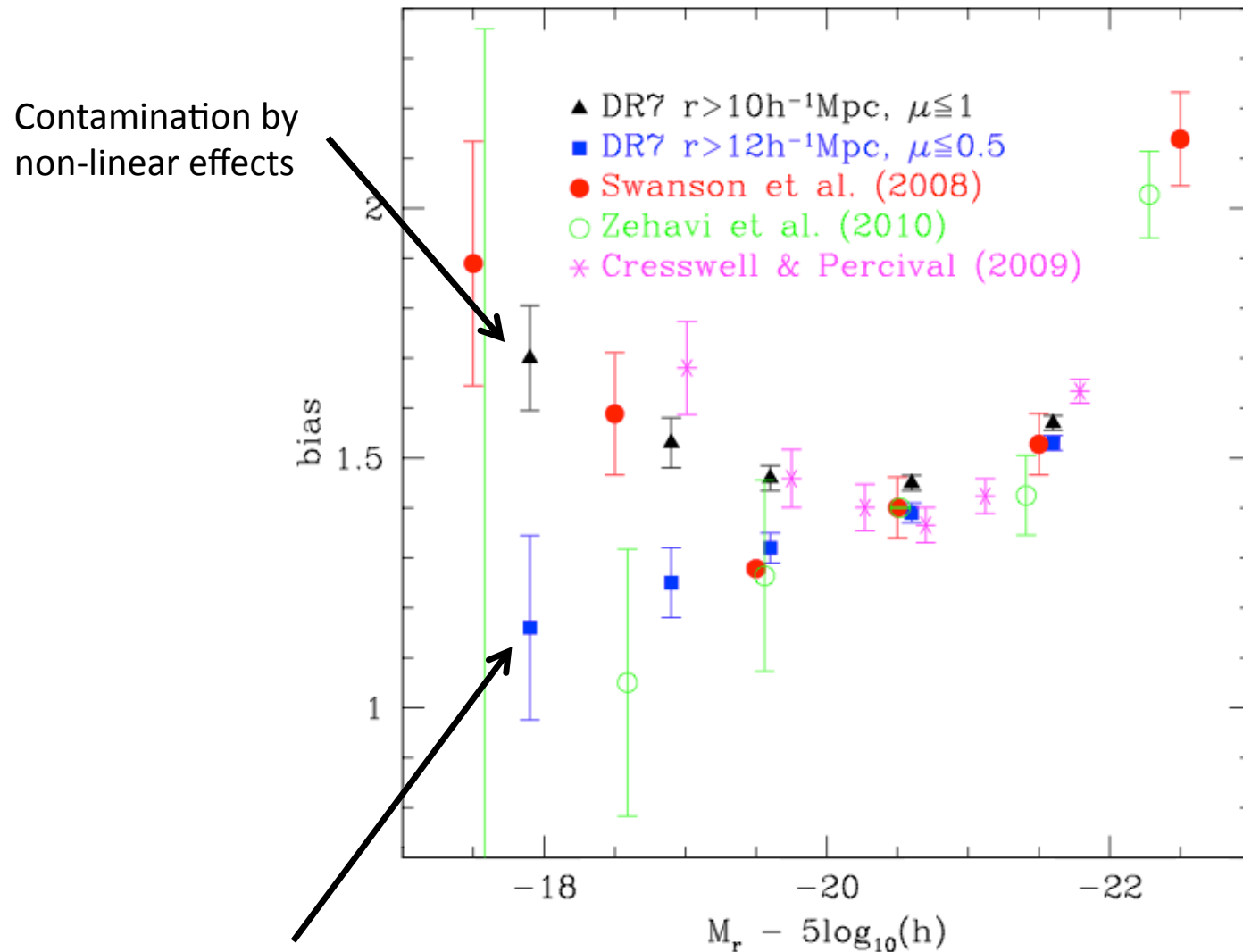
Galaxy bias: blue galaxies



information from the large-scale galaxy clustering



making robust measurements

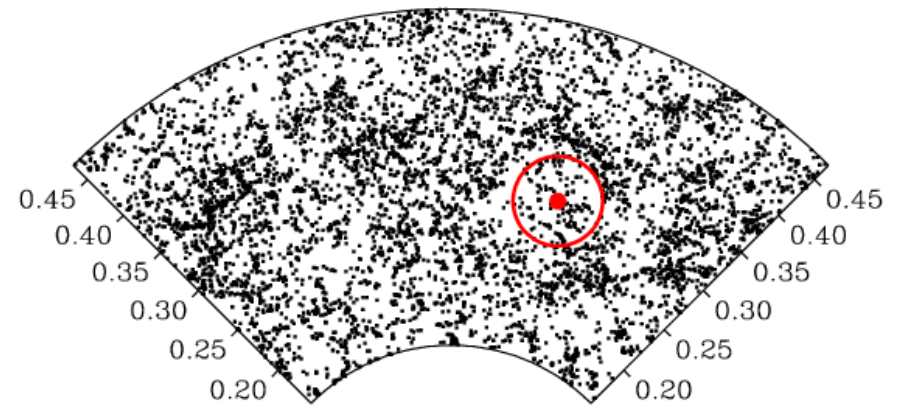
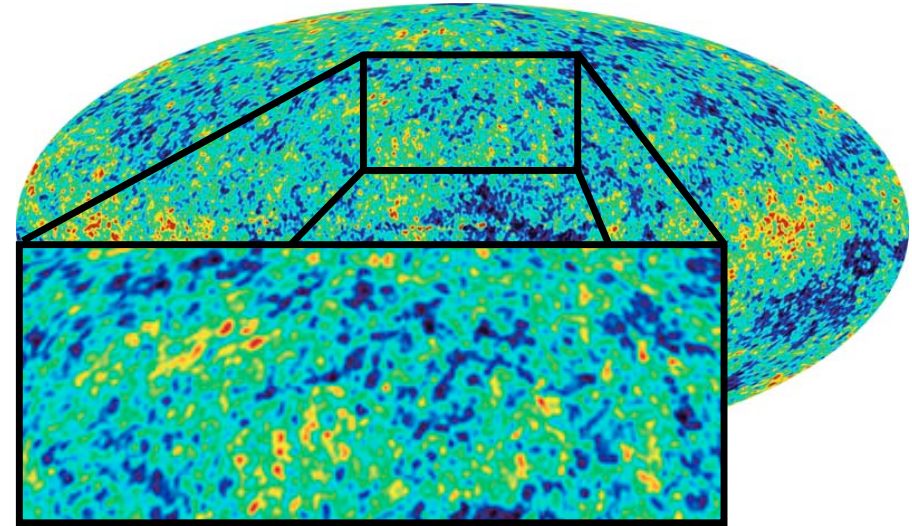
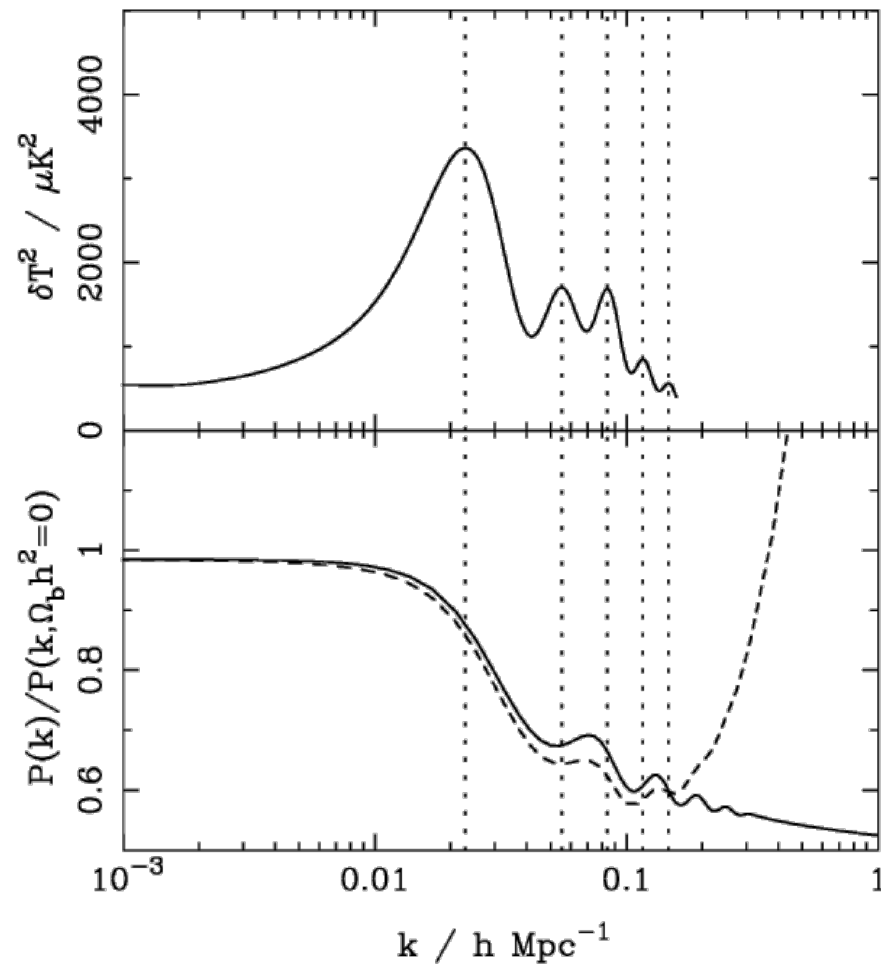


Robust measurements show faint red galaxies are predominantly in lower mass haloes

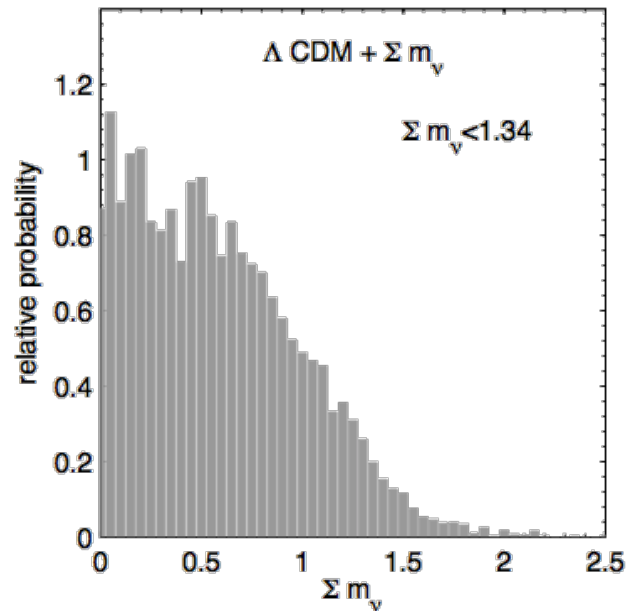
What are the constituents of matter?
Why is the Universe homogeneous on large scales?

Relationship between CMB and LSS clustering

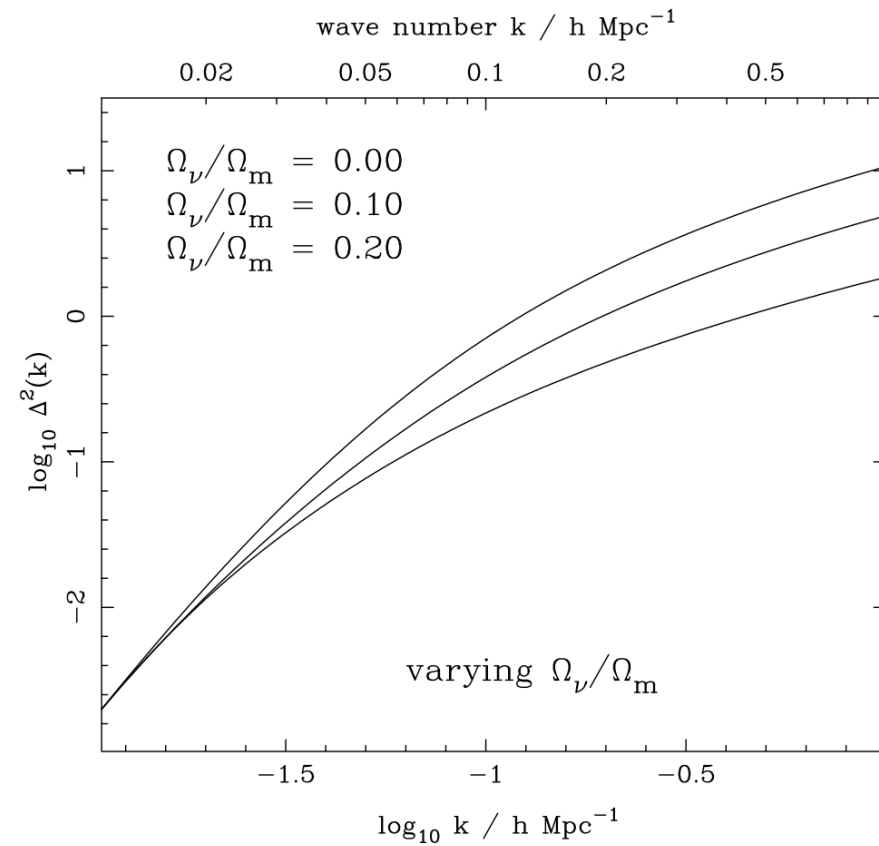
$$\Omega_m=0.3, \Omega_v=0.7, h=0.7, \Omega_b h^2=0.02$$



neutrino mass from comoving clustering

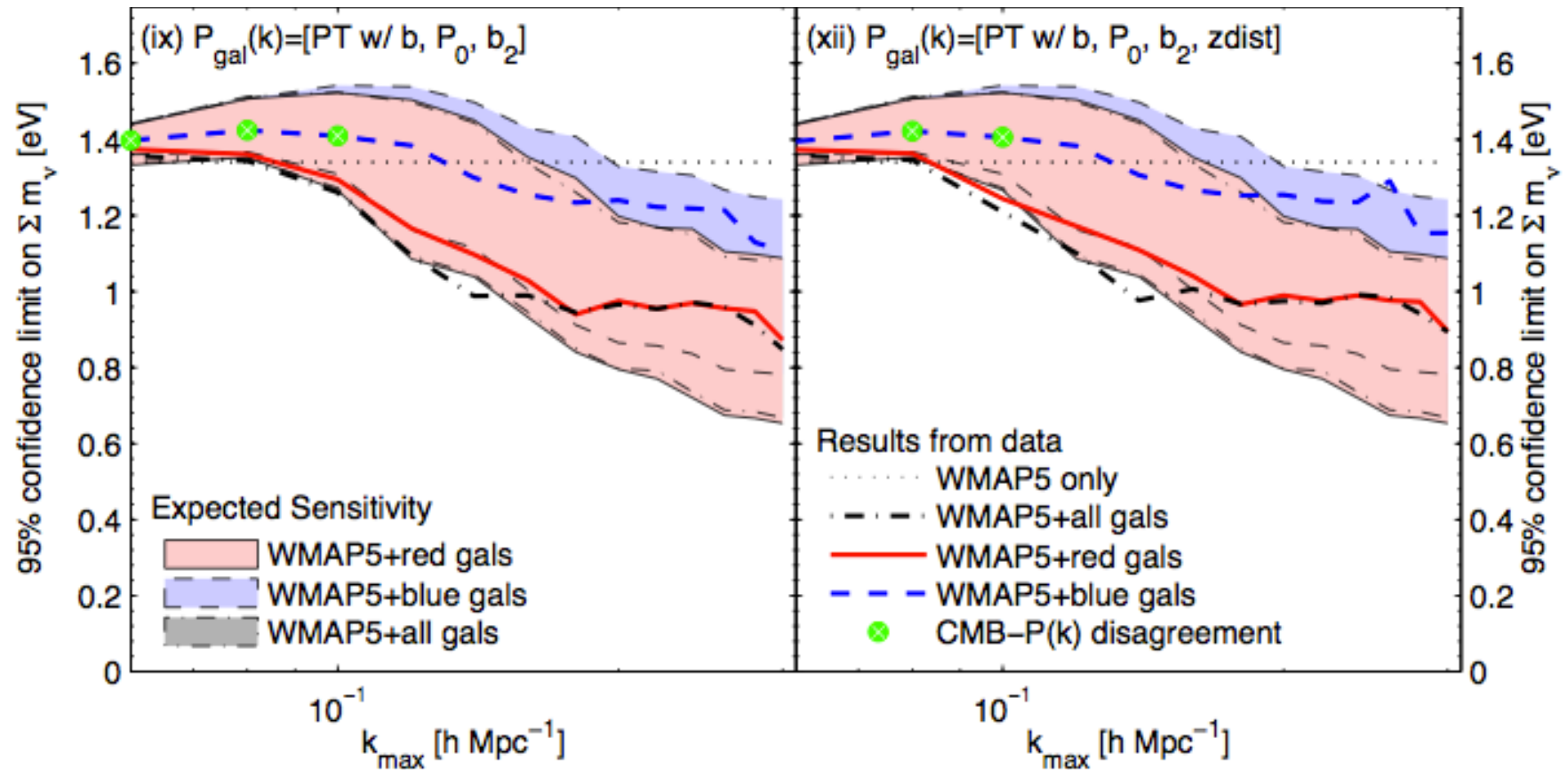


WMAP 7 year data:
Dunkley et al. (2009: ApJS, 180, 306)



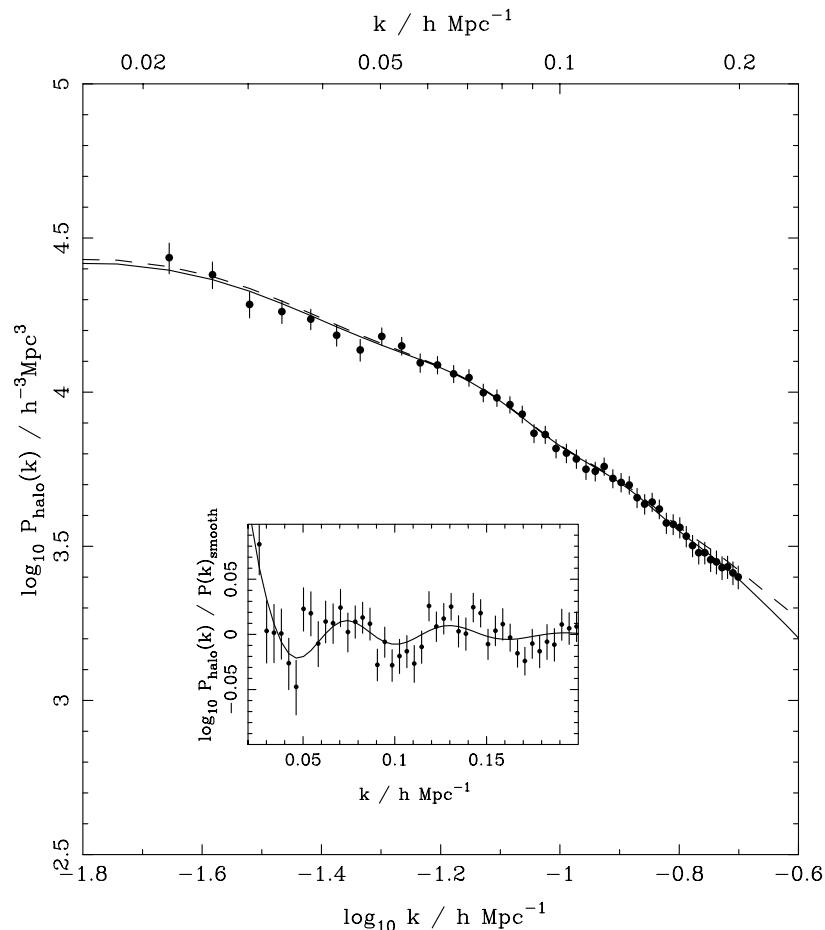
LSS can help through comoving shape
and breaking CMB projection degeneracies

neutrino mass



For current SDSS data: red and blue galaxies give constraints that are $\sim 1\sigma$ apart, using shape of $P(k)$

Full fit giving parameters of inflation

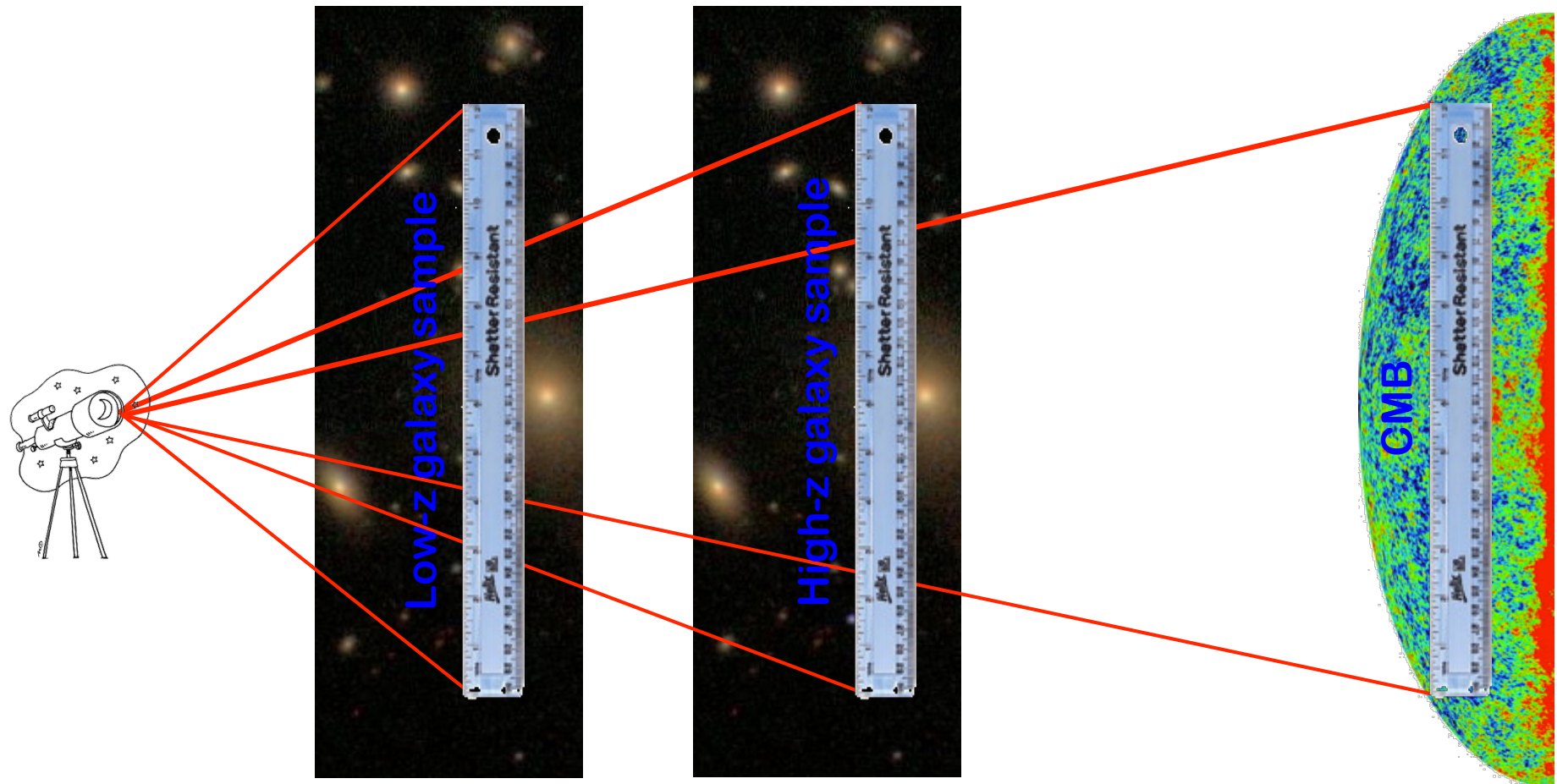


Use luminous red galaxies (LRGs) to extract the halo power spectrum and model the shape to constrain cosmological models

parameter	Λ CDM	ϕ Λ CDM	wCDM	owCDM
Ω_m	0.289 ± 0.019	0.309 ± 0.025	0.328 ± 0.037	0.306 ± 0.050
H_0	69.4 ± 1.6	66.0 ± 2.7	64.3 ± 4.1	$66.7^{+5.9}_{-5.6}$
$D_V(0.35)$	1349 ± 23	1415 ± 49	1398 ± 45	1424 ± 49
$r_s/D_V(0.35)$	0.1125 ± 0.0023	0.1084 ± 0.0034	0.1094 ± 0.0032	$0.1078^{+0.0033}_{-0.0034}$
Ω_k	-	$-0.0114^{+0.0076}_{-0.0077}$	-	-0.009 ± 0.012
w	-	-	-0.79 ± 0.15	-1.06 ± 0.38
Ω_Λ	0.711 ± 0.019	0.703 ± 0.021	0.672 ± 0.037	$0.703^{+0.057}_{-0.058}$
Age (Gyr)	13.73 ± 0.13	14.25 ± 0.37	13.87 ± 0.17	14.27 ± 0.52
Ω_{tot}	-	$1.0114^{+0.0077}_{-0.0076}$	-	1.009 ± 0.012
$100\Omega_b h^2$	2.272 ± 0.058	2.274 ± 0.059	$2.293^{+0.062}_{-0.063}$	$2.279^{+0.066}_{-0.065}$
$\Omega_c h^2$	$0.1161^{+0.0039}_{-0.0038}$	0.1110 ± 0.0052	$0.1112^{+0.0056}_{-0.0057}$	$0.1103^{+0.0055}_{-0.0054}$
τ	0.084 ± 0.016	0.089 ± 0.017	0.088 ± 0.017	0.088 ± 0.017
n_s	0.961 ± 0.013	0.962 ± 0.014	0.969 ± 0.015	0.965 ± 0.016
$\ln(10^{10} A_{05})$	$3.080^{+0.036}_{-0.037}$	3.068 ± 0.040	$3.071^{+0.040}_{-0.039}$	3.064 ± 0.041
σ_8	0.824 ± 0.025	0.796 ± 0.032	0.735 ± 0.073	0.79 ± 0.11

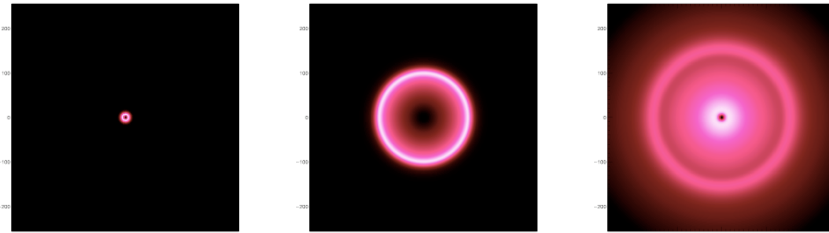
Why do we see an accelerating Universe?

Using clustering to measure geometry



Sunyaev & Zel'dovich (1970); Peebles & Yu (1970); Doroshkevitch, Sunyaev & Zel'dovich (1978); Cooray, Hu, Huterer & Joffe (2001); Eisenstein (2003); Seo & Eisenstein (2003); Blake & Glazebrook (2003); Hu & Haiman (2003); ...

Baryon Acoustic Oscillations (BAO)

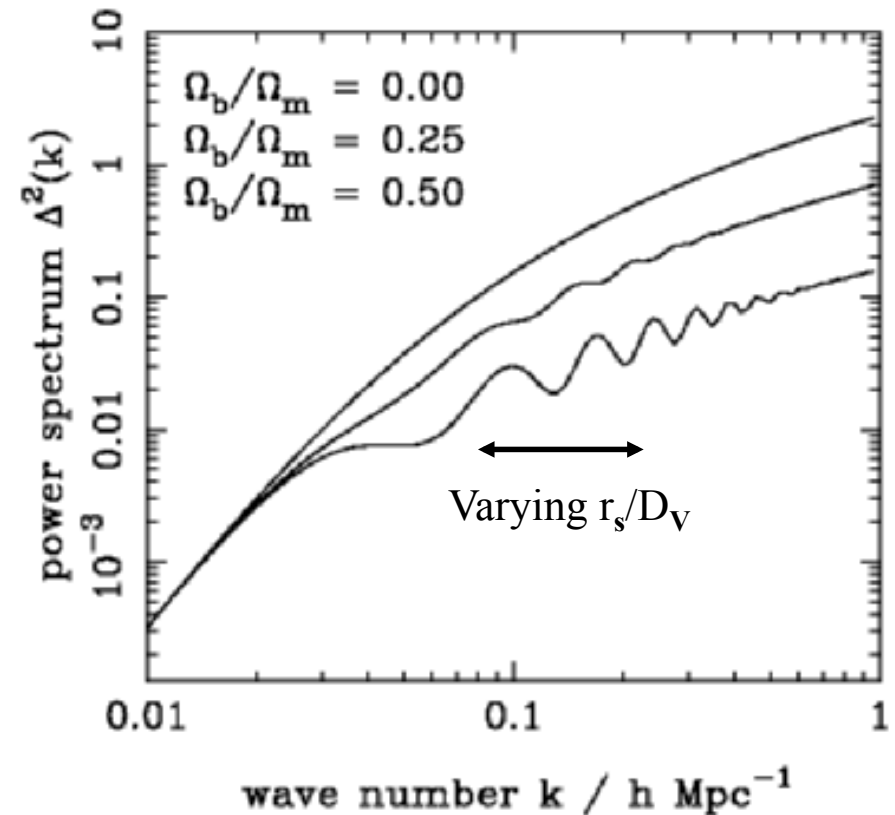


(images from Martin White)

To first approximation, comoving BAO wavelength is determined by the comoving sound horizon at recombination

$$r_s = \frac{1}{H_0 \Omega_m^{1/2}} \int_0^{a_*} da \frac{c_s}{(a + a_{eq})^{1/2}}$$

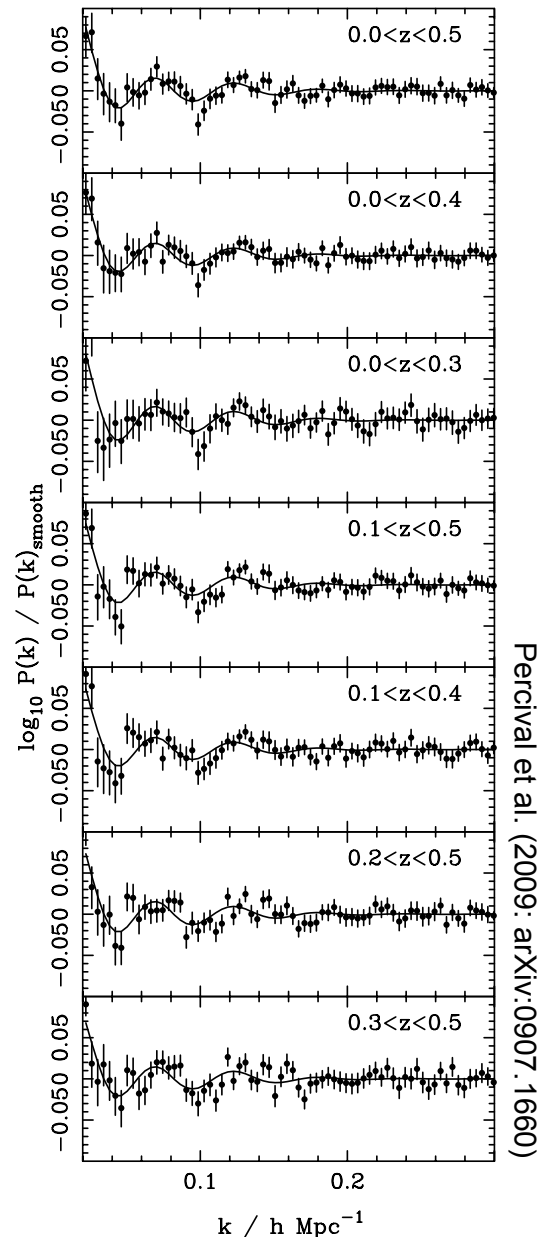
comoving sound horizon $\sim 110 h^{-1} \text{Mpc}$,
BAO wavelength $0.06 h \text{Mpc}^{-1}$



projection onto the observed galaxy distribution depends on

$$D_V(z) = \left[(1+z)^2 D_A^2(z) \frac{cz}{H(z)} \right]^{1/3}$$

BAO in SDSS DR7 + 2dFGRS power spectra



- Combine 2dFGRS, SDSS DR7 LRG and SDSS Main Galaxy samples
- split into redshift slices and fit $P(k)$ with model comprising smooth fit $\times$ BAO
- results can be written as independent constraints on a distance measure to $z=0.275$ and a tilt around this

$$r_s(z_d)/D_V(0.275) = 0.1390 \pm 0.0037 \text{ (2.7\%)}$$

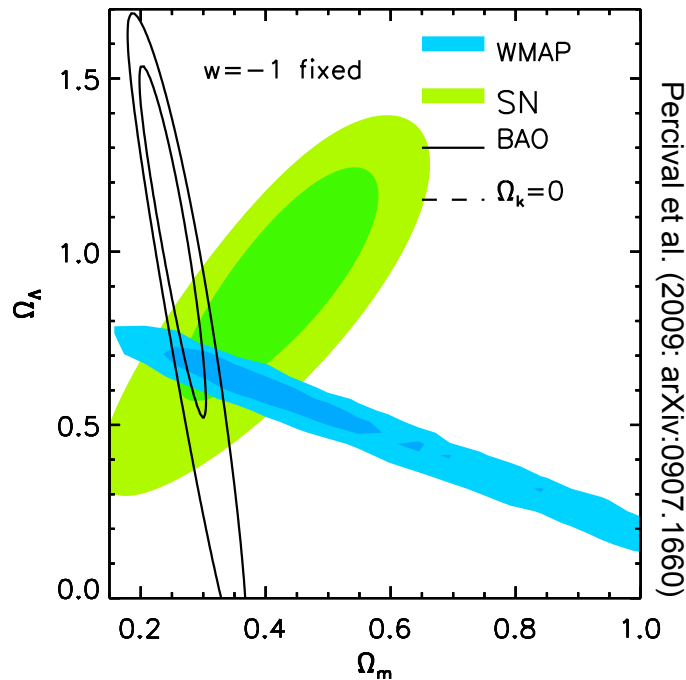
$$D_V(0.35)/D_V(0.2) = 1.736 \pm 0.065$$

- consistent with Λ CDM models at 1.1σ when combined with WMAP5

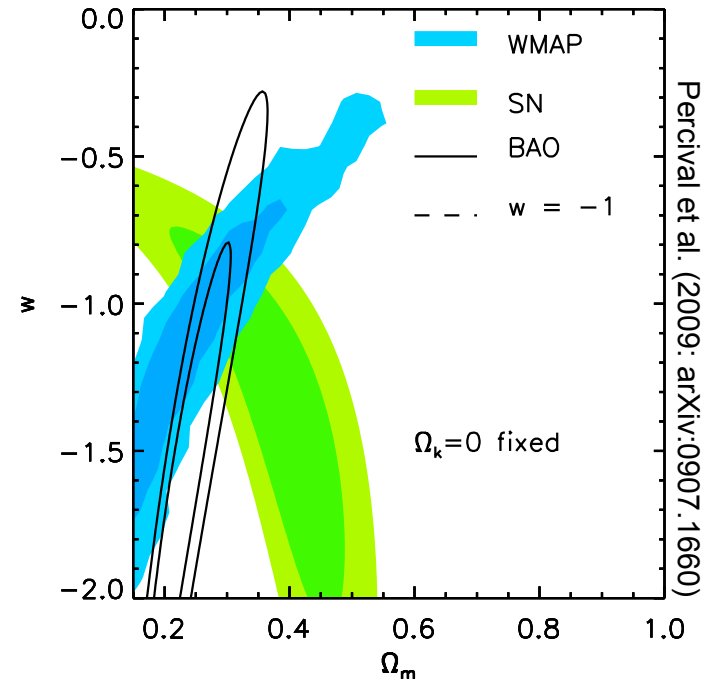
Comparing BAO constraints vs other data



Λ CDM models with curvature



flat wCDM models

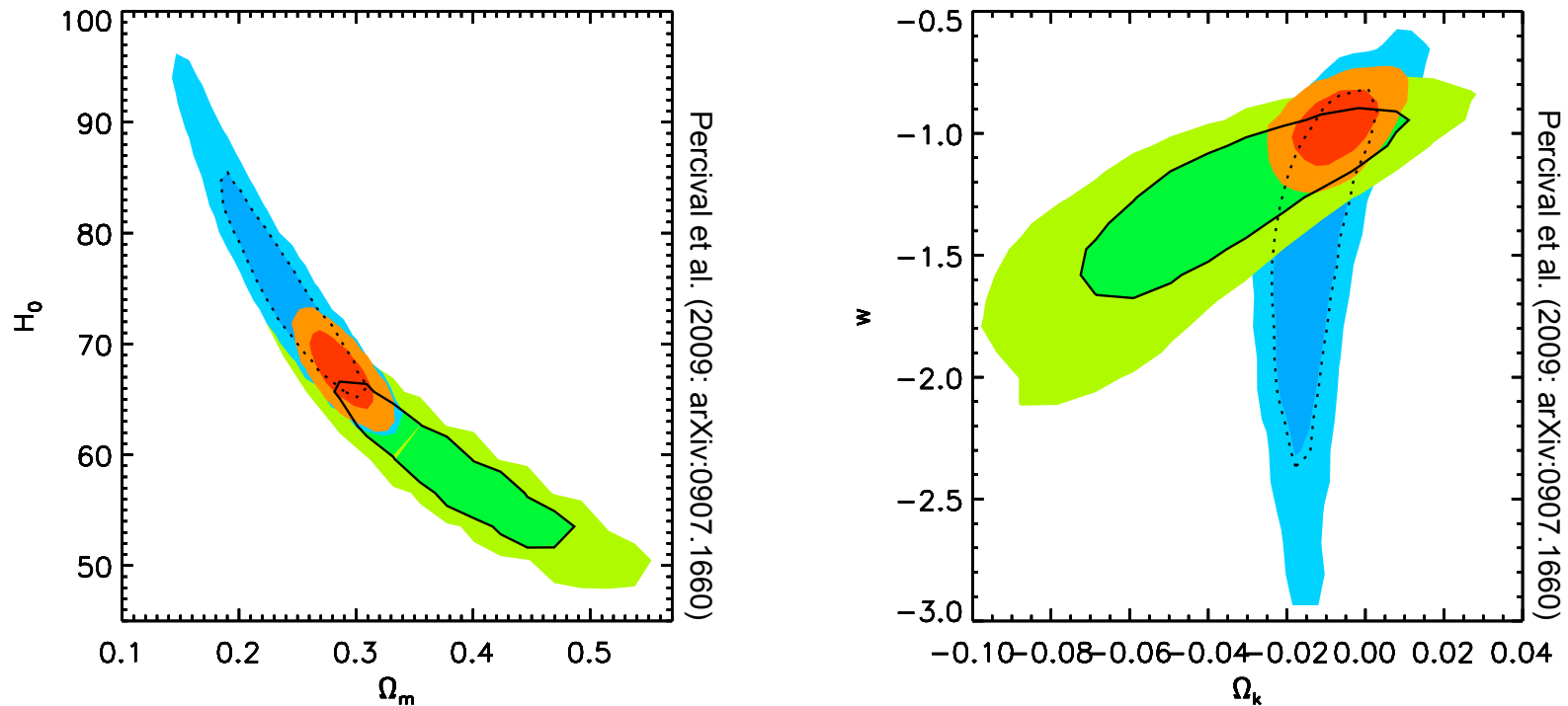


- Union supernovae
- WMAP 5year
- SDSS BAO Constraint on $r_s(z_d)/D_V(0.2)$ & $r_s(z_d)/D_V(0.35)$

BAO + CMB + SN model constraints



w-CDM models with curvature



- SDSS + WMAP5
- Union supernovae + WMAP5
- SDSS + Union supernovae + WMAP5

How does structure form within this background?

Redshift-Space Distortions

When we measure the position of a galaxy, we measure its position in redshift-space; this differs from the real-space because of its peculiar velocity:

$$s(r) = r - v_r(r)\hat{r}$$

Where s and r are positions in redshift- and real-space and v_r is the peculiar velocity in the radial direction

Redshift-Space Distortions

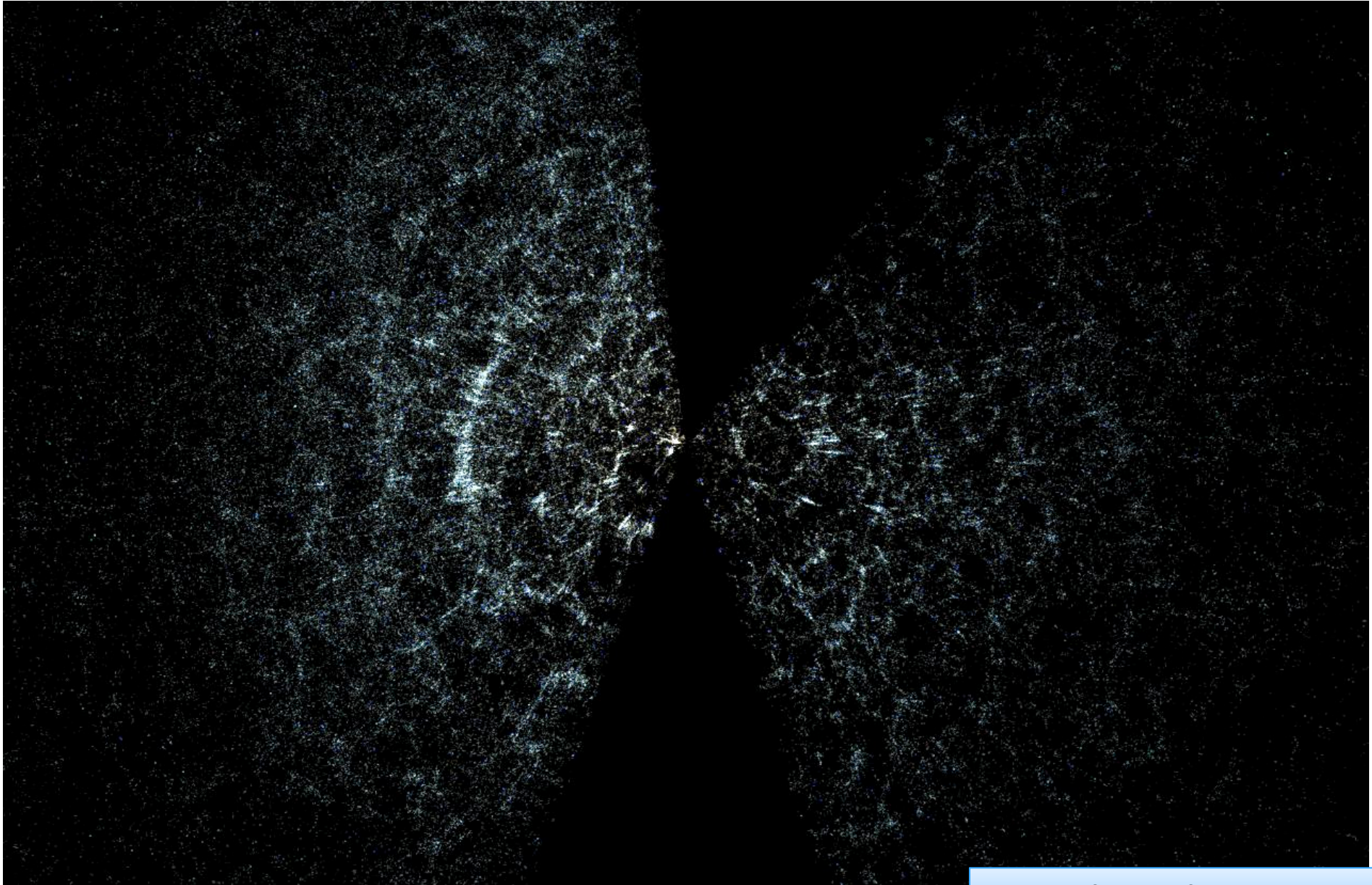
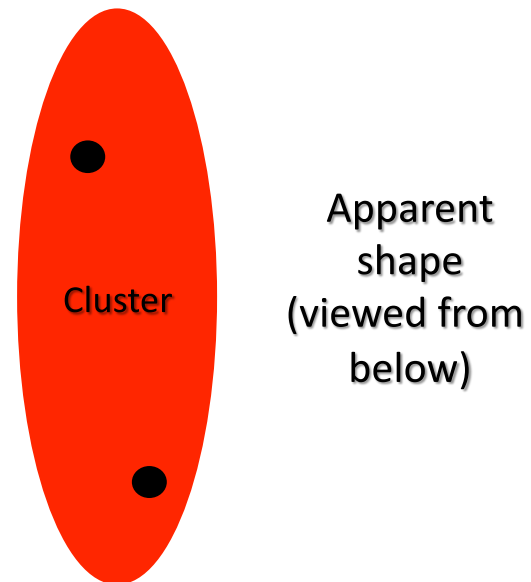
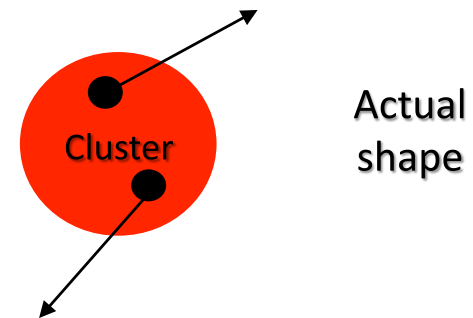
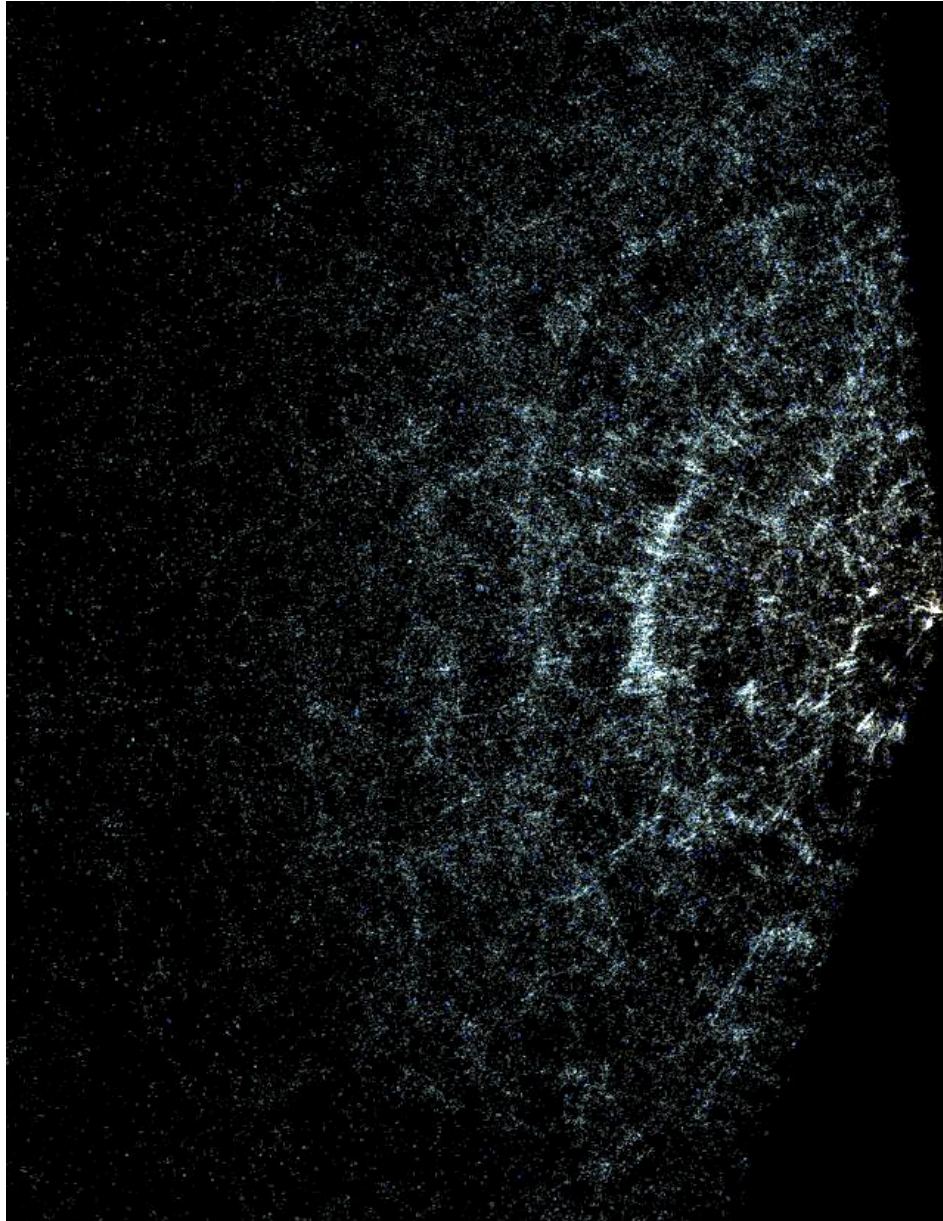


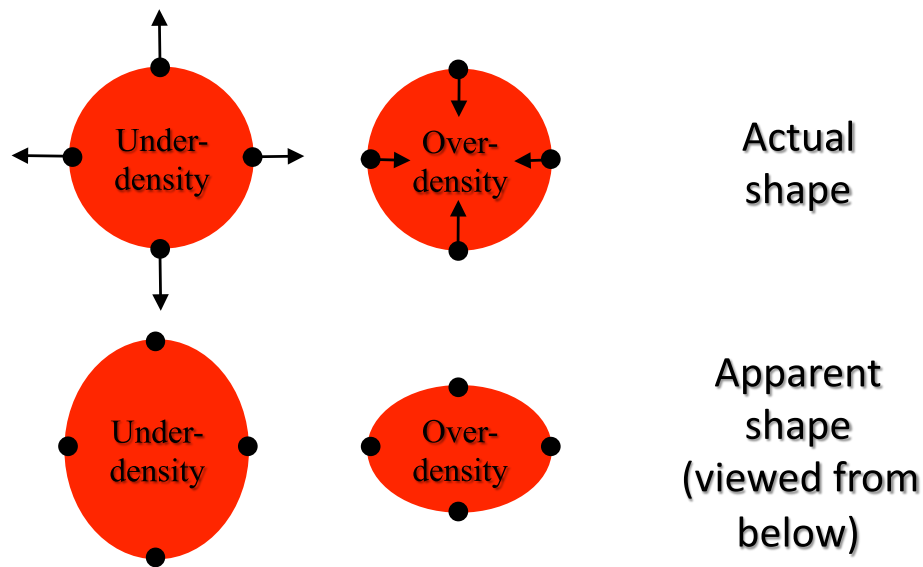
Image of SDSS, from U. Chicago

Redshift-Space Distortions

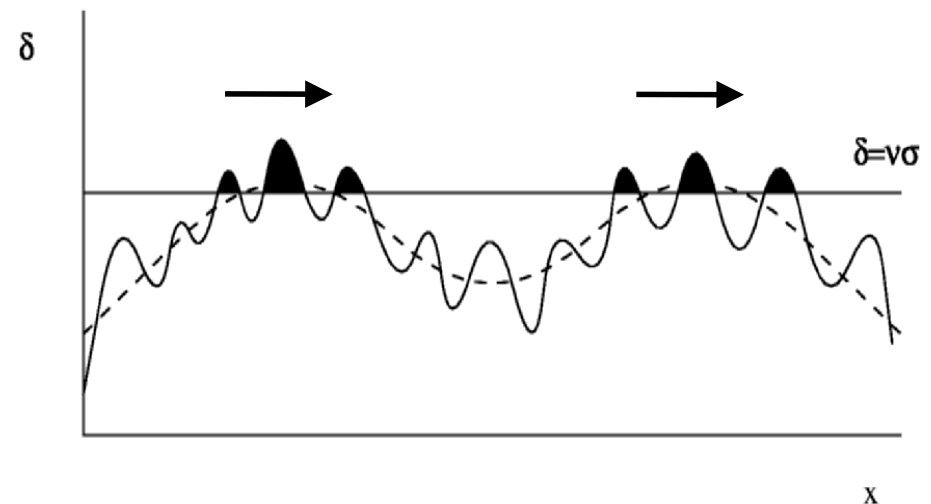


Galaxies act as test particles

Galaxies act as test particles with the flow of matter



On large-scales, the distribution of galaxy velocities is unbiased provided that the positions of galaxies fully sample the velocity field



In fact, we can expect a small peak velocity-bias due to motion of peaks in Gaussian random fields

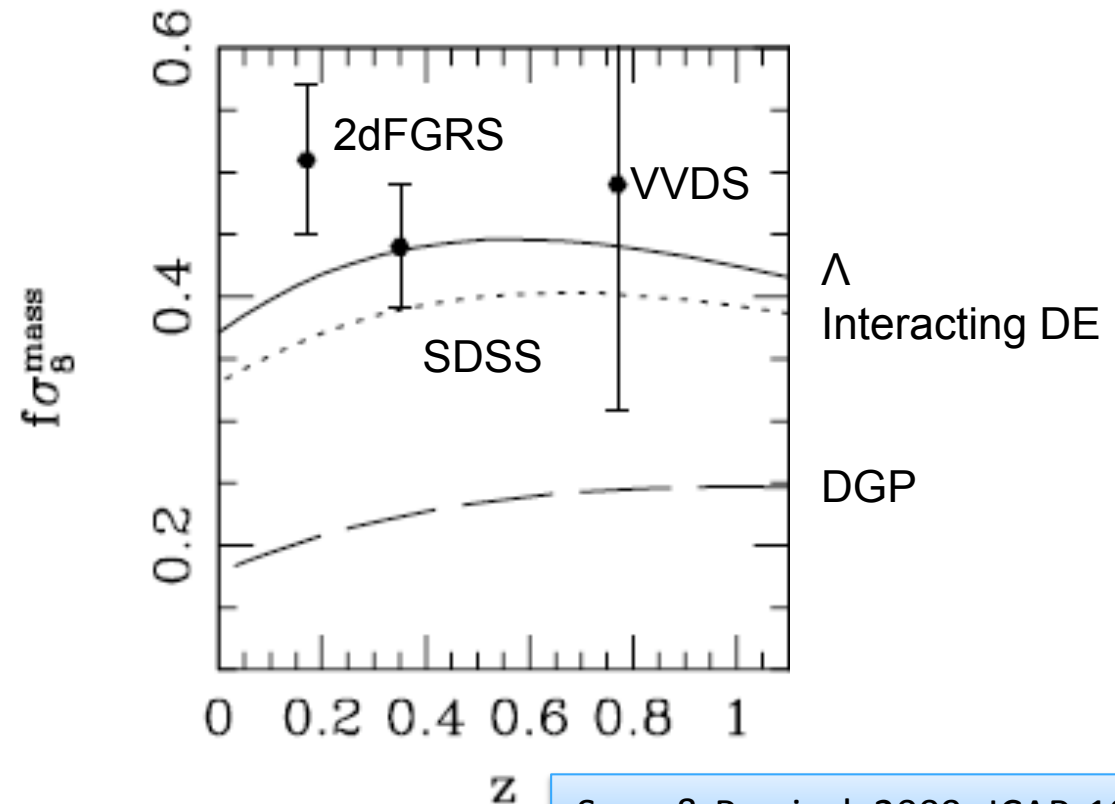
Measurements provide good test of models

Assuming small velocity bias, RSD constrain $f\sigma_8$,
the amplitude of the **velocity** power spectrum

$$\begin{aligned}\delta_{\text{gal}}(k, \mu) &= b\delta_{\text{mass}} + \mu^2 b_v f \delta_{\text{mass}} \\ P_{\text{gal}}(k, \mu) &= P_{\text{mass}}(b^2 + 2\mu^2 b b_v f + \mu^4 b_v^2 f^2)\end{aligned}$$

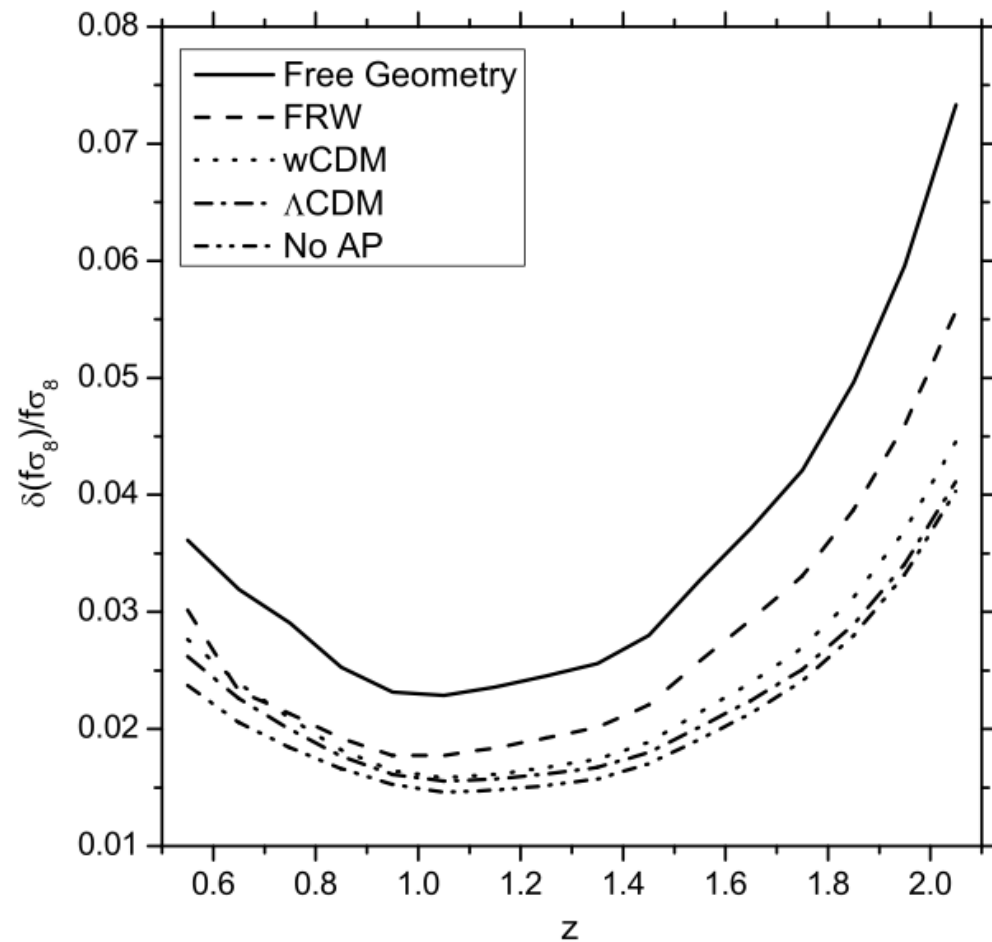
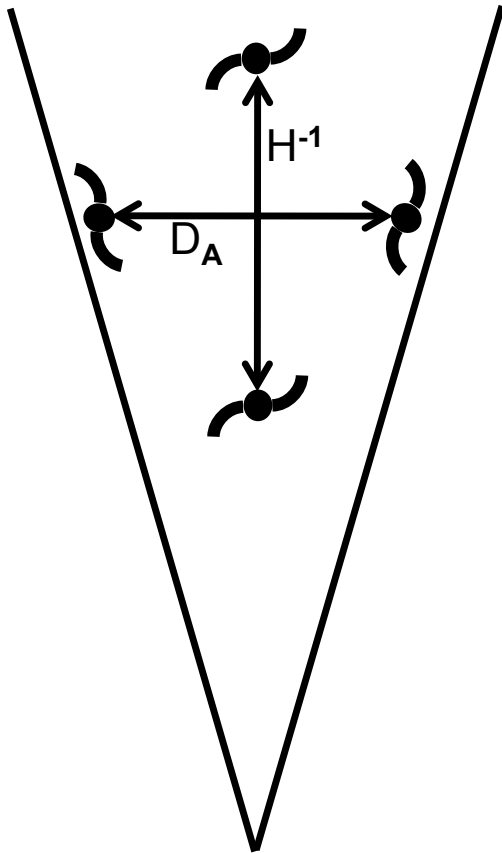
$$f \equiv \frac{d \log D}{d \log a}$$

$$f\sigma_8 \propto \frac{dD}{d \log a}$$



Degeneracies – RSD vs Alcock-Palczynski

RSD distortion resembles distortion obtained by applying wrong distance-redshift relation through $D_A H$ (Alcock-Palczynski effect)

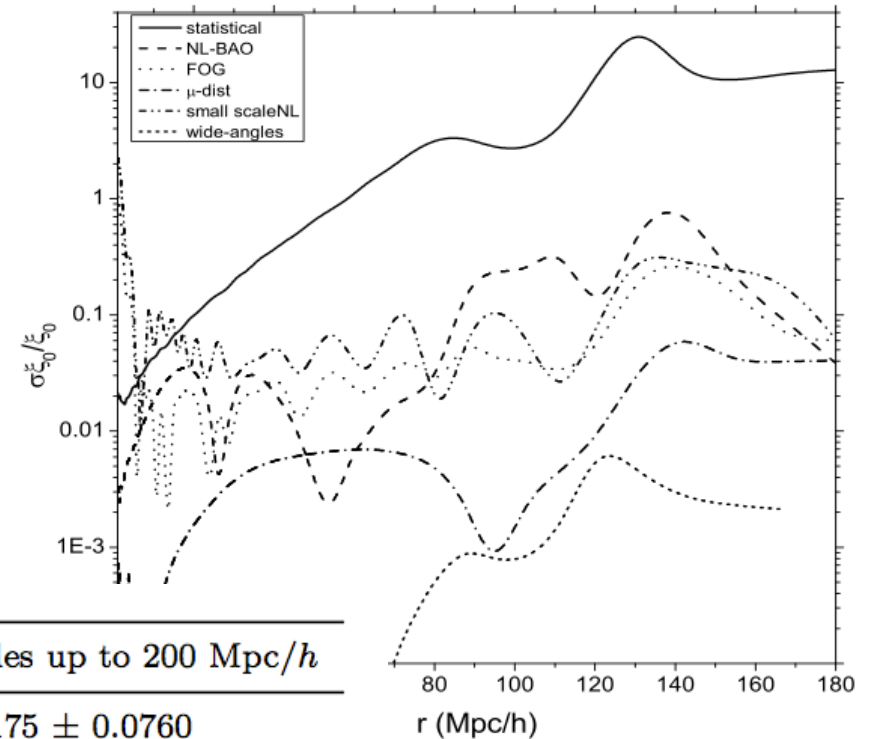


Modeling Redshift-Space Distortions

- Direct estimator for velocity power spectrum
 - Constructed from Legendre moments of anisotropic power
 - shown to work against numerical simulations
 - Percival, White, 2009, MNRAS, 393, 297
- Simulating correct survey geometry
 - Geometry is actually a different triangle for each pair of galaxies
 - Isolated extra effects in simulations and tested models for the first time
 - Raccanelli, Samushai & Percival 2010, arXiv:1006:1652
- Redshift-Space Distortions for projected clustering
 - Angles do not change, but selection function does
 - Can be mitigated by sample selection using pair-centre binning
 - Nock, Percival & Ross 2010, arXiv:1003.0896

Undertaking a robust analysis

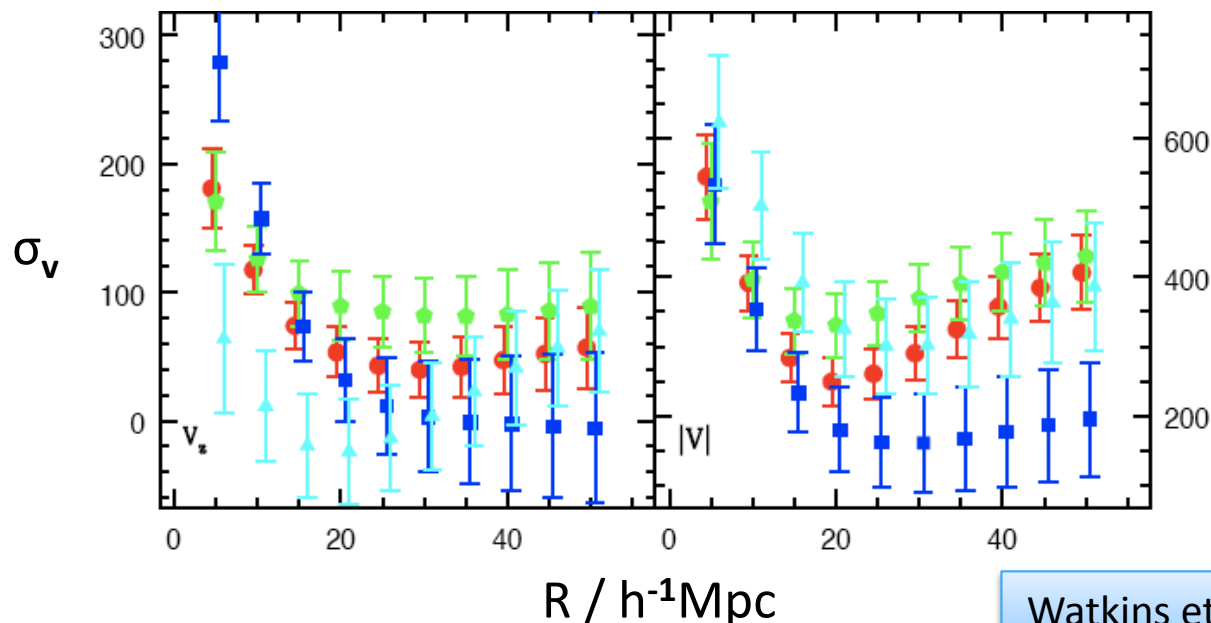
- Consider:
 - Wide-angle effects
 - Non-linear growth of structure
 - Fingers-of-God
 - Non-Gaussian Likelihood



Model	Variable	Scales less than 60 Mpc/h	Scales up to 200 Mpc/h
wCDM	$b(z_1)\sigma_8(z_1)$	1.4949 ± 0.0772	1.5175 ± 0.0760
	$b(z_2)\sigma_8(z_2)$	1.5316 ± 0.0717	1.57435 ± 0.0672
γ	$b(z_1)\sigma_8(z_1)$	1.5462 ± 0.0911	1.6098 ± 0.0840
	$b(z_2)\sigma_8(z_2)$	1.5522 ± 0.0916	1.5882 ± 0.0727
	γ	0.6545 ± 0.1100	0.6007 ± 0.1206
Free growth	$b(z_1)\sigma_8(z_1)$	1.4733 ± 0.0640	1.4388 ± 0.0619
	$b(z_2)\sigma_8(z_2)$	1.4557 ± 0.0496	1.5038 ± 0.0436
	$f(z_1)\sigma_8(z_1)$	0.3930 ± 0.0457	0.3481 ± 0.0594
	$f(z_2)\sigma_8(z_2)$	0.4328 ± 0.0370	0.4522 ± 0.0418

Comparison with bulk velocity results

- Some recent measurements of nearby bulk velocities claim discordance with Λ CDM
- RSD and bulk flow observations try to measure the same thing
The amplitude of the linear velocity power spectrum σ_v , $f\sigma_8$ are both ways of normalizing the fluctuations
- Measurements are made on fundamentally different scales



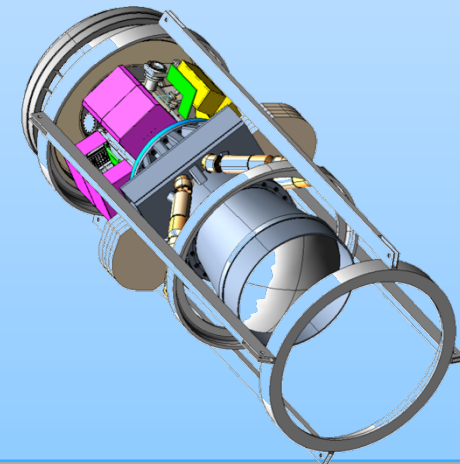
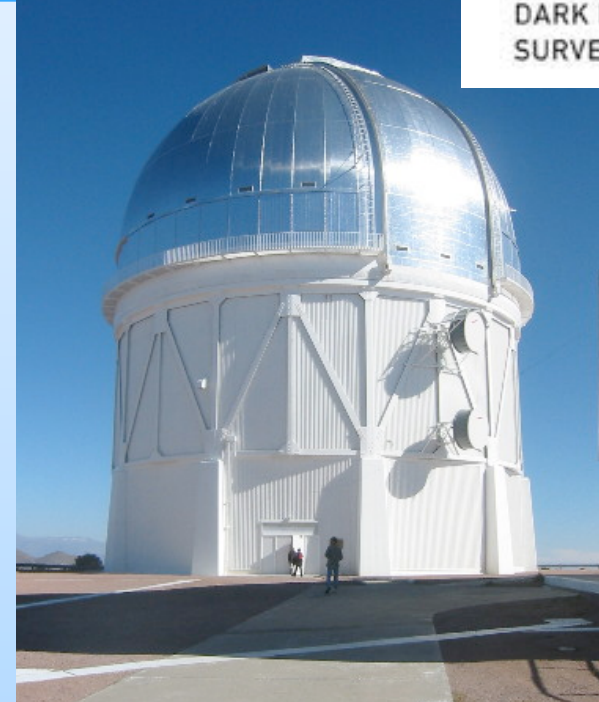
Future surveys

Dark Energy Survey (DES)



DARK ENERGY
SURVEY

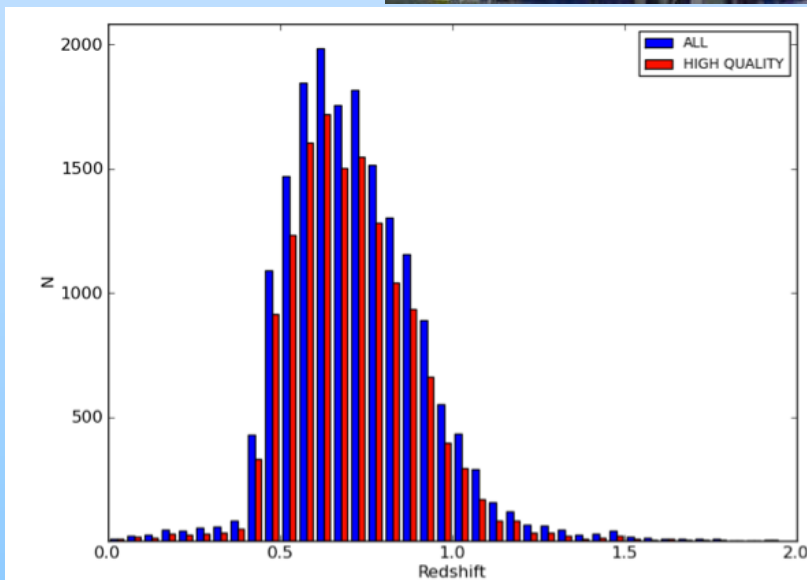
- New wide-field camera for the 4m Blanco telescope
- Currently being moved from Fermilab to site, Survey due to start autumn 2011
- $\Omega = 5,000\text{deg}^2$
- multi-colour optical imaging (g,r,i,z) with link to IR data from VISTA hemisphere survey
- 300,000,000 galaxies
- Aim is to constrain dark energy using 4 probes
LSS/BAO, weak lensing, supernovae
cluster number density
- Redshifts based on photometry
weak radial measurements
weak redshift-space distortions
- See also: Pan-STARRS, VST-VISTA, SkyMapper



VIMOS Public Extragalactic Redshift Survey (VIPERS)



- Uses upgraded VIMOS on VLT
- $\Omega = 24\text{deg}^2$
- 100,000 galaxies
- emission line galaxies: $0.5 < z < 1.0$
- insufficient volume for BAO measurement
- Unique redshift-space distortion science
- 18,500 redshifts from pre-upgrade data
- expect $\sim 10,000$ redshifts this season
- see also: FMOS surveys



Baryon Oscillation Spectroscopic Survey (BOSS)

- New fibre-fed spectroscope now on the 2.5m SDSS telescope
- $\Omega = 10,000\text{deg}^2$
- 1,500,000 galaxies
- 150,000 quasars
- LRGs : $z \sim 0.1 - 0.7$ (direct BAO)
- QSOs : $z \sim 2.1 - 3.0$ (BAO from Ly- α forest)
 - $0.1 < z < 0.3$: 1% d_A , 1.8% H
 - $0.4 < z < 0.7$: 1% d_A , 1.8% H
 - $z \sim 2.5$: 1.5% d_A , 1.2% H
- Cosmic variance limited to $z \sim 0.6$: as good as LSS mapping will get with a single ground based telescope
- Leverage existing SDSS hardware & software where possible: part of SDSS-III
- Sufficient funding is in place and project is 1 year into 5 year duration
- All imaging data now public (DR8 12/01/11)
- See also: WiggleZ

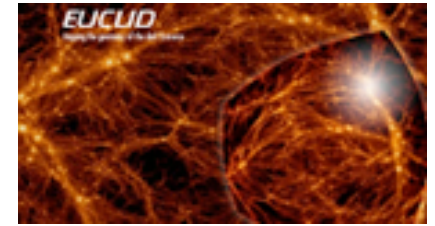


BigBOSS

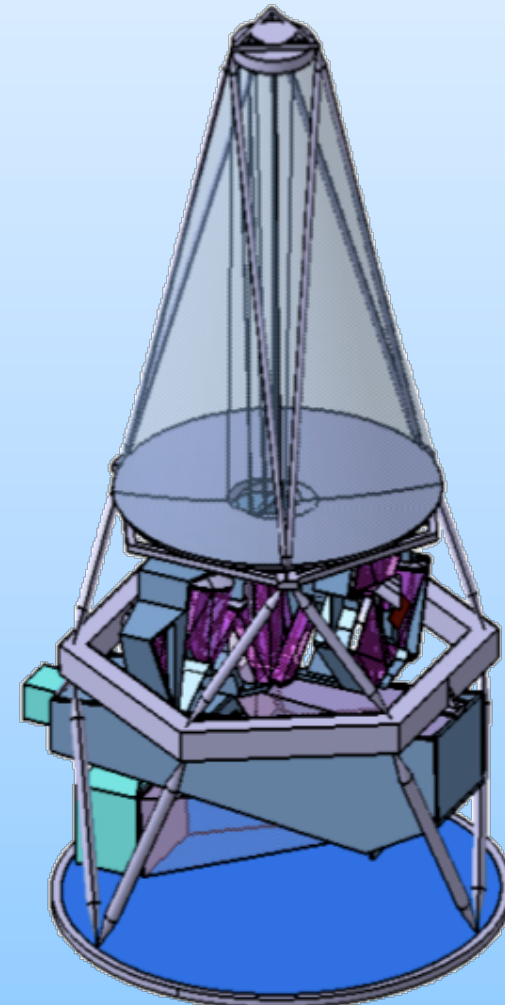
- New fibre-fed spectroscope proposed for 4m Mayall telescope
- NOAO endorsement following proposal evaluation
- $\Omega = 14,000\text{deg}^2 - 25,000\text{deg}^2$
- 20,000,000 galaxies (direct BAO)
- 600,000 quasars (BAO from Ly- α forest)
- LRGs : $z \sim 0.1 - 1.0$
- ELGs: $z \sim 0.5 - 1.7$
- QSOs : $40/\text{deg}^2$, $z \sim 2.1 - 3.0$
 - $z < 0.5$: 0.9% d_A , 1.5% H
 - $0.5 < z < 1$: 0.4% d_A , 0.6% H
 - $z > 1$: 0.6% d_A , 0.8% H
- Cosmic variance limited to $z \sim 1.4$
- See also: DESpec, WEAVE, other instruments on 4m-class telescopes?



Euclid



- ESA Cosmic Vision satellite proposal (600M€, M-class mission)
- 5 year mission, L2 orbit
- 1.2m primary mirror, 0.5 sq. deg FOV
- $\Omega = 20,000\text{deg}^2$ imaging and spectroscopy
- slitless spectroscopy:
 - 100,000,000 galaxies (direct BAO)
 - ELGs (H-alpha emitters): $z \sim 0.5-2.1$
- imaging:
 - deep broad-band optical + 3 NIR images
 - 2,900,000,000 galaxies (for WL analysis)
 - photometric redshifts
- Space-base gives robustness to systematics
- Final down-selection due mid 2011
- nominal 2017 launch date
- See also: LSST, WFIRST



Current large-scale galaxy clustering measurements

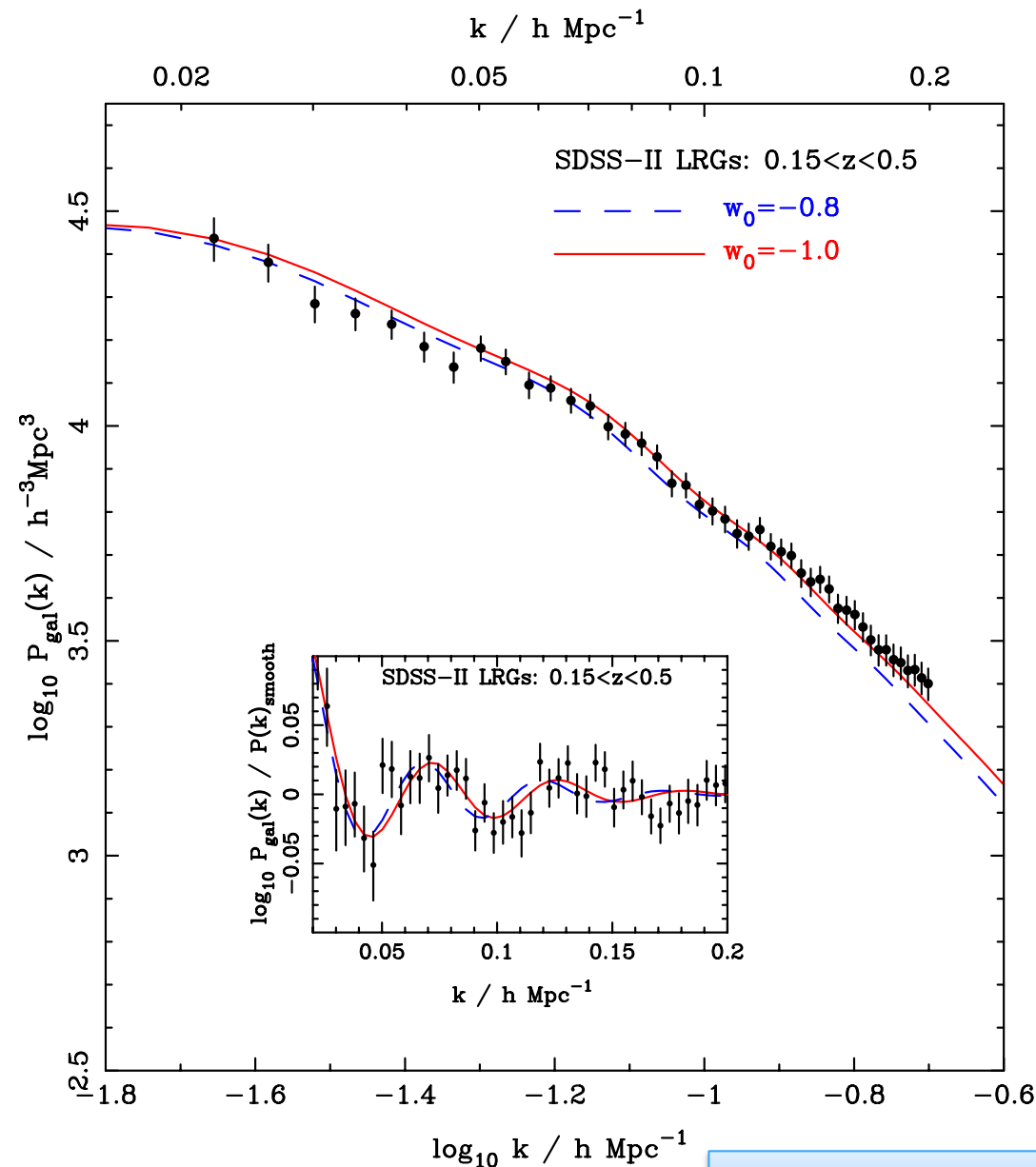
SDSS LRGs at $z \sim 0.35$

The largest volume
of the Universe
currently mapped

Total effective
volume

$$V_{\text{eff}} = 0.26 \text{ Gpc}^3 h^{-3}$$

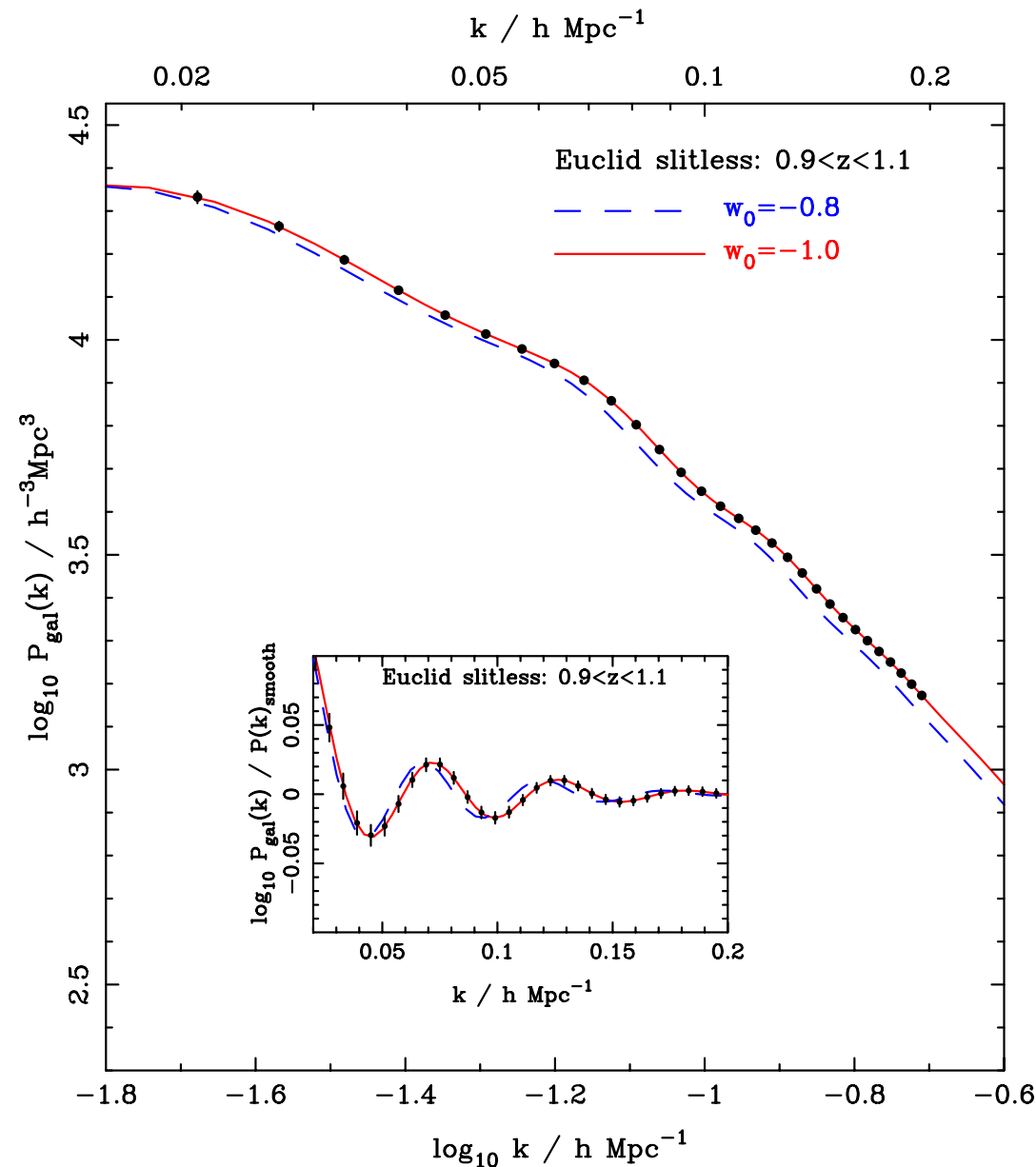
Power spectrum
gives amplitude of
Fourier modes,
quantifying
clustering strength
on different scales



Predicted galaxy clustering measurements by Euclid

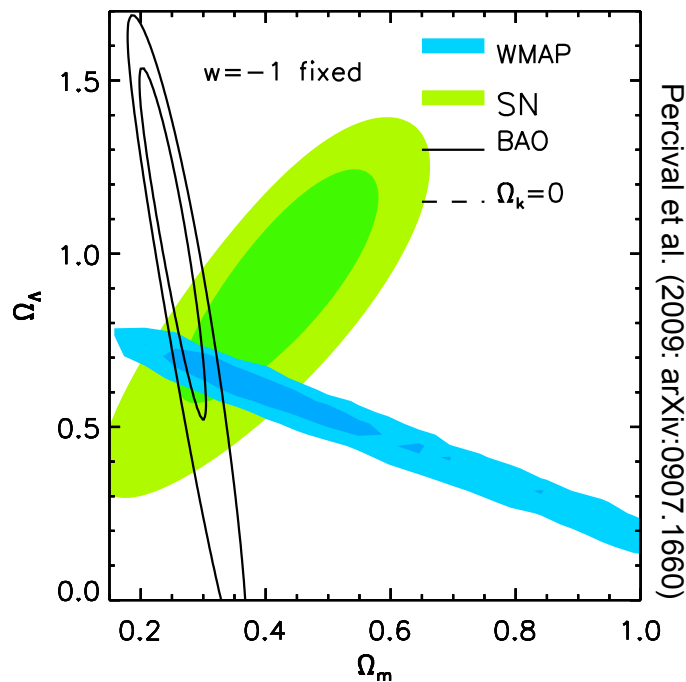
20% of the Euclid data, assuming the slitless baseline at $z \sim 1$

Total effective volume (of Euclid)
 $V_{\text{eff}} = 19.7 \text{ Gpc}^3 h^{-3}$

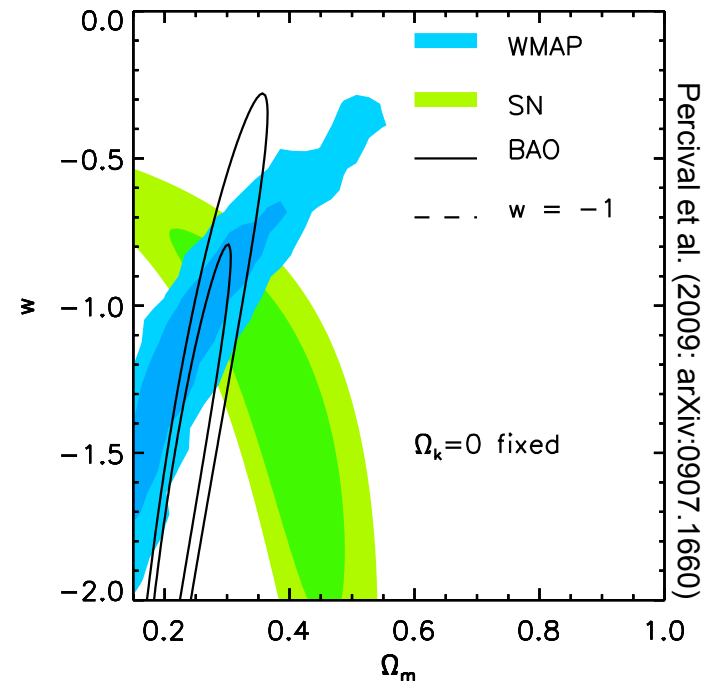


Current BAO constraints vs other data

Λ CDM models with curvature



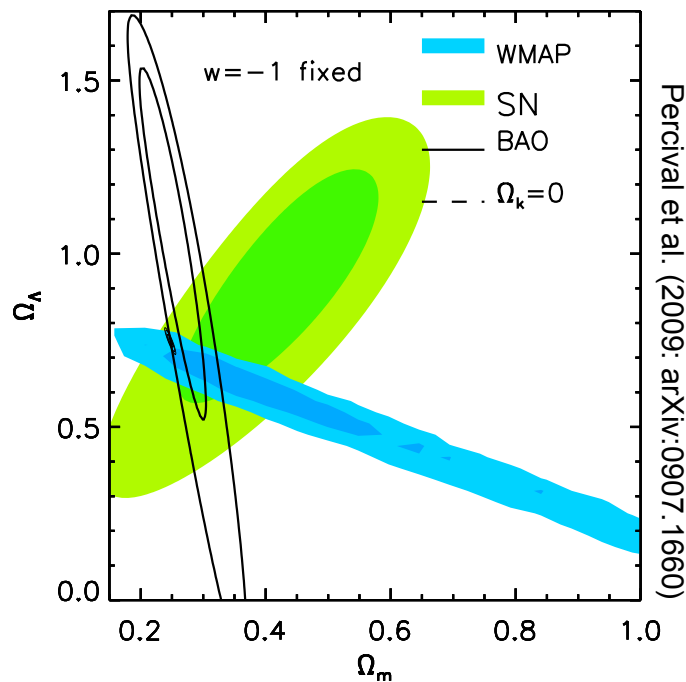
flat wCDM models



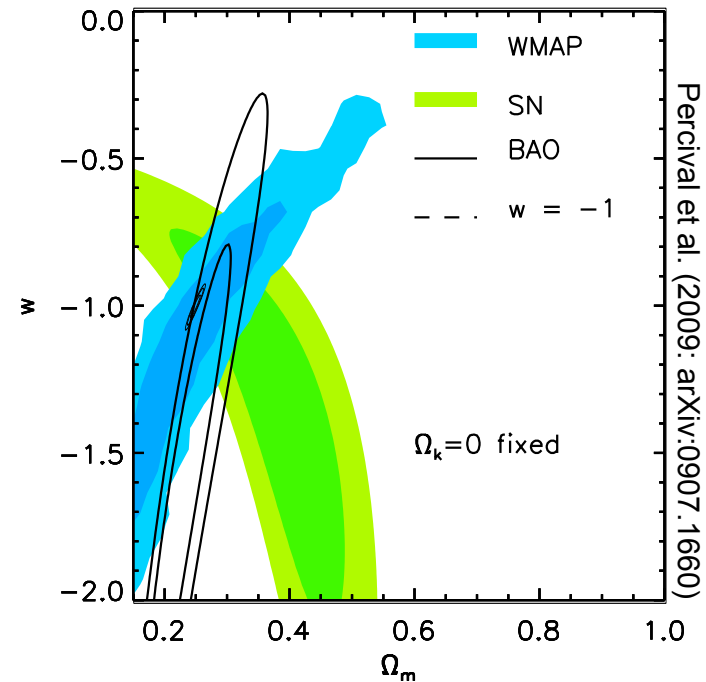
-  Union supernovae
-  WMAP 5year
-  SDSS-II BAO Constraint on $r_s(z_d)/D_V(0.2)$ & $r_s(z_d)/D_V(0.35)$

How does Euclid BAO compare?

Λ CDM models with curvature



flat wCDM models



-  Union supernovae
-  WMAP 5year
-  SDSS-II BAO Constraint on $r_s(z_d)/D_V(0.2)$ & $r_s(z_d)/D_V(0.35)$

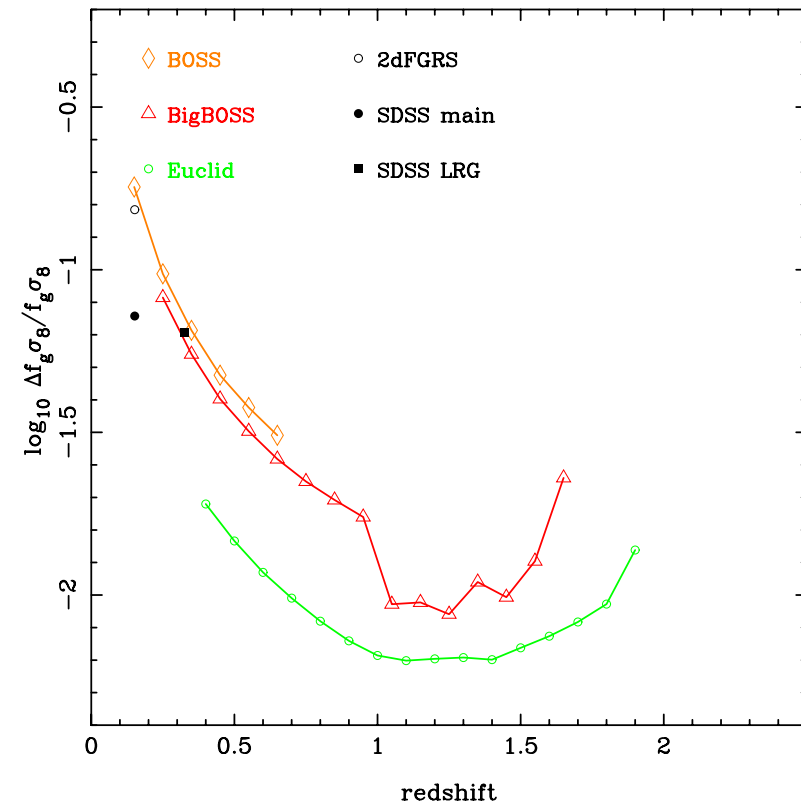
Expected errors: RSD

Fisher matrix is statistical tool to translate from errors on parameters that you think you know (e.g. $P(k)$) to errors on parameters that you want to know (e.g. $f\sigma_8$, Ω_m , Ω_b , h , etc) in an optimal way

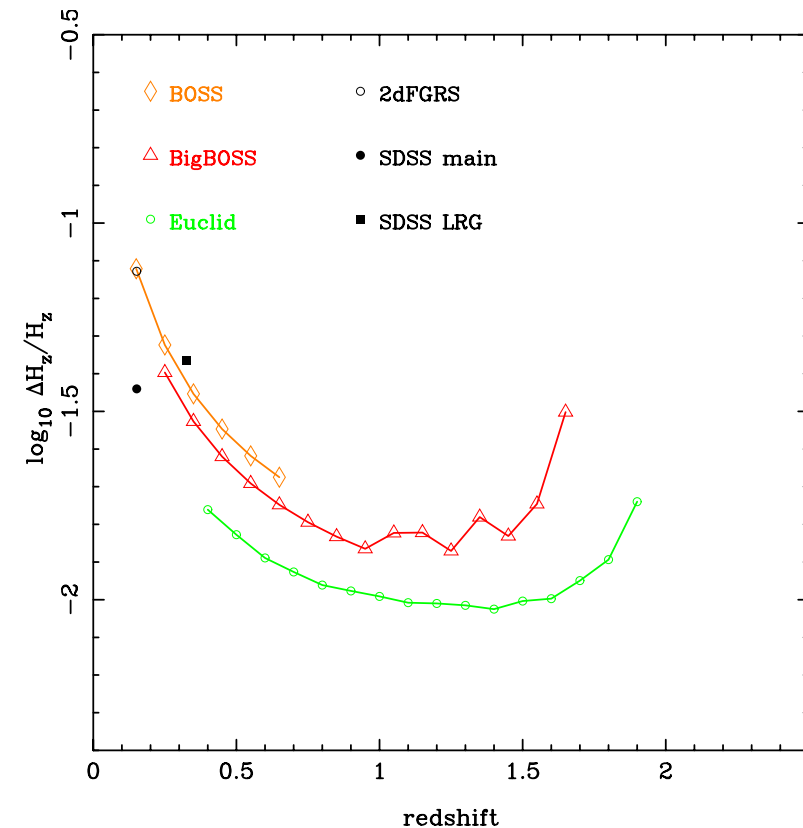
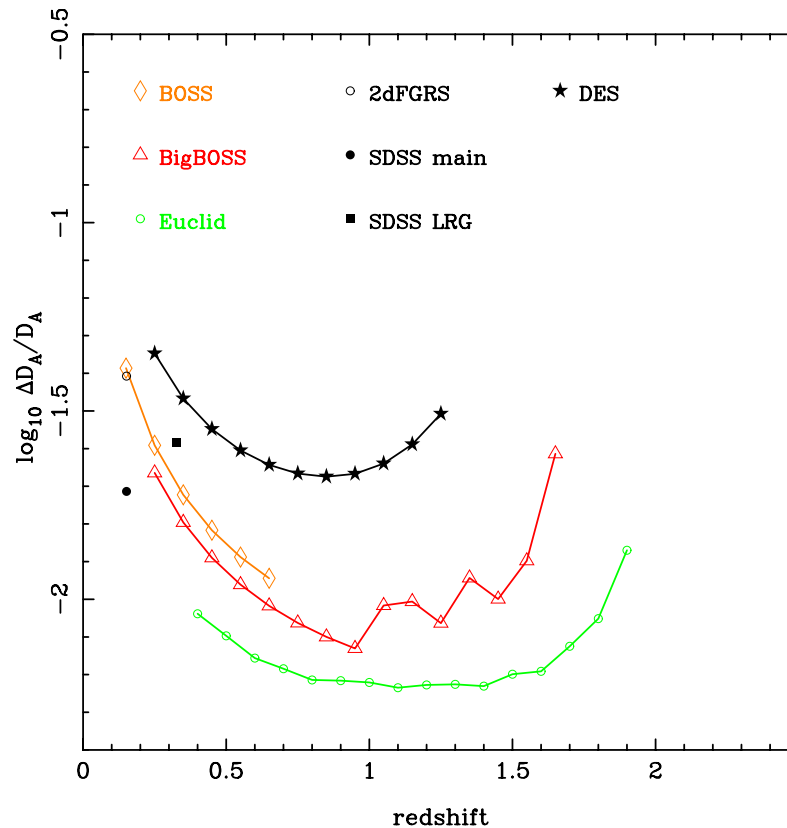
For overdensities, can base method on δ or $P(k)$ as the “observed” quantity: give the same result

Code to estimate errors on $f\sigma_8$ is available from:

<http://mwhite.berkeley.edu/Redshift>



Expected errors: BAO



Code to estimate these errors from BAO observations is available from:

http://cmb.as.arizona.edu/~eisenste/acousticpeak/bao_forecast.html

Summary

- Galaxy clustering will help to answer remaining questions for astrophysical and cosmological models
- Shape of the power spectrum
 - measures galaxy properties (e.g. faint red galaxies)
 - neutrino masses (current systematic limit)
 - models of inflation
- Baryon acoustic oscillations
 - sets geometrical constraints on evolution
- Redshift-space distortions
 - avoids density bias – galaxies act as test particles
 - structure formation test so complementary to geometrical tests
 - similar to weak lensing but tests only temporal metric fluctuations
- Future surveys
 - next generation underway giving an order of magnitude better constraints
 - many different avenues being explored for future projects
 - exciting developments over the next 10–20 years

Summary: Cosmological Physics from 2-pt statistics

Information from geometry: we measure angles, redshifts

- Galaxy clustering as a standard ruler
- Baryon Acoustic Oscillations
- Alcock-Paczynski effect

Primordial power spectrum

- Matter density
- Baryon density
- Neutrino mass
- Inflation fluctuation spectrum
- f_{NL}

$$P_{\text{gal}}(k, \mu, a) = k^n T^2(k) D^2(a) [b(a) + f(a) \mu^2]^2$$

k = comoving wavenumber
 μ = $\cos(\text{angle to line-of-sight})$
 a = cosmological scale factor
 b = galaxy bias factor
 D = linear growth rate
 f = $d \ln D / d \ln a$

Information from structure growth

- amplitude of power spectrum
- redshift-space distortions