

# Accreting neutron stars and black holes



Credit: Stuart Littlefair

Rudy Wijnands  
Anton Pannekoek Institute for Astronomy  
University of Amsterdam

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Bologna, Italy

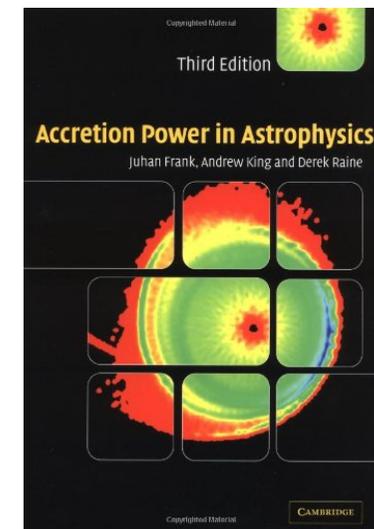
# Why study accreting neutron stars and black holes?

## Accreting NSs and BHs: X-ray binaries

- Accretion physics
  - Neutron star and black hole physics
    - Ultra-dense matter
    - Strong to very strong gravity fields
    - Super strong magnetic fields
  - Binary evolution
    - Extreme end points of evolution
  - Galaxy evolution
- 
- Today
- Tomorrow

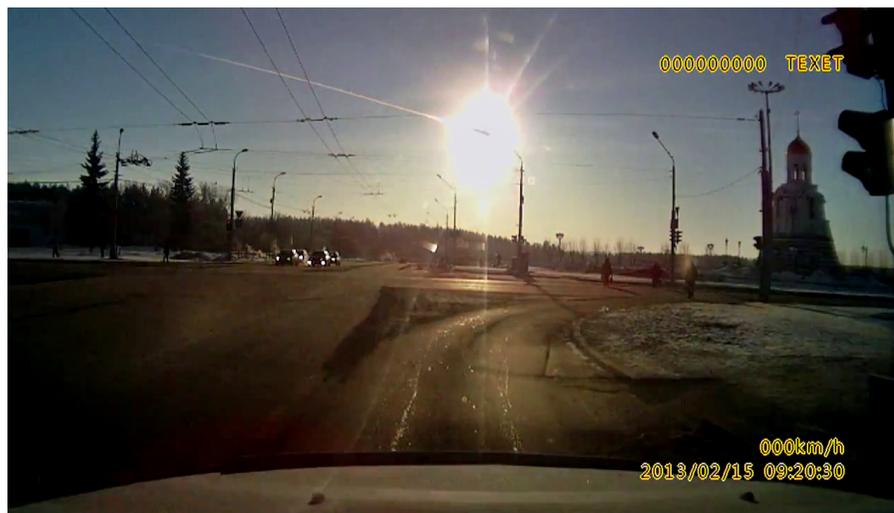
# What is accretion?

- **An increase in the mass of an object by the collection of surrounding gasses or objects by gravity**
- Accretion is a very important process in astronomy!
- Accretion is an extremely powerful process to release fast amounts of energy
  - Especially for accretion NSs and BHs
- Text book: Frank, King, & Raine  
“Accretion Power in Astrophysics”



# Solar system bodies

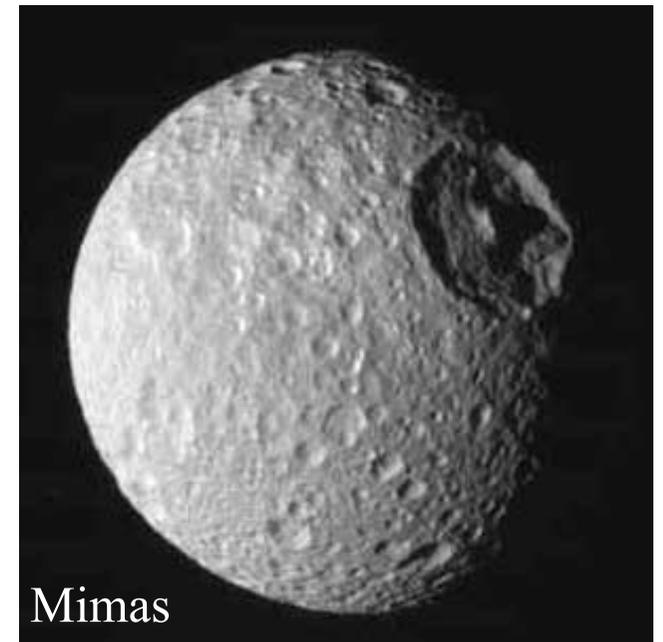
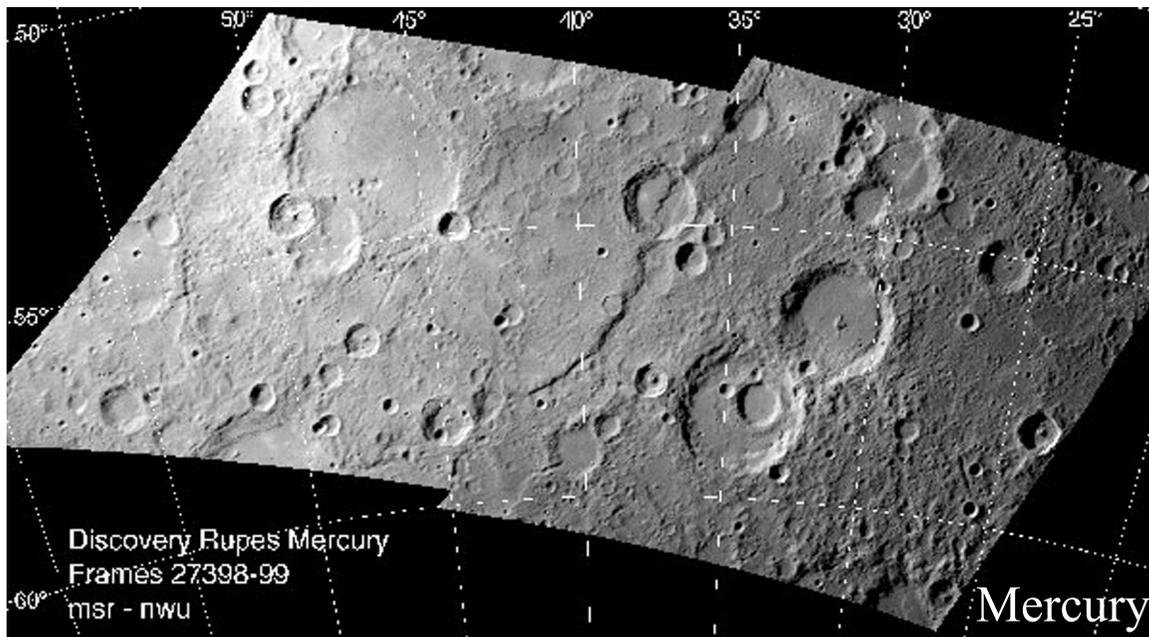
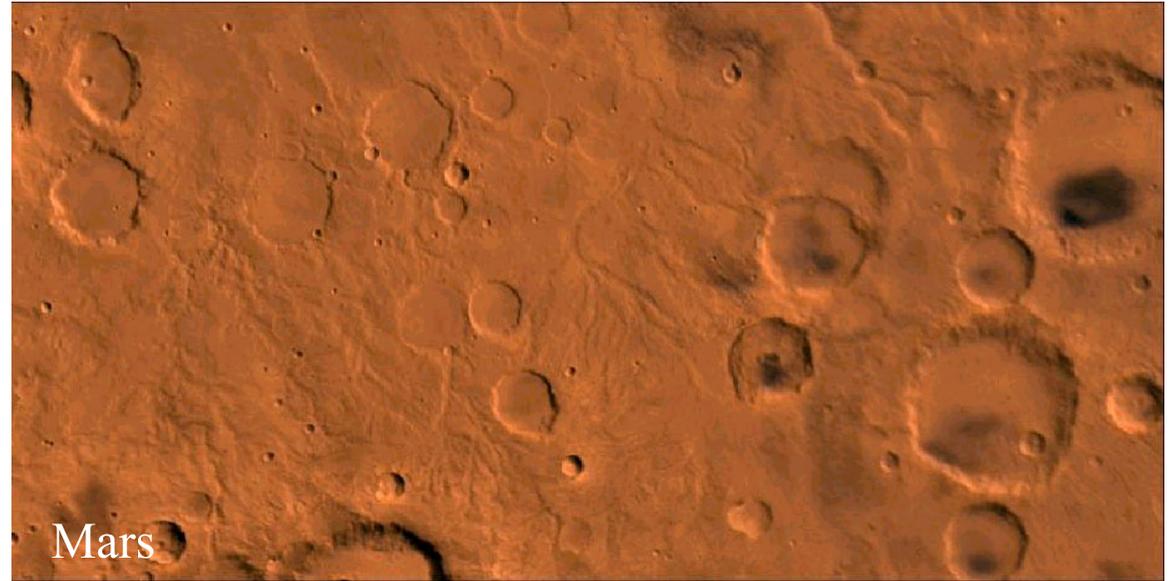
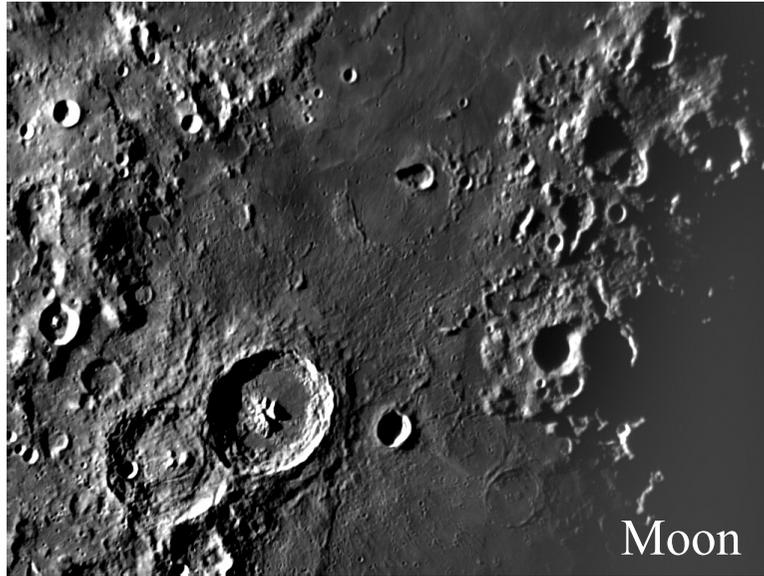
Earth



Chelaybinsk, Russia, February 15, 2013

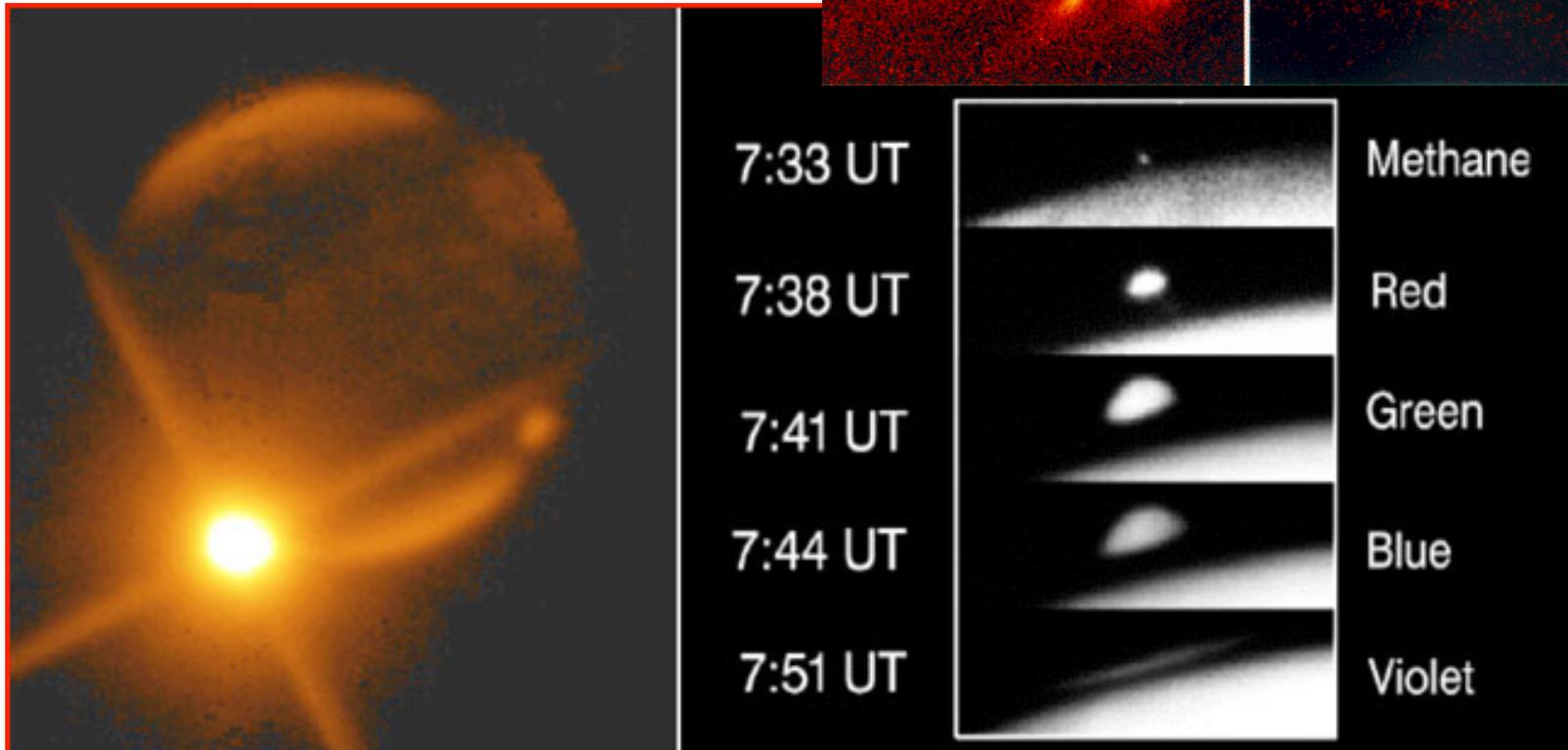
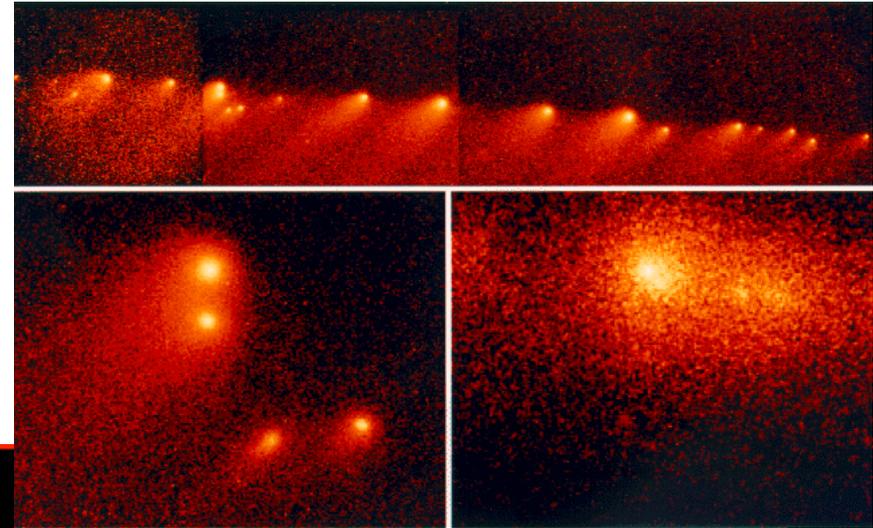


# Craters on planets and moons

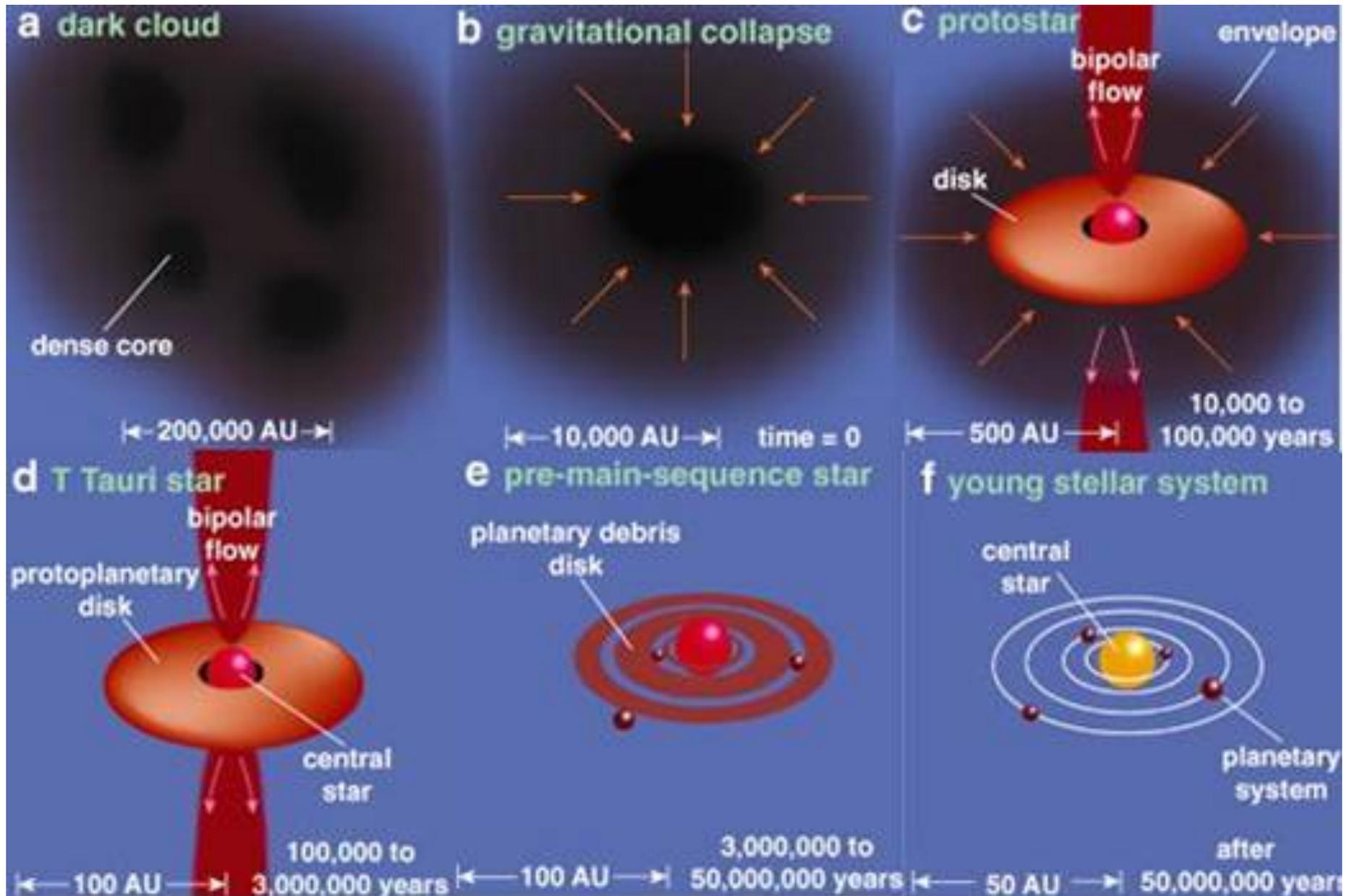


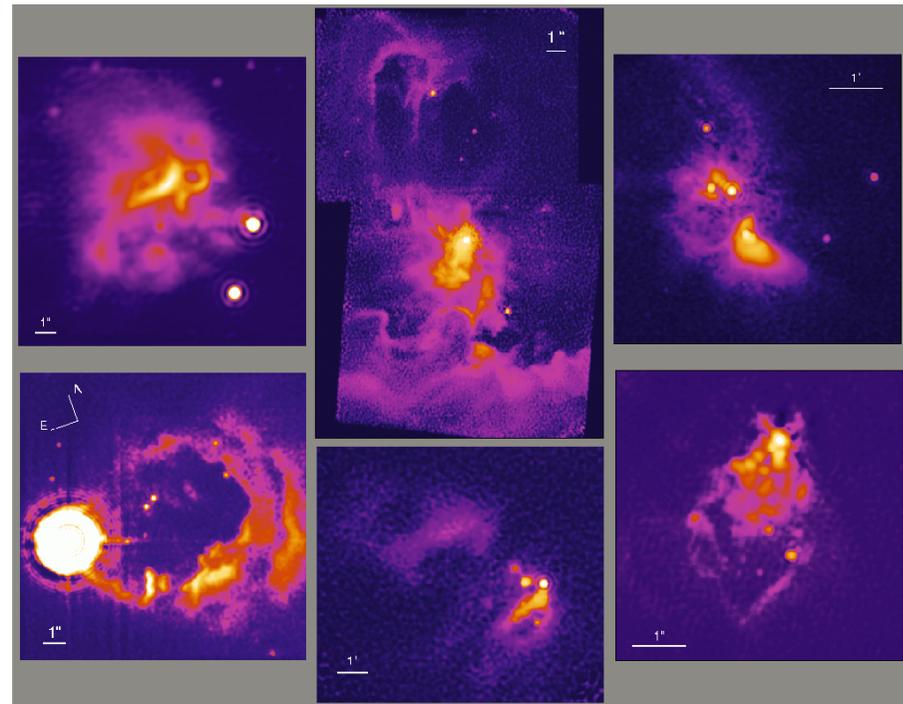
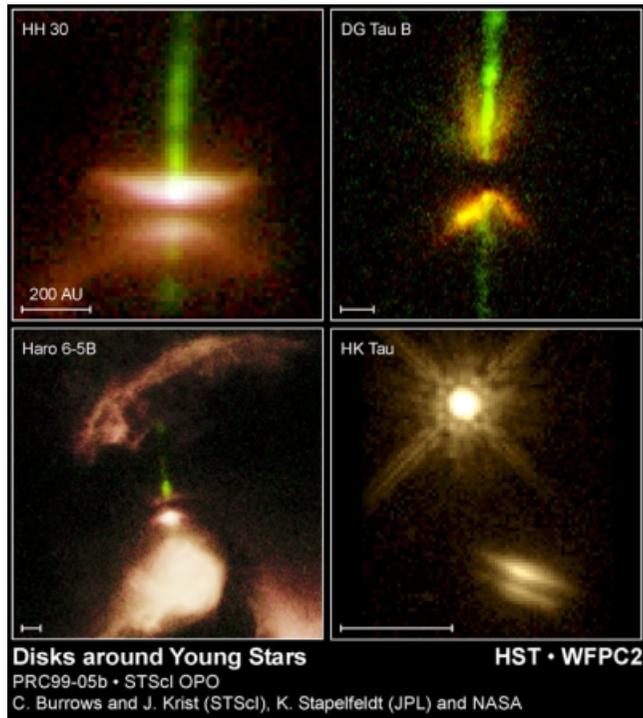
# Jupiter and Shoemaker-Levy 9

- July 16-22, 1994

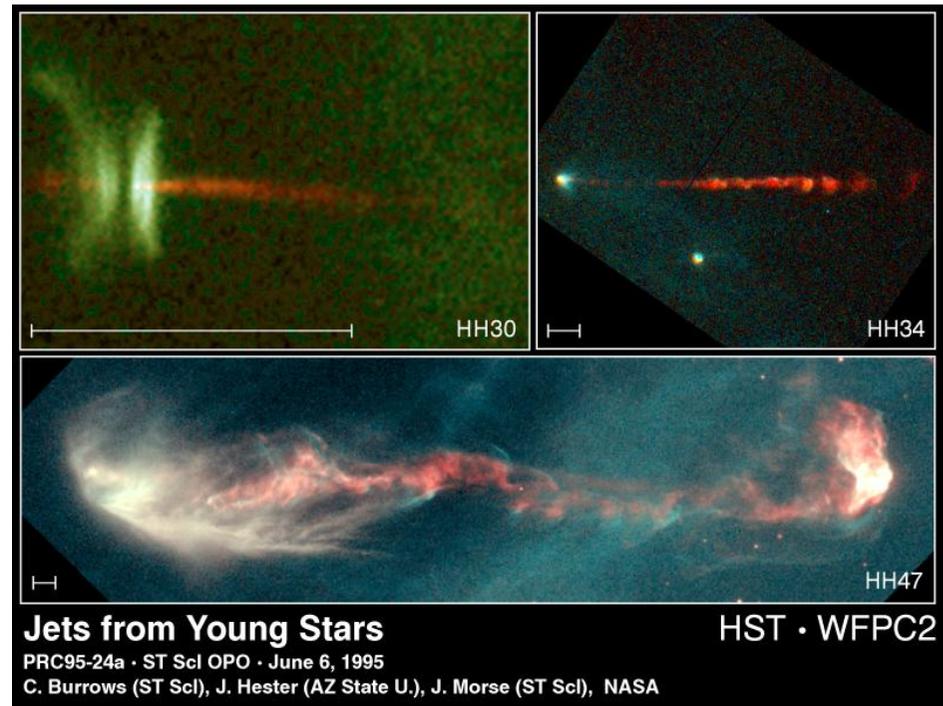
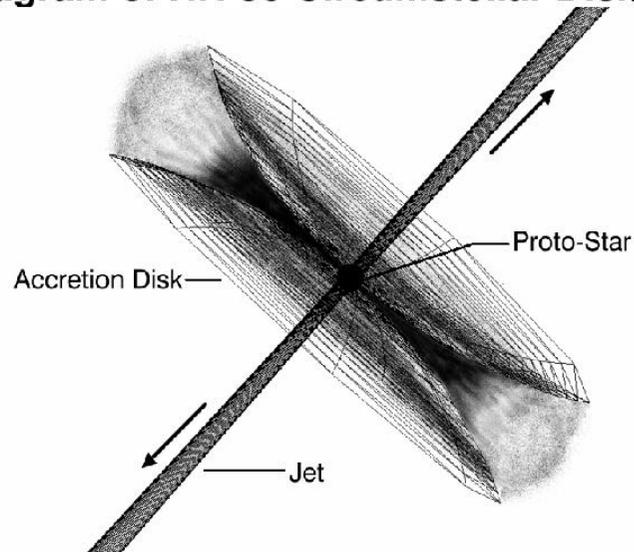


# Young stellar objects



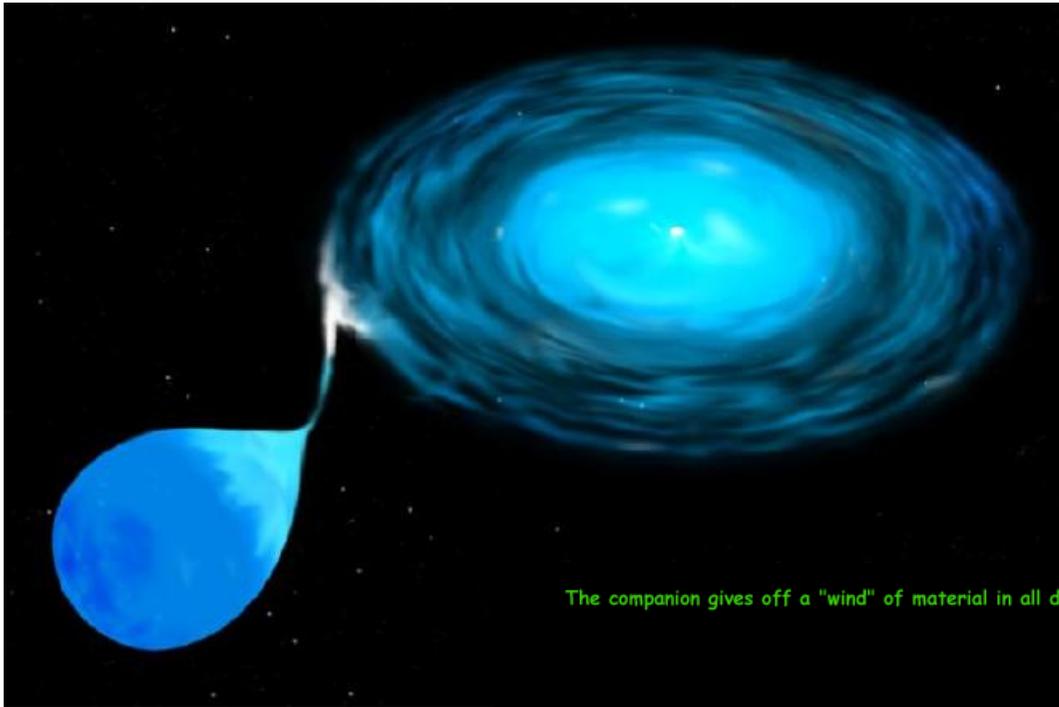


**Diagram of HH 30 Circumstellar Disk & Jet**

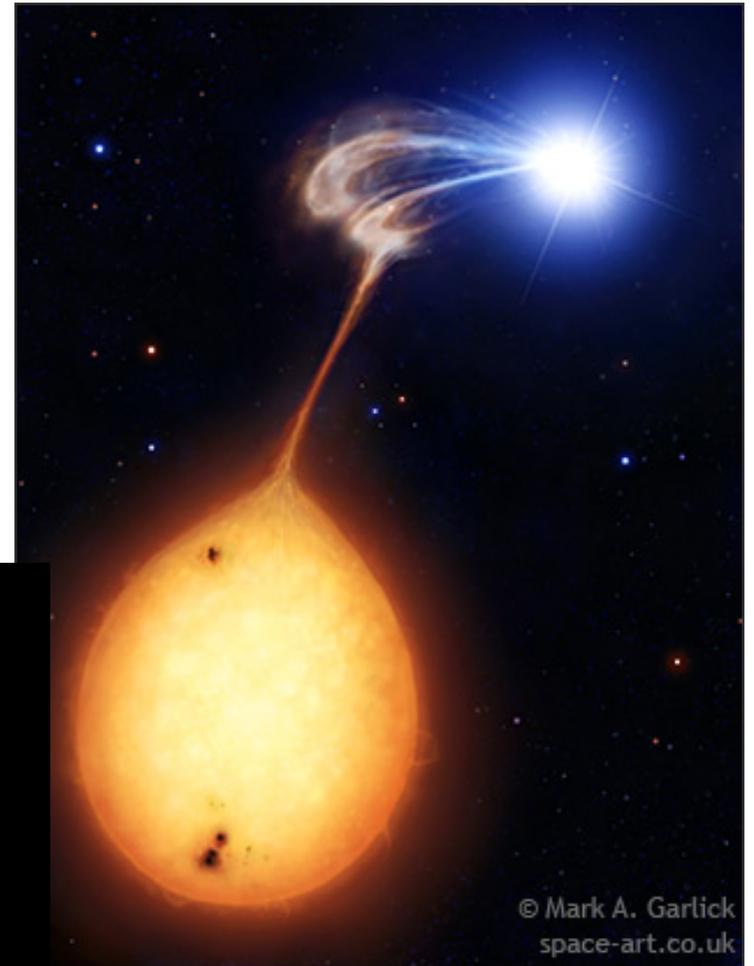


# Compact stars

- White dwarfs, neutron stars, black holes



The companion gives off a "wind" of material in all directions...



© Mark A. Garlick  
space-art.co.uk





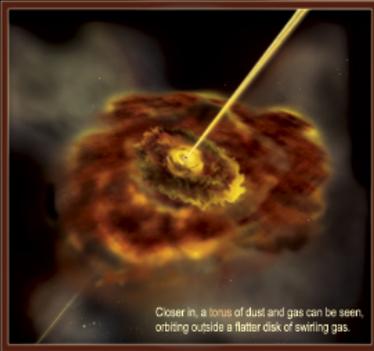
# ACTIVE GALAXIES



## Zooming In On A Galaxy With Jets



The long view of an active galaxy is dominated by lobes of radio emission caused by highly focused twin jets of matter streaming out from the galaxy nucleus.



Closer in, a torus of dust and gas can be seen, orbiting outside a flatter disk of swirling gas.



In an extreme close-up, the black hole in the center is surrounded by a flat accretion disk of rapidly orbiting material. The jets are emitted at right angles from the plane of the disk, driven by physics still not well understood.

## What we see depends on how we view it ...

An active galaxy is one in which a tremendous amount of energy is emitted from the nucleus. Active galaxies take many forms; some have exquisitely bright nuclei pouring forth high-energy photons, some have high-energy nuclei but appear to be surrounded by a more-or-less "normal" galaxy, while some have long, narrow jets or beams of matter streaming out from the center. Displayed here is an illustration of an active galaxy that has jets. The nucleus of this galaxy contains a supermassive black hole - the engine that powers the phenomena we see. Following its launch, the Gamma-ray Large Area Space Telescope (GLAST) will see thousands of these types of active galaxies.

All the images are artist's conceptions unless otherwise noted.

Viewing down the jet

Viewing at an angle to the jet

Viewing at 90° from the jet

### Definitions

**Accretion Disk:** The flattened disk of matter swirling just outside the black hole.

**Active Galaxy:** A galaxy with an unusually large amount of energy emitted from the nucleus.

**Black Hole:** An object so small and dense that the escape velocity is faster than the speed of light. In an active galaxy, the central black hole may have millions or even billions of times the Sun's mass.

**Blazar:** A quasar that one is viewing directly down the jet axis.

**Jet:** A thin, highly focused beam of matter and energy emitted from the nuclei of some active galaxies. Jets can be hundreds of thousands of light years long.

**Nucleus:** The central region of a galaxy

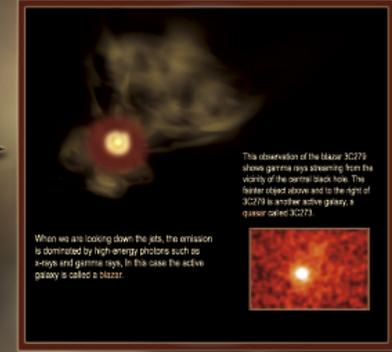
**Quasar:** An active galaxy so distant it appears star-like.

**Radio Lobe:** A large radio wave-emitting cloud of matter located at the ends of the jets in some active galaxies, formed when the matter from the jet is slowed by intergalactic material.

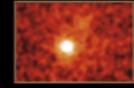
**Torus:** A doughnut-shaped object, gas and dust outside the accretion disk in an active galaxy orbit the central black hole in a torus-shaped region.



## Different Angles On A Galaxy With Jets

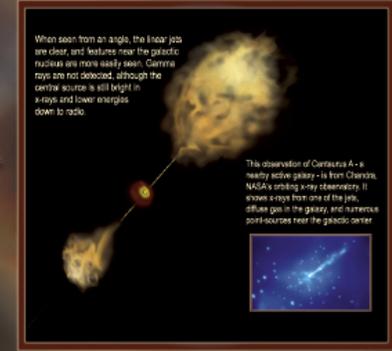


When we are looking down the jets, the emission is dominated by high-energy photons such as X-rays and gamma rays. In this case the active galaxy is called a blazar.



This observation of the blazar 3C279 shows gamma rays streaming from the vicinity of the central black hole. The blazar object above and to the right of 3C279 is another active galaxy, a quasar called 3C273.

Image credit: CORBIS/Icon, Compton Gamma Ray Observatory, NASA

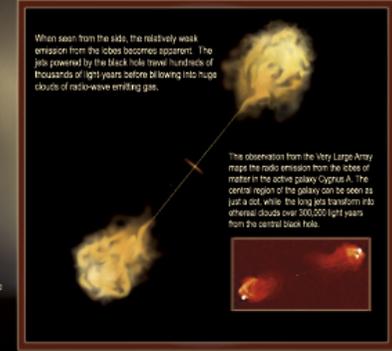


When seen from an angle, the linear jets are clear, and features near the galactic nucleus are more easily seen. Gamma rays are not detected, although the central source is still bright in X-rays and lower energies down to radio.



This observation of Centaurus A is a nearby active galaxy - via from Chandra, NASA's orbiting X-ray observatory. It shows X-rays from one of the jets, diffuse gas in the galaxy, and numerous point sources near the galactic center.

Image credit: NASA/SOHO/Kell et al.

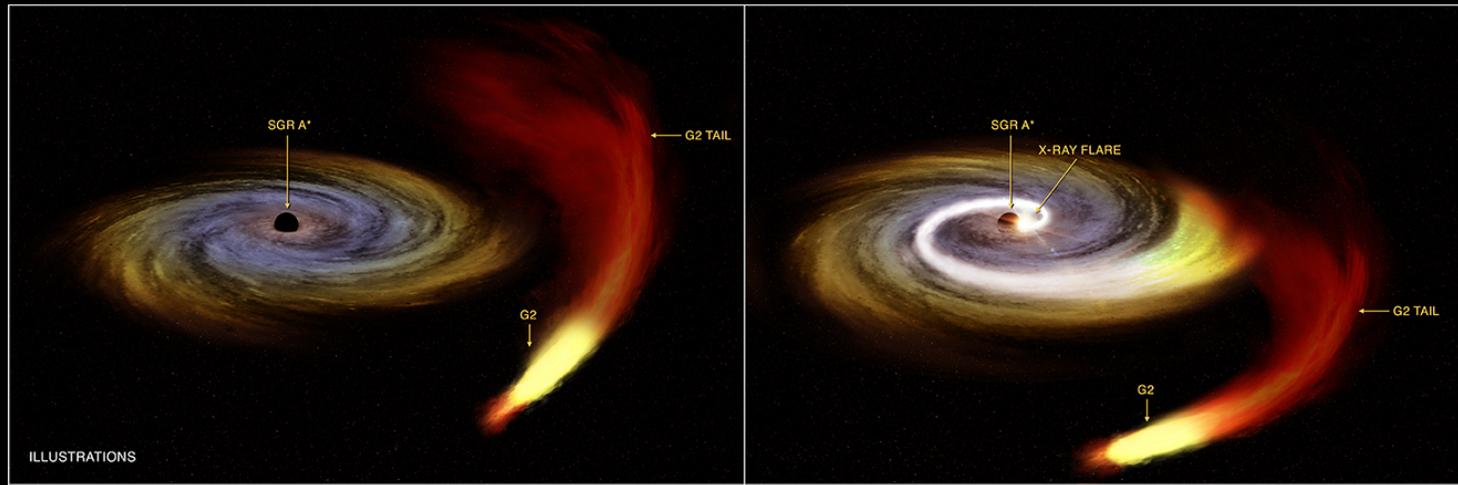


When seen from the side, the relatively weak emission from the lobes becomes apparent. The jets powered by the black hole travel hundreds of thousands of light years before blowing into huge clouds of radio-wave emitting gas.

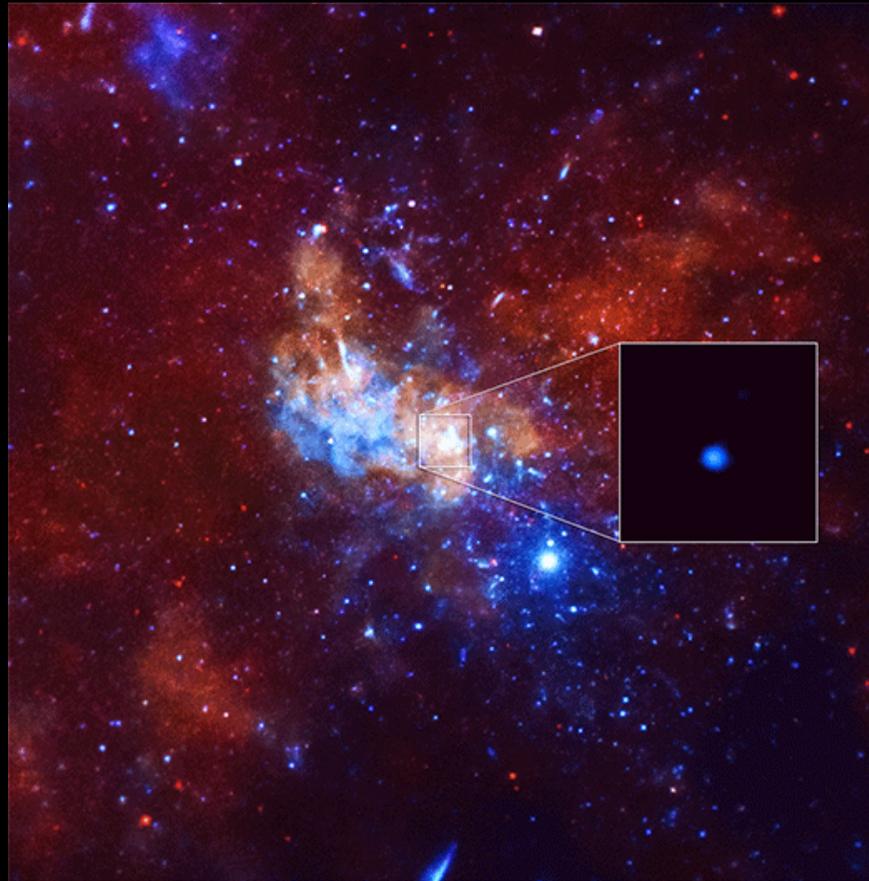


This observation from the Very Large Array maps the radio emission from the lobes of matter in the active galaxy Cygnus A. The central region of the galaxy can be seen as just a dot, while the long jets transform into ethereal clouds over 500,000 light years from the central black hole.

Image credit: JPP/DAL

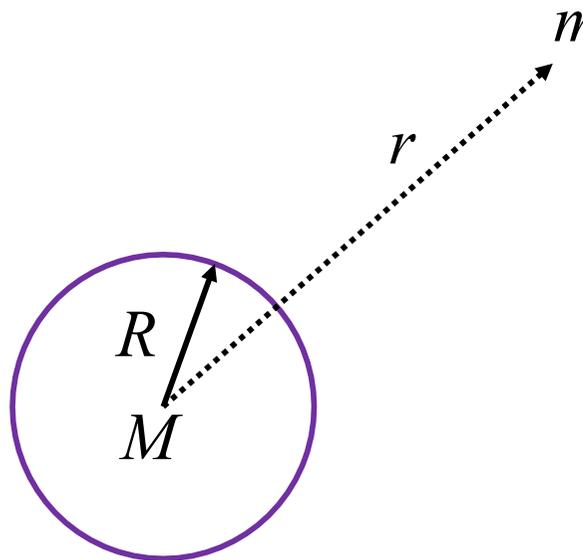


Sgr A\*



# Accretion as a source of energy

- Gravitational potential energy release for an object with mass  $M$  and with radius  $R$  by accretion of a test particle with mass  $m$


$$\left. \begin{array}{l} E_r = -\frac{GMm}{r} \\ E_R = -\frac{GMm}{R} \end{array} \right\} \Delta E = E_r - E_p = -\frac{GMm}{r} + \frac{GMm}{R}$$
$$\Rightarrow E_{acc} = \frac{GMm}{R} \text{ for } r \gg R$$

- *$M/R$  is the compactness of the accretor*
  - *The more compact, the more energy can be released*

# Energy in accretion

Object	Radius $R$ (km)	
Nuclear fusion	--	$0.007 mc^2$
White dwarf	$7 \times 10^3$	$10^{-4} mc^2$
Neutron star	10	$0.15 mc^2$

# Accretion luminosity

The accretion luminosity is given by

$$L_{acc} = \frac{dE_{acc}}{dt} = \frac{GM}{R} \frac{dm}{dt} \Rightarrow L_{acc} = \frac{GM\dot{m}}{R}$$

With  $M$  and  $R$  the mass and radius of the accreting star and  $\dot{m}$  the *accretion rate*

Luminosity of the Sun:  $L = 4 \times 10^{33}$  erg/s

Luminosity of an accreting white dwarf:  $L = 10^{33} - 10^{34}$  erg/s

Luminosity of an accreting neutron star:  $L = 10^{36} - 10^{38}$  erg/s

# Accretion luminosity of a BH

- The accretion luminosity equation assumes that all potential energy is released on impact on the star surface.
- Black holes do not have a surface and all matter will pass through the event horizon before all possible potential energy has been emitted away.

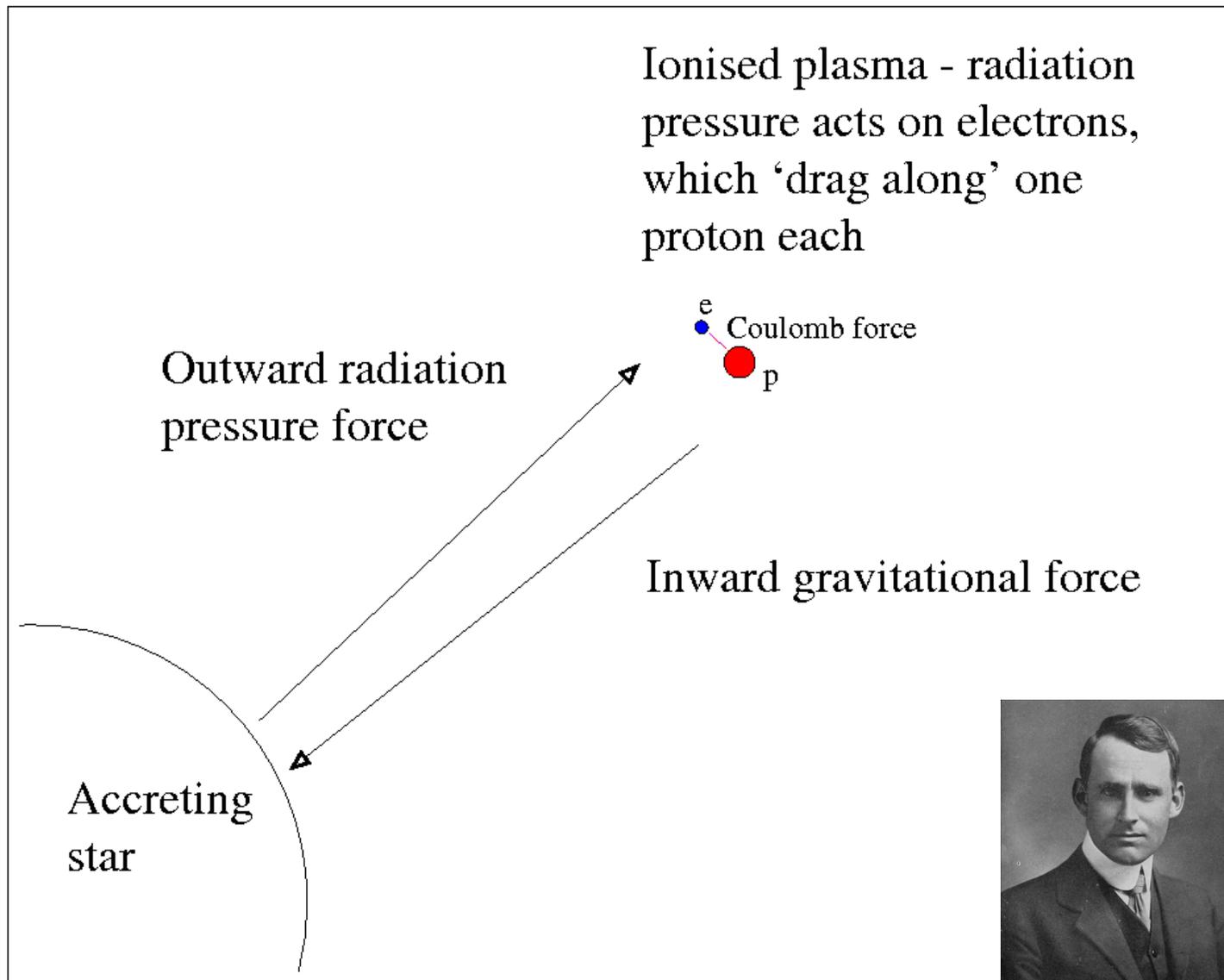
- For a black hole we can write

$$L_{acc} = \varepsilon \times L_{acc} = \varepsilon \frac{GM\dot{m}}{R_*} = 2\eta \frac{GM\dot{m}}{R_*} \Rightarrow L_{acc,b} = \eta \dot{m}c^2$$

since for a black hole  $R_* = \frac{2GM}{c^2}$

- With  $\eta$  the efficiency factor which is  $\sim 0.1 \rightarrow$  only  $\sim 10\%$  of the rest mass of the accreted matter is transferred into radiation! For a neutron star  $\eta \sim 0.15$  and thus a neutron star can be more efficient than a black hole!

# The Eddington limit I



# The Eddington limit II

$$F_{rad} = \frac{L\sigma_T}{4\pi r^2 c} \quad \text{and} \quad F_{grav} = \frac{GM(m_p + m_e)}{r^2} \approx \frac{GMm_p}{r^2}$$

$$F_{rad} = F_{grav} \rightarrow L_{Edd} = \frac{4\pi GMm_p c}{\sigma_T} = 1.3 \times 10^{38} (M / M_{Sun}) \text{ erg/s}$$

$F_{rad}$  = photon pressure,  $F_{grav}$  = gravitational force,  $\sigma_T$  = Thomson cross section  
 $c$  = speed of light,  $G$  = gravitational constant,  $M$  = mass of star,  $m_p$  = proton mass,  
 $m_e$  = electron mass,  $r$  = distance from centre of the star,  $L$  = luminosity of source.

# Assumptions made

**Accretion flow steady + spherically symmetric:** e.g. in supernovae,  $L_{Edd}$  can be exceeded by many orders of magnitude.

**Material fully ionized and only hydrogen:** not fully ionized heavy elements cause problems and may reduce ionized fraction (bound electrons do not scatter photons)

*Reasonable assumption for most X-ray binary system!*

# Eddington accretion rate

- The maximum accretion rate an accreting object can have (for pure ionized hydrogen)

$$L_{acc} = L_{Edd} \rightarrow \frac{GM\dot{M}_{Edd}}{R} = \frac{4\pi GMm_p c}{\sigma_T} \rightarrow$$

$$\dot{M}_{Edd} = \frac{4\pi m_p c R}{\sigma_T}$$

# Practical use of Eddington limit

- Maximum luminosity an object can have
  - Sometimes super-Eddington luminosities
- If one knows that the source is at  $L_{Edd}$  then the distance  $d$  towards the source can be obtained if flux  $f$  is measured from the source since

$$f = \frac{L}{4\pi d^2}$$

# Radiation due to accretion

- Define a black-body radiation temperature of (using the Stefan-Boltzmann law; 1879 and 1884)

$$T_b = \left( \frac{L_{acc}}{4\pi R^2 \sigma} \right)^{\frac{1}{4}}$$



Joseph Stefan



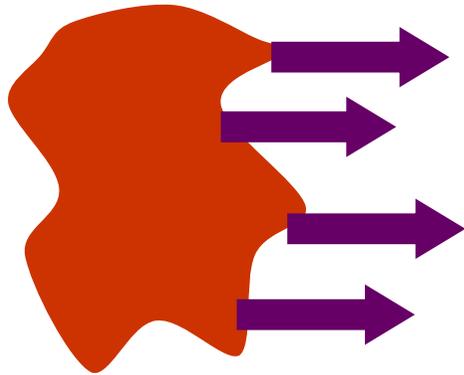
Ludwig Boltzmann

- The thermal temperature in the accreted matter is (assuming all potential energy is turned into thermal energy)

$$\frac{GM(m_p + m_e)}{R} \approx \frac{GMm_p}{R} = 2 \times \frac{3}{2} kT_{th} \Rightarrow T_{th} = \frac{GMm_p}{3kR}$$

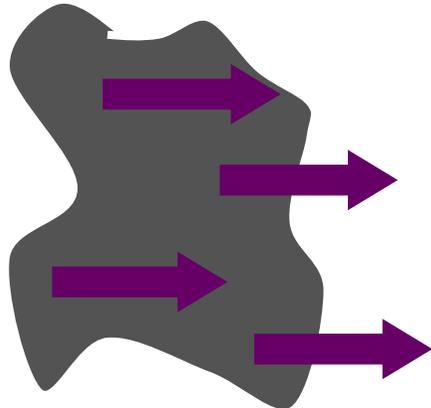
# Accretion temperatures

Optically thick



$$T_{rad} \sim T_b$$

Optically thin

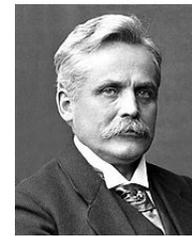


$$T_{rad} \sim T_{th}$$

# Accretion energies

- In general,  $T_b \leq T_{rad} \leq T_{th}$
- For a neutron star,  $T_{th} \sim 5 \times 10^{11}$  K and  $T_b$  comes from assuming
  - Accretion close to the Eddington limit,  $L \sim 10^{38}$  erg/s
  - $R \sim 10$  km
  - This results in  $T_{b,Edd} = \left( \frac{10^{38}}{4\pi \times 10^{12} \times 6 \times 10^{-5}} \right)^{\frac{1}{4}} \approx 10^7$  K
  - If accretion is optically thick then this is the temperature of the emitted radiation

- Wien displacement law (1893) states

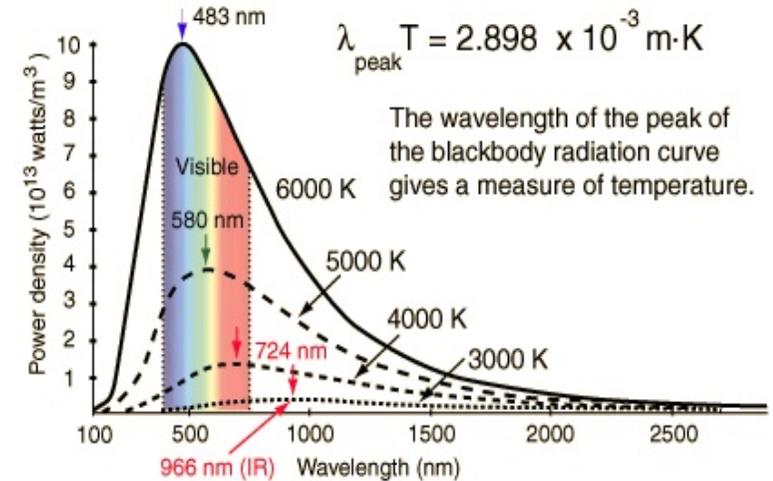


Wilhelm Wien

$$\lambda_{\max} T = \text{constant} = 3 \times 10^7$$

(T in Kelvin,  $\lambda_{\max}$  Angstroms)

$$\Rightarrow \nu_{\max} = 6 \times 10^{10} T \text{ Hz}$$



- For  $T \sim 10^7$  K this gives  $\nu \sim 10^{18}$  Hz  $\sim 3$  keV
- Accreting neutron star will radiate in the X-rays!
  - E.g., as neutron-star X-ray binaries
  - Similarly: black-hole X-ray binaries
  - Accreting white dwarf are mainly visible in the optical and the UV

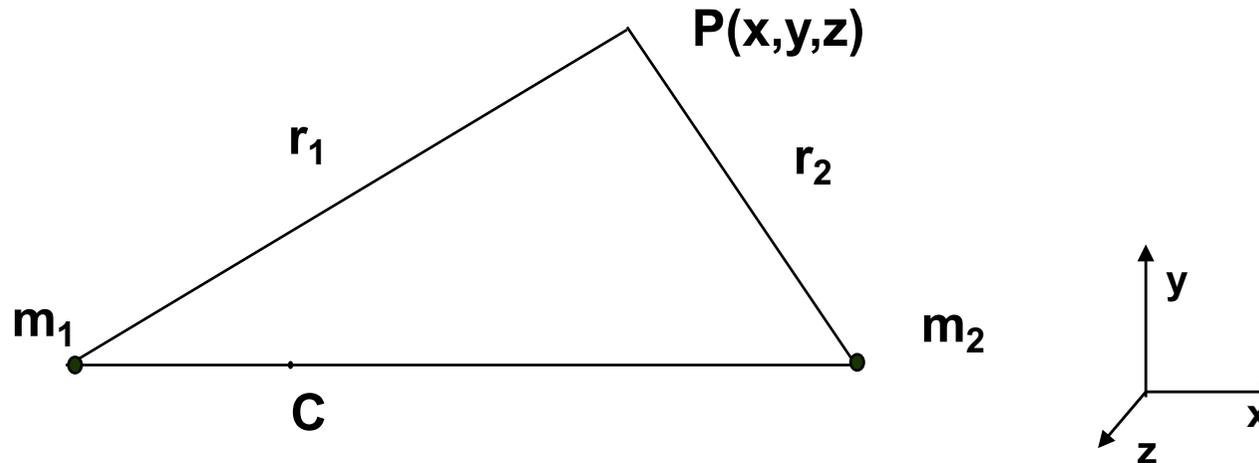
# Different forms of accretion

- Accretion from the ISM
  - Too little material in the ISM to produce significant radiation
  - Accreting from dense molecular clouds
  - Steady, spherically symmetric accretion
    - Bondi accretion (1952)
- Accretion from a companion star
  - Matter transfer through Roche-Lobe overflow
    - Most relevant for low-mass X-ray binaries
  - Matter transfer through a stellar wind
    - Most relevant for high-mass X-ray binaries



Hermann Bondi

# Potential in close binaries



- $C$ : centre of mass
  - reference frame centred on more massive star  $m_1$ , with distance  $m_1$  to  $m_2$  is 1
  - rotating with angular velocity  $\omega$ , same as binary system
  - circular orbit
- Potential at  $P(x,y,z)$  is then

$$\Phi = -\frac{Gm_1}{r_1} - \frac{Gm_2}{r_2} - \frac{1}{2}\omega^2 \left[ \left( x - \frac{m_2}{m_1 + m_2} \right)^2 + y^2 \right]$$

$$r_1^2 = x^2 + y^2 + z^2 \quad \text{and} \quad r_2^2 = (x-1)^2 + y^2 + z^2$$



$$\Phi = -\frac{Gm_1}{r_1} - \frac{Gm_2}{r_2} - \frac{1}{2}\omega^2 \left[ \left( x - \frac{m_2}{m_1 + m_2} \right)^2 + y^2 \right]$$

Kepler's third law and normalize to  $a = 1$

$$\rightarrow \omega^2 = \left( \frac{2\pi}{P} \right)^2 = \frac{G(m_1 + m_2)}{a^3} \rightarrow \omega^2 = G(m_1 + m_2)$$

Then we can define  $\Phi_n = \frac{-2\Phi}{G(m_1 + m_2)}$

- the normalized gravitational potential
- and the mass ratio

$$q = \frac{m_2}{m_1} \quad (0 \leq q \leq 1)$$

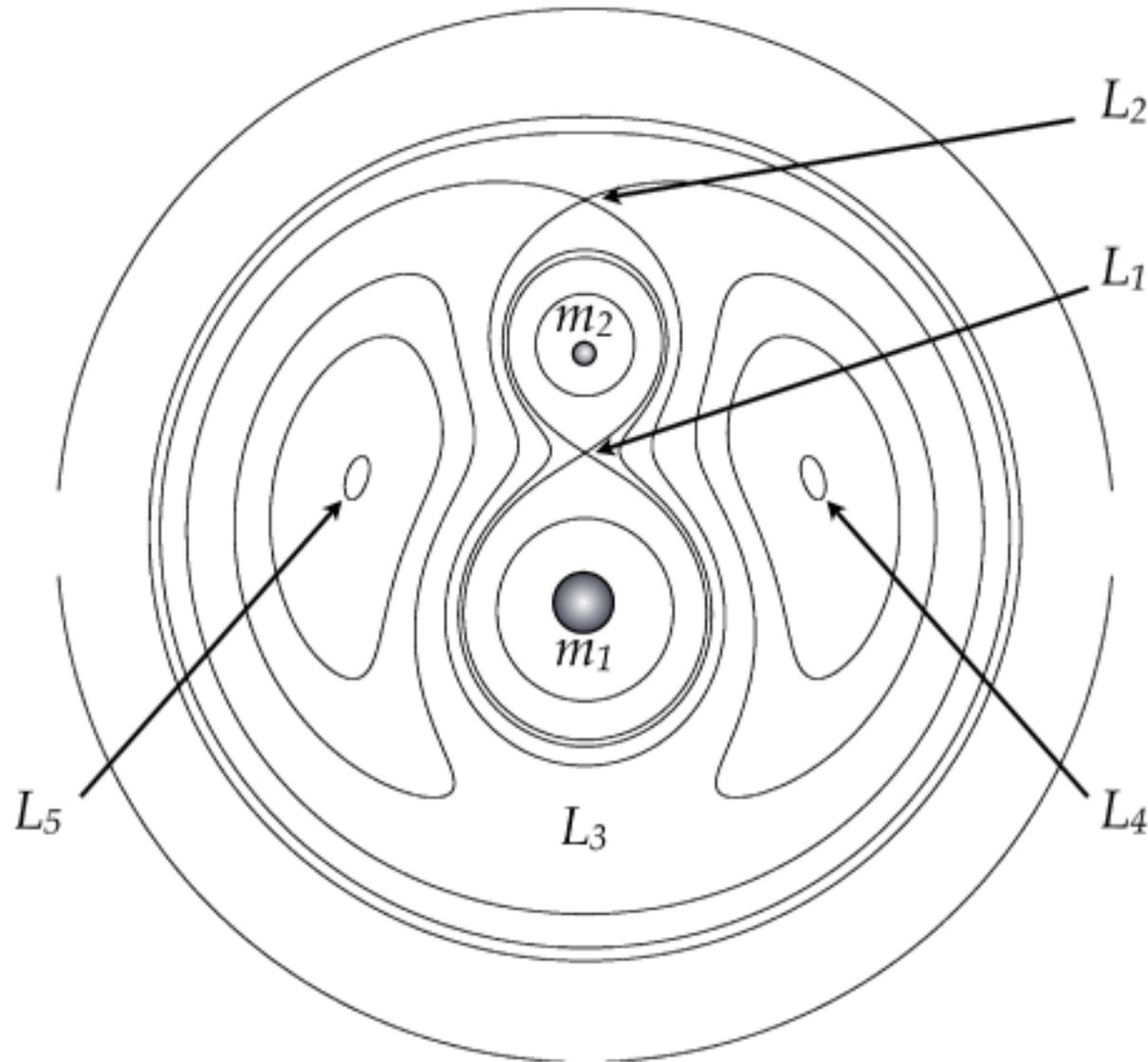
$$\Rightarrow \Phi_n = \frac{2}{(1+q)} \frac{1}{r_1} + \frac{2q}{(1+q)} \frac{1}{r_2} + \left( x - \frac{q}{(1+q)} \right)^2 + y^2$$

# Equipotential surfaces

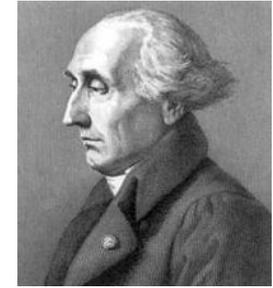
$$\Phi_n = \frac{2}{(1+q)} \frac{1}{r_1} + \frac{2q}{(1+q)} \frac{1}{r_2} + \left( x - \frac{q}{(1+q)} \right)^2 + y^2$$

- The total potential may then be calculated at any point P with respect to the binary system
- Surfaces of constant potential may be found
  - shape of stars is given by these equipotential surfaces
- Deformation from spherical depends on size relative to semi major axis,  $a$ , and mass ratio  $q$

- Equipotential surfaces
  - Lagrange points  $L_1$ ,  $L_2$ ,  $L_3$ , and  $L_4$ ,  $L_5$



# Lagrange points

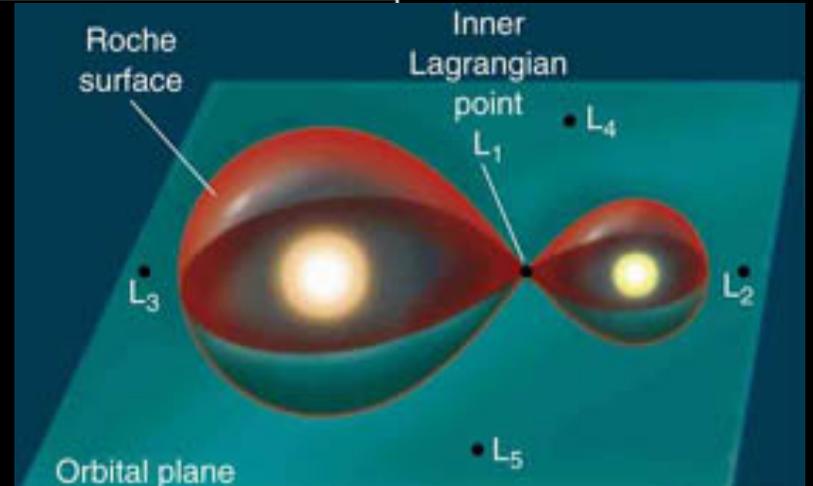
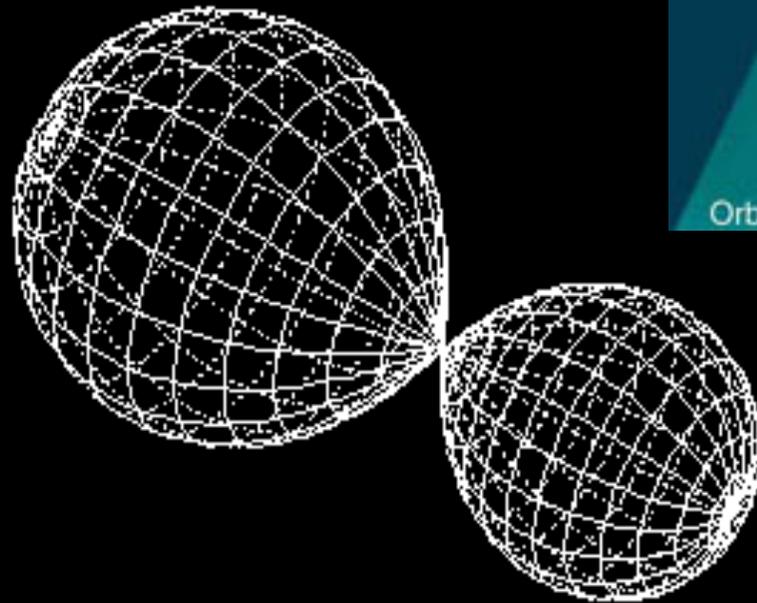


Joseph-Louis Lagrange

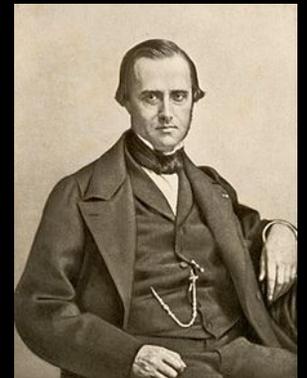
- Points where  $\nabla\Phi_n = 0$
- $L_1$  - *Inner Lagrange Point*
  - in between two stars
  - matter can flow freely from one star to other
  - mass exchange
- $L_2$  - on opposite side of secondary
  - matter can most easily leave system
- $L_3$  - on opposite side of primary
- $L_4, L_5$  - in lobes perpendicular to line joining binary
- Roche-lobes: surfaces which just touch at  $L_1$

primary mass : 1.00  $M_{\text{Sun}}$   
secondary mass : 0.50  $M_{\text{Sun}}$   
separation : 1.29  $R_{\text{Sun}}$

period : 3.33 hours  
inclination : 45.00 degrees  
phase : 0.15 orbits

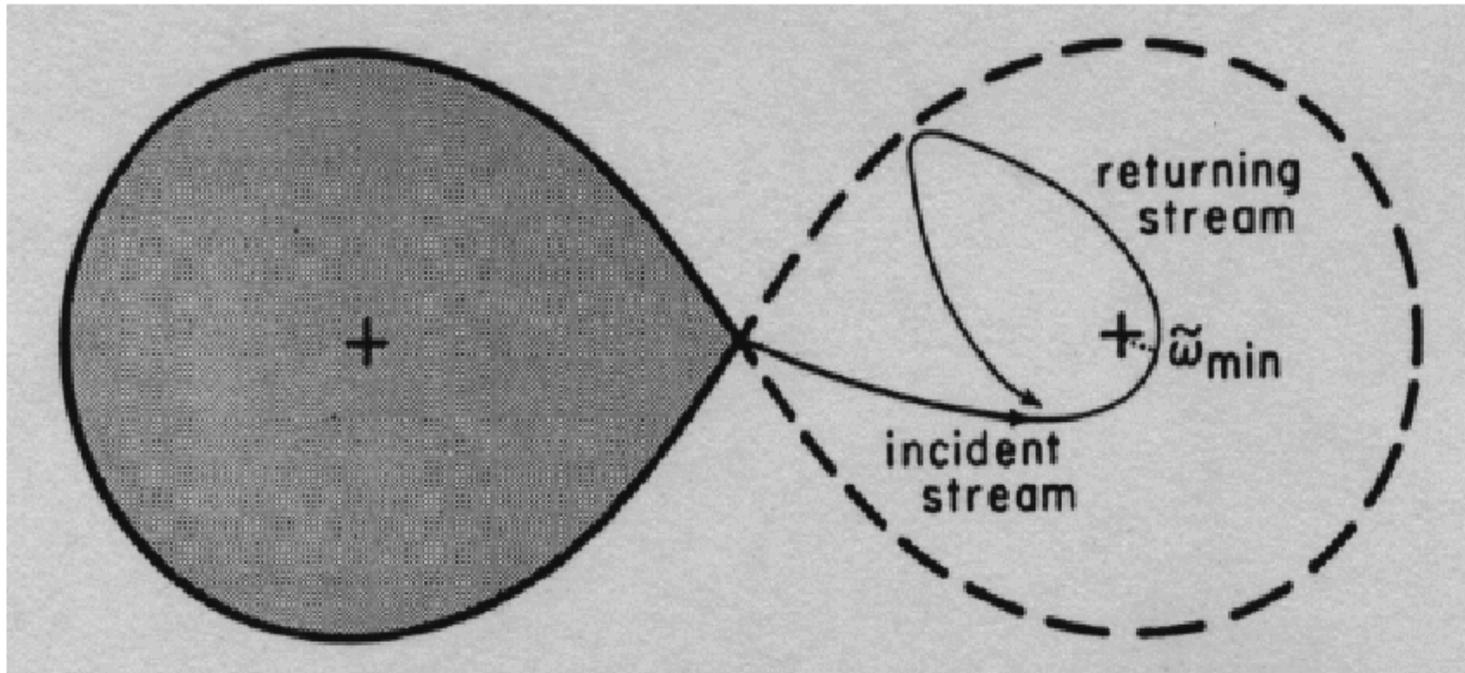


Édouard Roche



Roche lobes in three dimensions

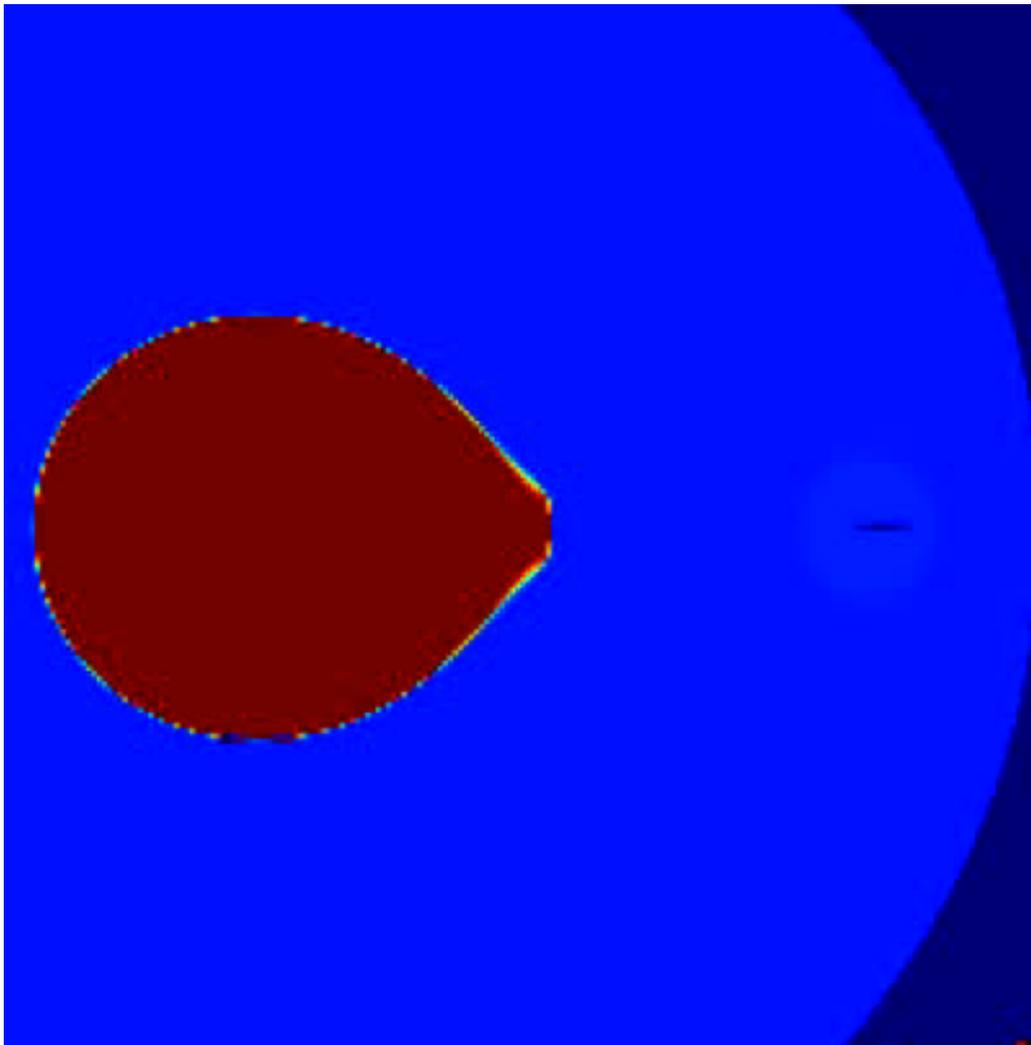
# Formation of an accretion disk



- Material transferred has high angular momentum so must lose it before accreting  $\Rightarrow$  disk forms
- Gas loses angular momentum through collisions, shocks, and viscosity: kinetic energy converted into heat and radiated  $\rightarrow$  not fully understood!

# Circularization radius $R_{circ}$

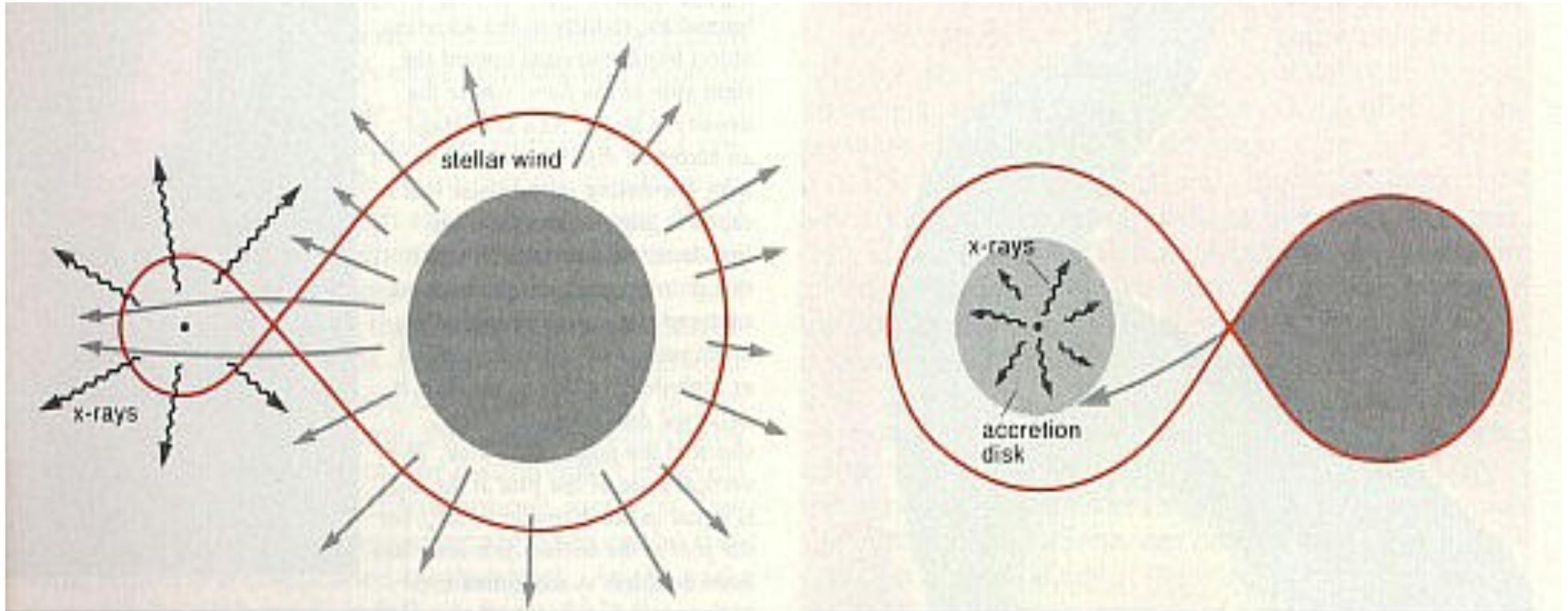
- When leaving  $L_1$  gas has a lot of angular momentum
- Difficult to get rid off
  - Remember: angular moment is a conserved quantity
- Gas will orbit in lowest energy orbit
  - Circular orbits
  - Kepler orbits
- Circularization radius  $R_{circ}$  = radius of the Kepler orbit with the same angular momentum



<http://wonka.physics.ncsu.edu/~blondin/Movies/lmxb.mpg>

<http://wonka.physics.ncsu.edu/~blondin/Movies/lmxb2d.mpg>

# Wind accretion

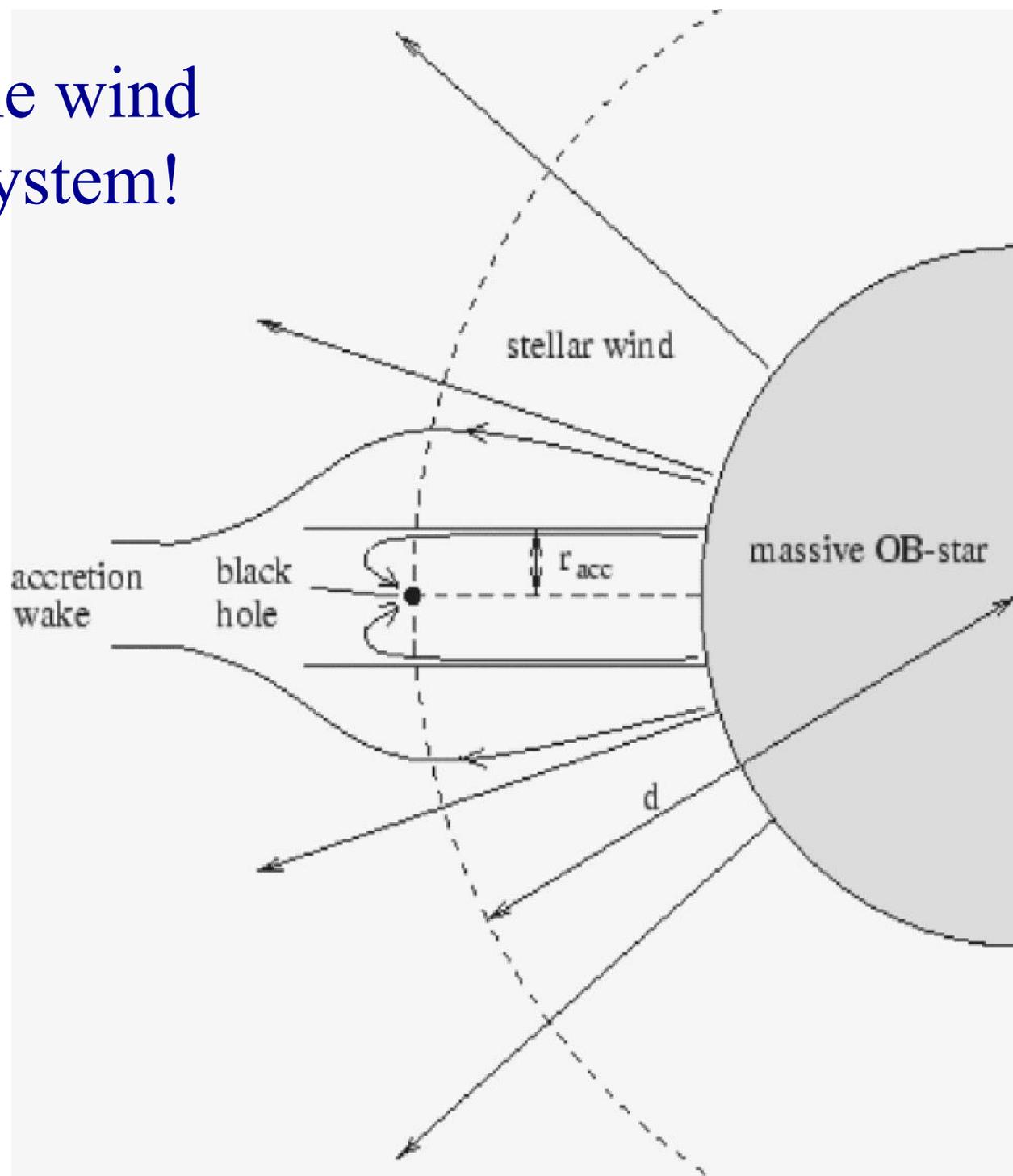


Some stars (e.g., giants and supergiants, early-type stars) have intense and highly supersonic winds. Mass loss rates can be up to  $10^{-6}$ - $10^{-4}$  solar masses per year.

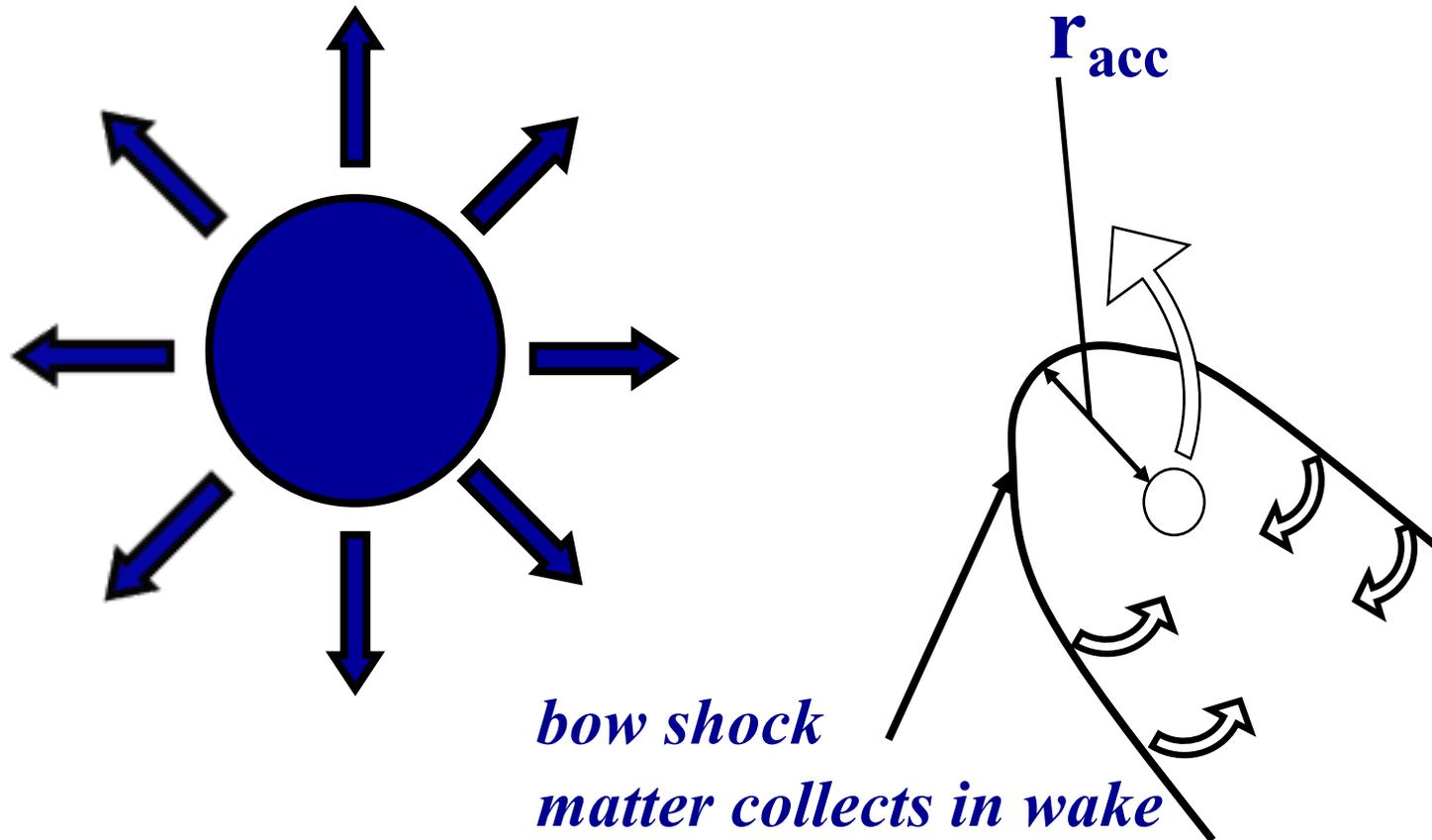
Most matter in the wind is lost from the system!

$$\frac{mv_{wind}^2}{2} \approx \frac{GMm}{r_{acc}} \Rightarrow$$

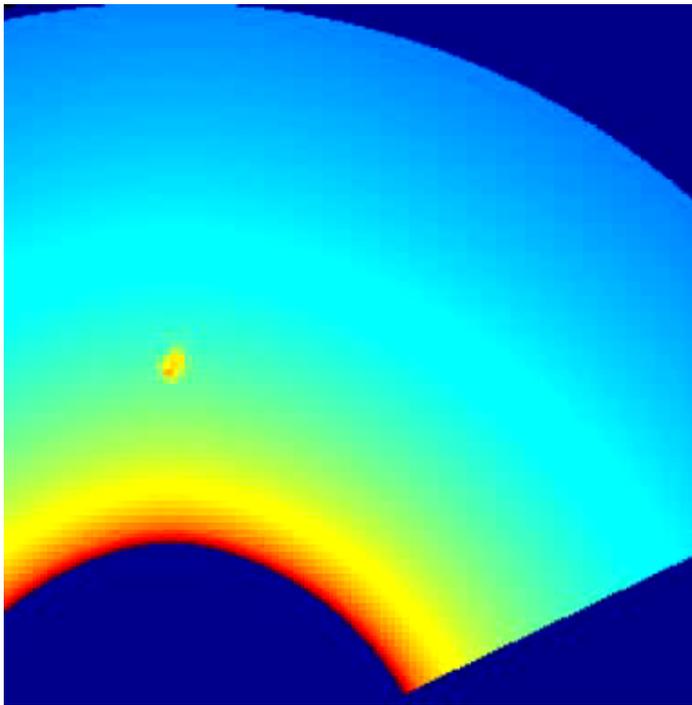
$$r_{acc} \approx \frac{2GM}{v_{wind}^2}$$



# Compact star moves in binary



$$\frac{m(v_{wind}^2 + v_{CS}^2)}{2} \approx \frac{GMm}{r_{acc}} \Rightarrow r_{acc} \approx \frac{2GM}{v_{wind}^2 + v_{CS}^2}$$



# Simulation of wind accretion in HMXB

Partly Roche-lobe overflow

Blondin et al.



<http://wonka.physics.ncsu.edu/~blondin/Movies/vela2d.mpg>

<http://csep10.phys.utk.edu/OJTA2dev/ojta/course2/binaries/accreting/blondinbinary.swf>

# X-ray binary classification

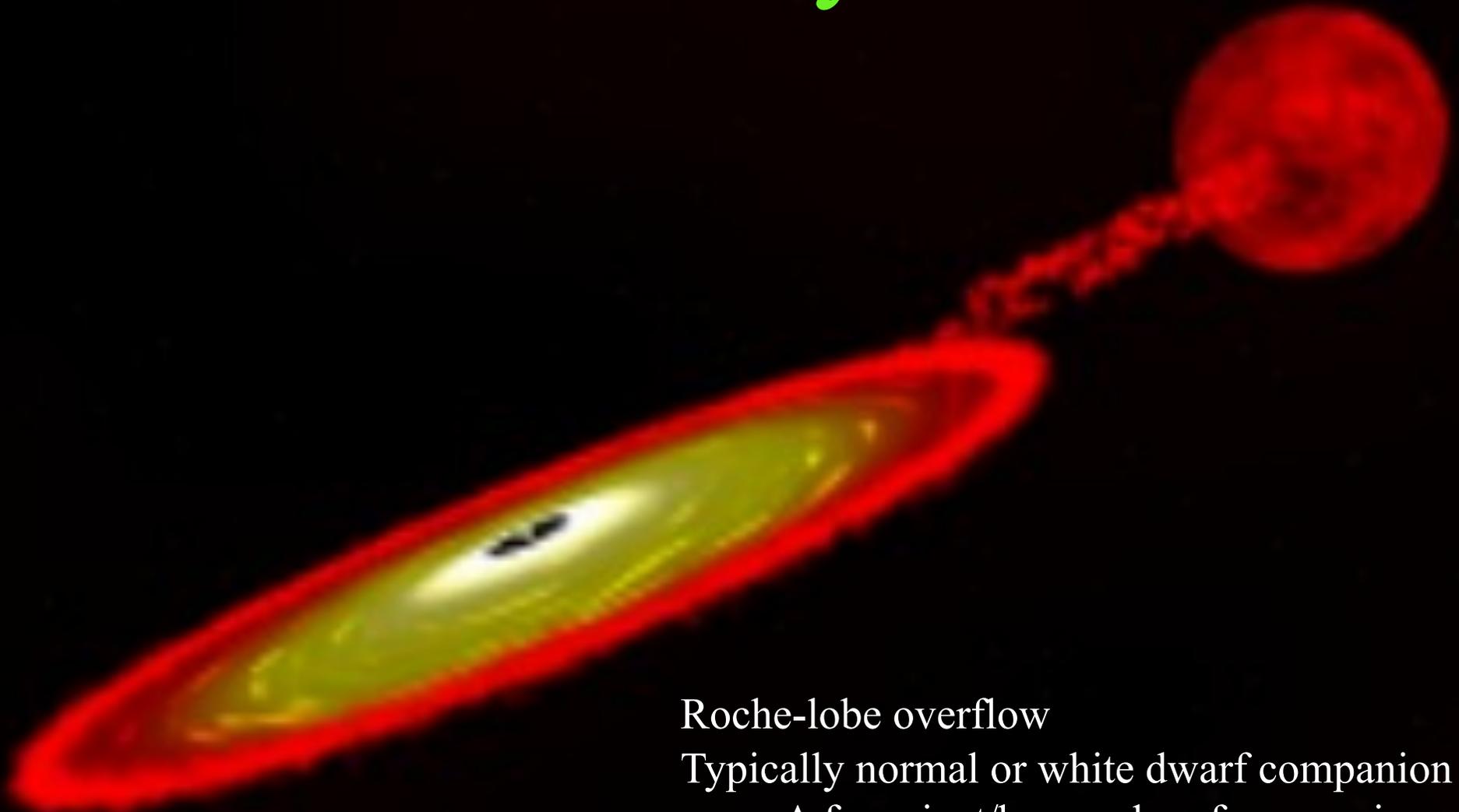
- Complex and variate ways of classifying X-ray binaries
  - Type of accretor (neutron star vs. black hole)
  - Type/mass of donor (high mass vs. low mass)
  - Persistent versus transient sources
  - Observed phenomena
- Often a hybrid way of classification is used combining different ways



# Low- versus high-mass X-ray binaries

- Low-mass X-ray binaries
  - Traditional: companion has a mass of  $<1$  solar mass
  - More accurate:  $M_{companion} < M_{accretor}$
  - Mass transfer through Roche-lobe overflow
    - A handful of wind fed systems
- High-mass X-ray binaries
  - Traditional:  $M_{companion} > 10 M_{accretor}$
  - Mass transfer not through Roche-lobe overflow
    - Wind accretion
    - Accretion from circumstellar decretion disk

# Low-mass X-ray binaries



Roche-lobe overflow

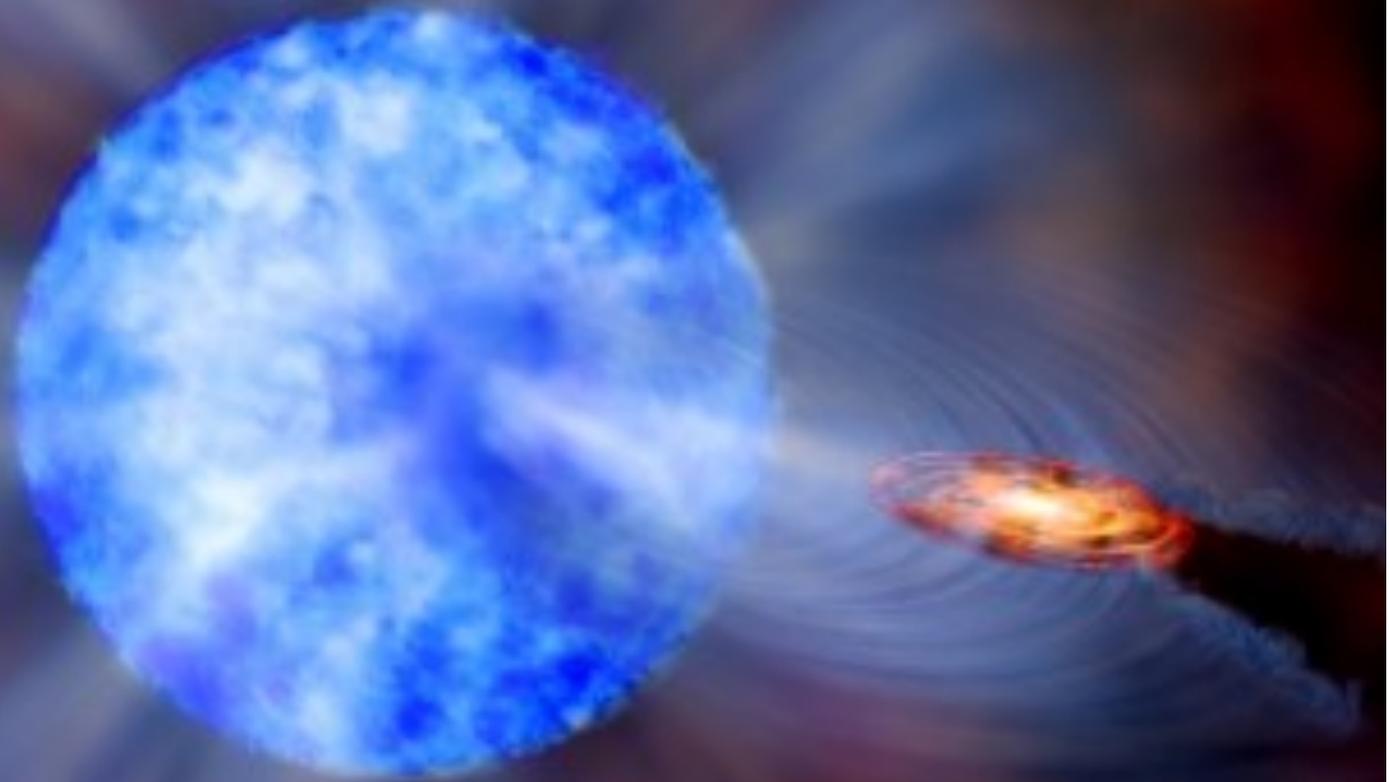
Typically normal or white dwarf companion

- A few giant/brown dwarf companions

Typically low magnetic field neutron star

- A few with strong magnetic fields

# High-mass X-ray binary



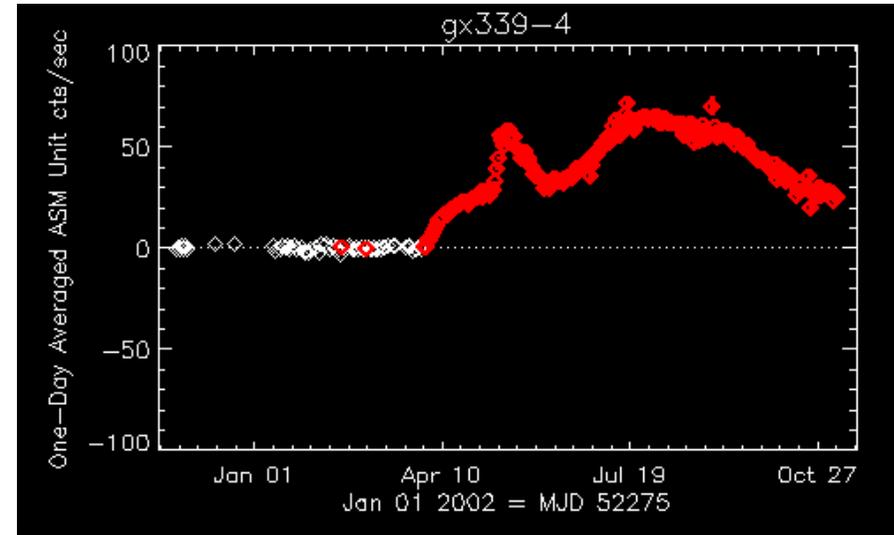
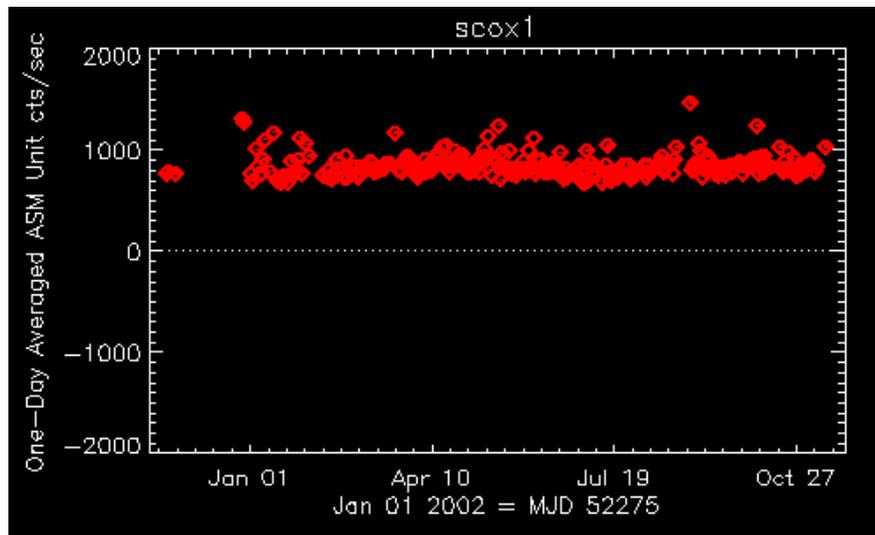
Accretion from a strong stellar wind from giant or supergiant donor  
Typically a high magnetic field neutron star  
Formation of small disk is possible  
Some have mass transfer through Roche-lobe overflow  
Be/X-ray binaries

# Intermediate-mass X-ray binaries?

- When  $M_{companion} > M_{accretor} < 10$  solar masses
- Typically stellar wind is relatively weak
  - Very little X-rays due to accretion
  - Except possibly on the giant branch
    - But relatively massive stars thus short life span
- Roche-lobe mass transfer is unstable
  - Runaway accretion
  - Some do exist but they are rare
  - Some binary evolution models predict that many LMXBs descent from IMXBs

# Persistent and transient X-ray binaries

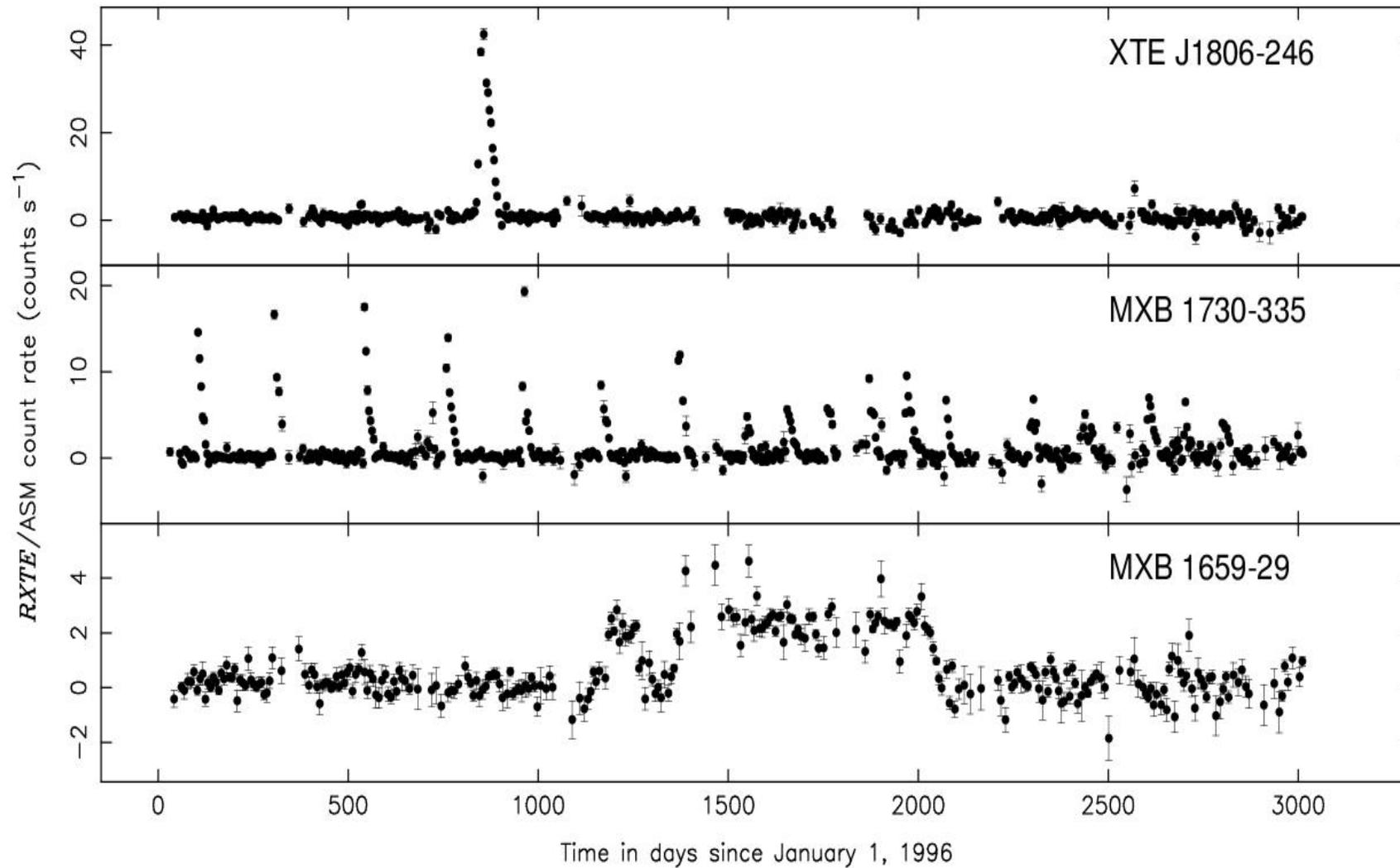
- Most X-ray binaries are not always visible
- They are usually very dim  $\rightarrow$  no or very little accretion of matter



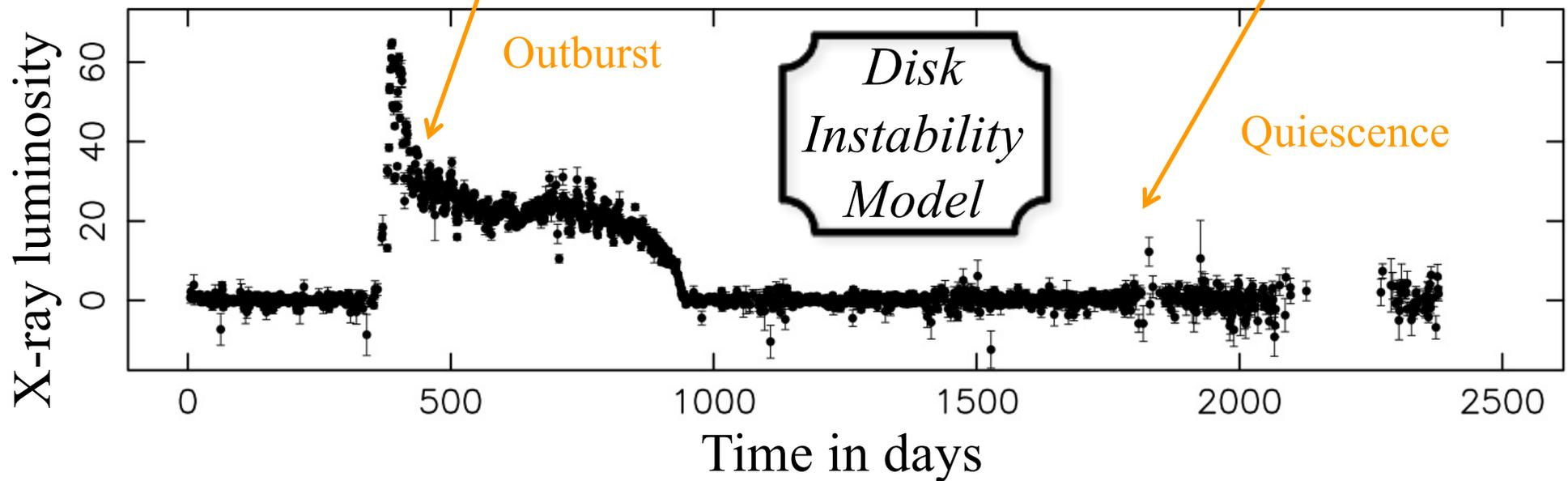
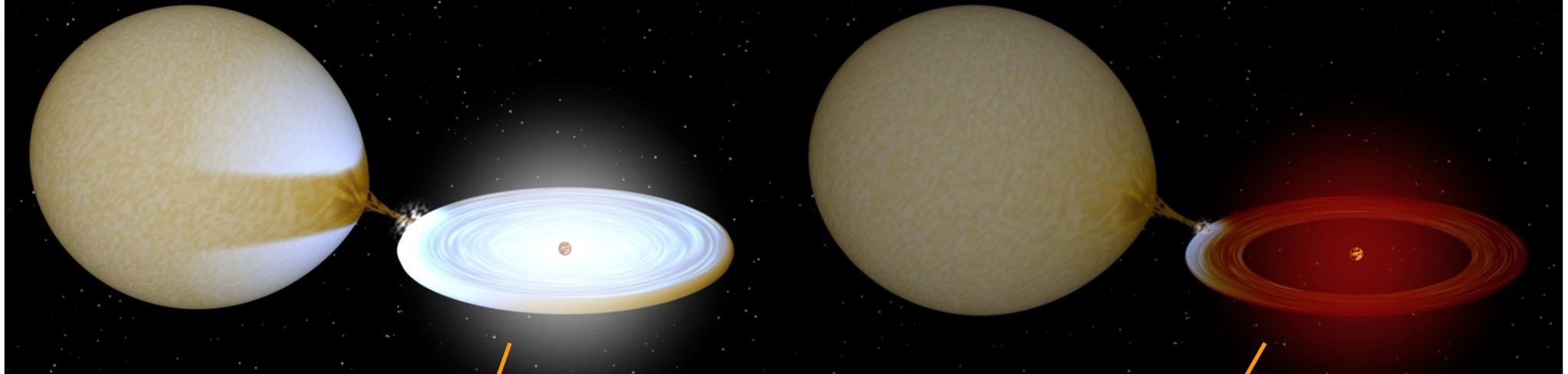
RXTE/ASM light curves

- They become occasionally very bright  $\rightarrow$  huge ( $>10^{4-6}$ ) increase in accretion rate
- During such 'outbursts' they behave in all aspects like the persistent sources
- Different models for the outburst depending on source type

# Transient X-ray binaries



# Transient low-mass X-ray binaries



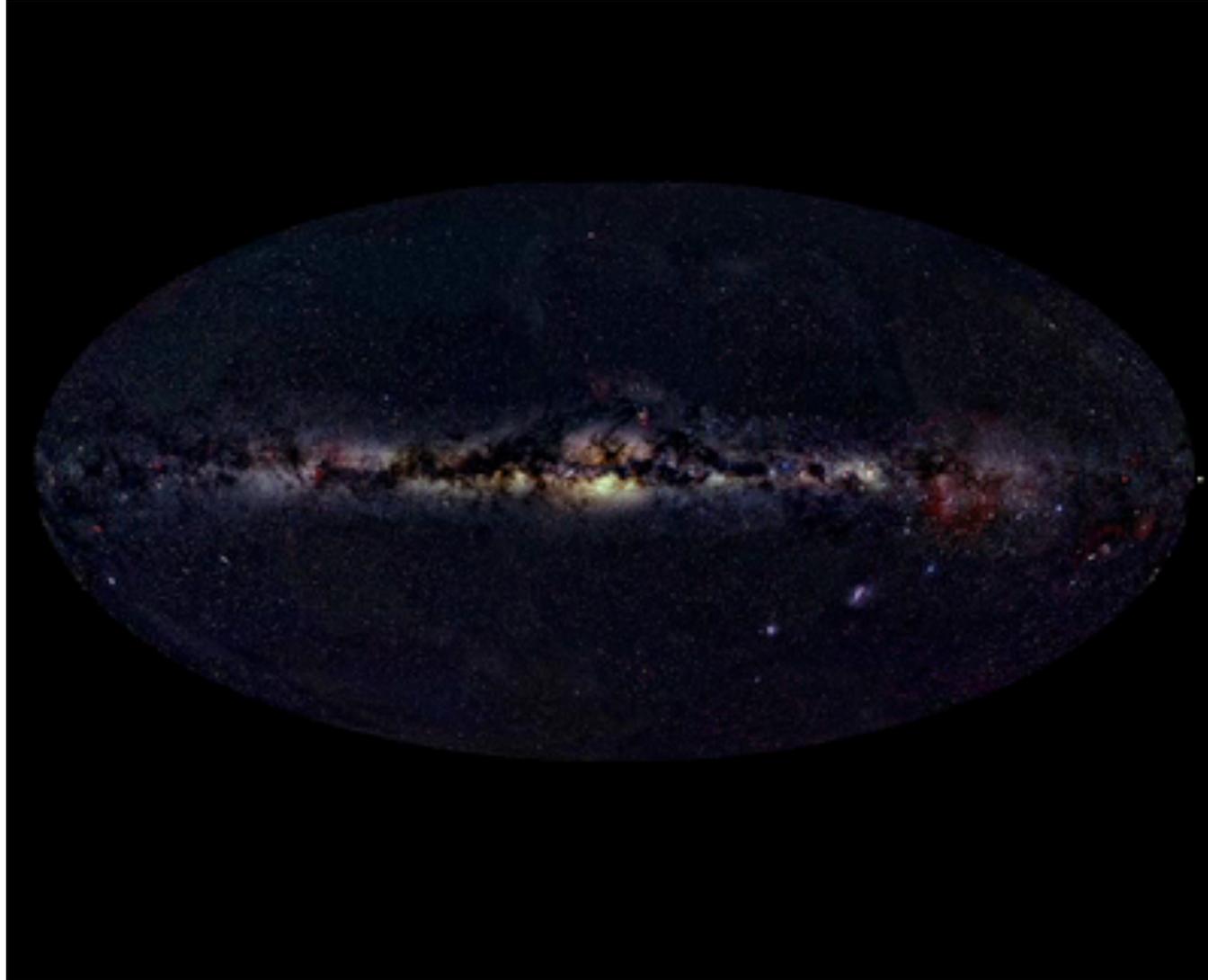
# Movie of transient behavior



[https://heasarc.gsfc.nasa.gov/docs/xte/Snazzy/Movies/xsky010400\\_mp.mov](https://heasarc.gsfc.nasa.gov/docs/xte/Snazzy/Movies/xsky010400_mp.mov)

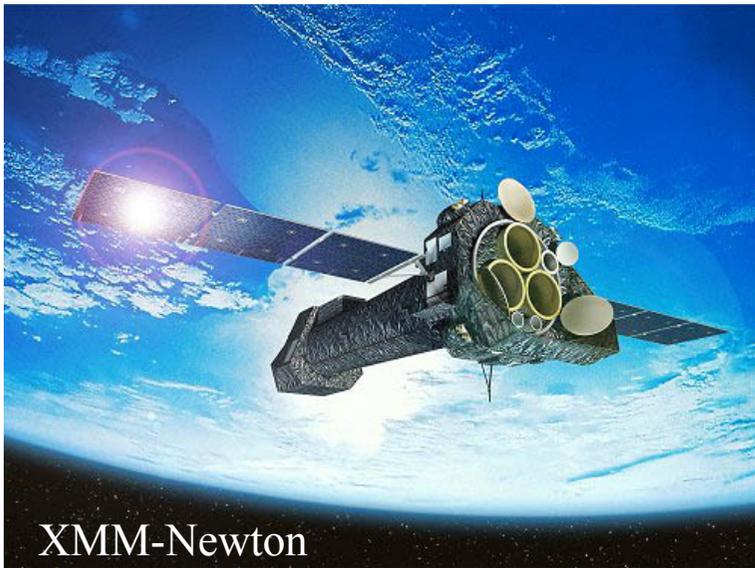
# Movie of transient behavior

Kuulkers et al. 2007



<http://integral.esac.esa.int/BULGE/links/Movies.html>

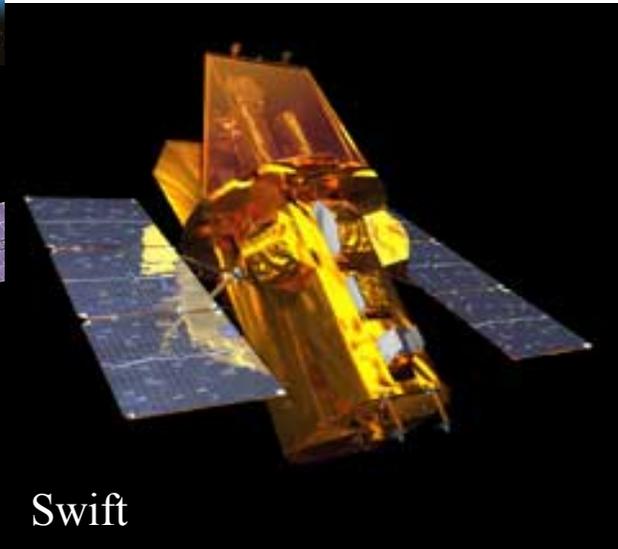
# Current X-ray satellites



XMM-Newton



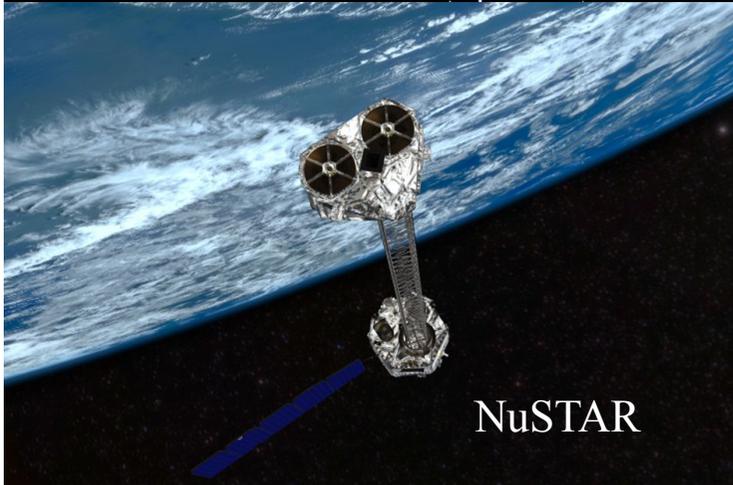
Chandra



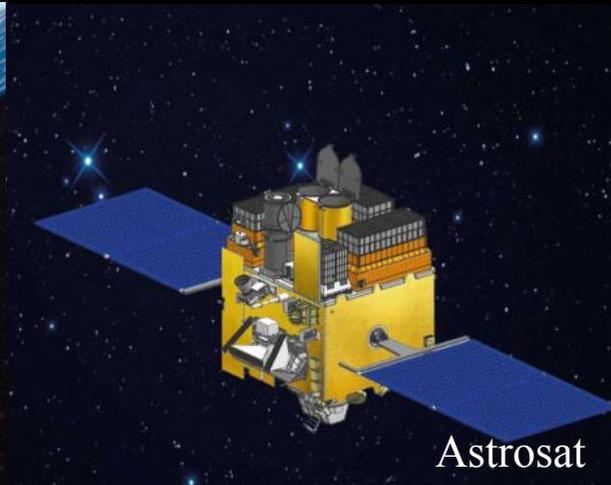
Swift



MAXI



NuSTAR



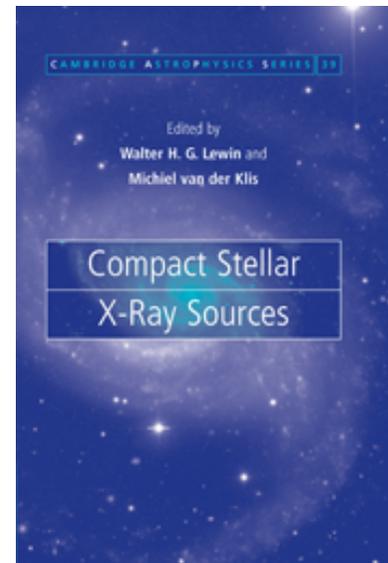
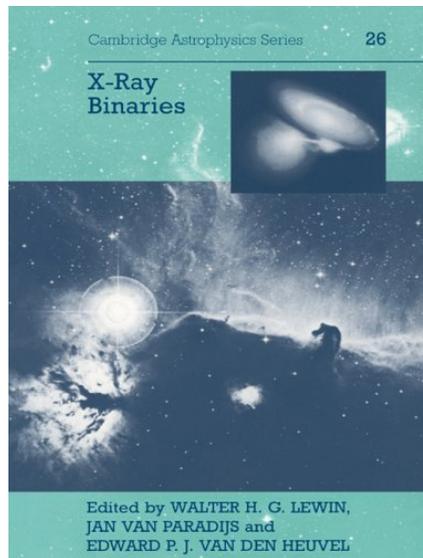
Astrosat



Integral

# X-ray binary literature

- General X-ray binary information
  - Lewin, van Paradijs, & van den Heuvel  
“X-ray binaries”, 1995
  - Lewin & van der Klis  
“Compact Stellar X-ray sources”, 2010



Note: things can get quickly outdated!